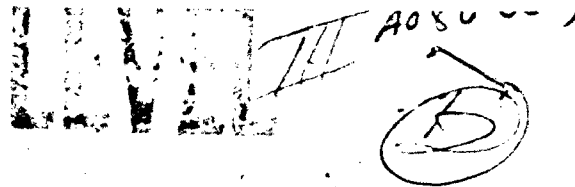


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Volume II



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**THE USAF STABILITY AND CONTROL DIGITAL DATCOM  
Volume II, Implementation of Datcom Methods**

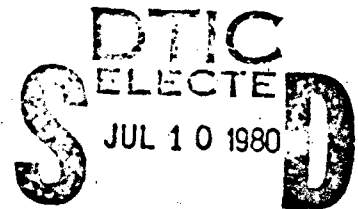
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Final Report for Period August 1977 - November 1978



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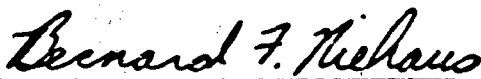
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This report has been reviewed by the Office of Public Affairs (ASD/PA) and is releasable to the National Technical Information Service (NTIS). At NTIS, it will be available to the general public, including foreign nations.

This technical report has been reviewed and is approved for publication.



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FOR THE COMMANDER



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(17) TR-79-3032-VOL-2

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REPORT DOCUMENTATION PAGE		READ INSTRUCTIONS BEFORE COMPLETING FORM	
1. REPORT NUMBER AFFDL TR-79-3032, VOLUME II		2. GOVT ACCESSION NO. AD-7986 538	
3. TITLE (and Subtitle) THE USAF STABILITY AND CONTROL DIGITAL DATCOM Volume II, Implementation of Datcom Methods		4. REPORT TYPE & PERIOD COVERED Final rept. August 1977 - November 1978	
5. AUTHOR John E. Williams and Steven R. Vukelich		6. CONTRACT OR GRANT NUMBER(s) F33615-77-C-3073	
7. PERFORMING ORGANIZATION NAME AND ADDRESS McDonnell Douglas Astronautics Company-St. Louis F.O. Box 516 St. Louis, Missouri 63166		8. PROGRAM ELEMENT PROJECT TASK AREA & WORK UNIT NUMBERS AFFDL Project No. 8219 Task 82190115	
9. CONTROLLING OFFICE NAME AND ADDRESS Air Force Flight Dynamics Lab (FGC) Wright-Patterson Air Force Base, Ohio 45433		10. REPORT DATE April 1979	
11. MONITORING AGENCY NAME & ADDRESS (if different from Controlling Office) 124		11. NUMBER OF PAGES 155	
		12. SECURITY CLASS. (of this report) Unclassified	
		12a. DECLASSIFICATION DOWNGRADING SCHEDULE	
13. DISTRIBUTION STATEMENT (of this Report) Approved for public release; distribution unlimited.			
14. DISTRIBUTION STATEMENT (of the abstract entered in Block 20, if different from Report)			
15. SUPPLEMENTARY NOTES None.			
16. KEY WORDS (Continue on reverse side if necessary and identify by block number) USAF DATCOM Aerodynamic Stability High Lift and Control Computer Program Fortran			
17. ABSTRACT (Continue on reverse side if necessary and identify by block number) This report describes a digital computer program that calculates static stability, high lift and control, and dynamic derivative characteristics using the methods contained in the USAF Stability and Control Datcom (revised April 1976). Configuration geometry, attitude, and Mach range capabilities are consistent with those accommodated by the Datcom. The program contains a trim option that computes control deflections and aerodynamic increments for vehicle trim at subsonic Mach numbers. Volume I is the user's manual and presents			

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## FOREWORD

This report, "The USAF Stability and Control Digital Datcom," describes the computer program that calculates static stability, high lift and control, and dynamic derivative characteristics using the methods contained in Sections 4 through 7 of the USAF Stability and Control Datcom (revised April 1976). The report consists of the following three volumes:

- o Volume I, Users Manual
- o Volume II, Implementation of Datcom Methods
- o Volume III, Plot Module

A complete listing of the program is provided as a microfiche supplement.

This work was performed by the McDonnell Douglas Astronautics Company, Box 516, St. Louis, MO 63166, under contract number F33615-77-C-3073 with the United States Air Force Systems Command, Wright-Patterson Air Force Base, OH. The subject contract was initiated under Air Force Flight Dynamics Laboratory Project 8219, Task 82190115 on 15 August 1977 and was effectively concluded in November 1978. This report supersedes AFFDL TR-73-23 produced under contract F33615-72-C-1067, which automated Sections 4 and 5 of the USAF Stability and Control Datcom; AFFDL TR-74-68 produced under contract F33615-73-C-3058 which extended the program to include Datcom Sections 6 and 7 and a trim option; and AFFDL-TR-76-45 that incorporated Datcom revisions and user oriented options under contract F33615-75-C-3043. The recent activity generated a plot module, updated methods to incorporate the 1976 Datcom revisions, and provide additional user oriented features. These contracts, in total, reflect a systematic approach to Datcom automation which commenced in February 1972. Mr. J. E. Jenkins, AFFDL FGC, was the Air Force Project Engineer for the previous three contracts and Mr. B. F. Niehaus acted in this capacity for the current contract. The authors wish to thank Mr. Niehaus for his assistance, particularly in the areas of computer program formulation, implementation, and verification. A list of the Digital Datcom Principal Investigators and individuals who made significant contributions to the development of this program is provided on the following page.

Requests for copies of the computer program should be directed to the Air Force Flight Dynamics Laboratory (FGC). Copies of this report can be obtained from the National Technical Information Service (NTIS).

This report was submitted in April 1979.

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SECTION 1  
INTRODUCTION

Digital Datcom calculates static stability, high-lift and control device, and dynamic-derivative characteristics using the methods contained in Sections 4 through 7 of Datcom. The computer program also offers a trim option that computes control deflections and aerodynamic data for vehicle trim.

Even though the development of Digital Datcom was pursued with the sole objective of translating the Datcom methods into an efficient, user-oriented computer program, differences between Datcom and Digital Datcom do exist. Such is the primary subject of this volume, Implementation of Datcom Methods, which contains the program formulation for those methods in variance with Datcom methods. Program implementation information regarding system resources necessary to make the program operational are presented in Sections 5 and 6.

Section 6 also lists each of the routines and references their appearance in the program listings provided as a microfiche supplement to this volume.

Users should refer to Datcom for the validity and limitations of methods involved. However, potential users are fore-warned that Datcom drag methods are not recommended for performance. Where more than one Datcom method exists, the summary in Table 1 indicates which method or methods are employed in Digital Datcom. Tables 2, 3, and 4 define the basic output data in each Mach regime and shows the overlay in which each is computed.

The computer program is written in Fortran IV for the CDC Cyber 175. Through the use of overlay and data packing techniques, core requirement is 67,000 octal words for execution with the NOS operating system using the FTN compiler. Central processor time for a case executed on the NOS system depends on the type of configuration, number of flight conditions, and program option selected. Usual requirements are on the order of one to two seconds per Mach number.

Direct all program inquiries to AFFDL FGC, Wright-Patterson Air Force Base, Ohio 45433. Phone (513) 255-4315.

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
Airfoil Section Aerodynamics	Airfoils	4.1.1-4.1.2	SUBSONIC	NDM	50		*User input or calculated by the airfoil section module
$c_o$	Wings	4.1.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	15,16	CALCAO	Experimental data input required
$C_{L\alpha}$	Wings	4.1.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 1	15,16 24 27 27	WTLIFT TRSONI	*Transonic fairing performed
$C_L$	Wings	4.1.3.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 1	15,16 35 27 27	LIFTCF WINGCL SUPLNG SUPLNG	*Graphical Method Used
$C_{L_{MAX}}$	Wings	4.1.3.4	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	2,3 1 NP NP	15,16	CLMXBS CLMXBI	Method 2 high aspect ratio, Method 3 low

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

\*Subject of Section 4 of this volume

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{m_0}$	Wings	4.1.4.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	31,33	CMALPH	
$C_{m_\alpha}$	Wings	4.1.4.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 1	31,33 25 27 27	CMALPH TRANCM SUPLNG SUPLNG	*
$C_m$	Wings	4.1.4.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	31,33	CMALPH	*Straight-tapered low aspect ratio *Compute aerodynamic center
$C_{D_0}$	Wings	4.1.5.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 1	3,5 24 18 18	CDRAG TRSONI SUPDRG SUPDRG	*
$C_D$	Wings	4.1.5.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 1	3,5 35 18 18	CDRAG WINGCL SUPDRG SUPDRG	*

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED  
\*Subject of Section 4 of this volume

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{L\alpha}$	Bodies	4.2.1.1	SUBSONIC	1	6	BØDYRT	*Faired between subsonic and supersonic
			TRANSONIC	1	6	BØDYRT	
			SUPERSONIC	1	1	SUPBØD	
			HYPERSONIC	1	26	HYPBØD	
$C_L$	Bodies	4.2.1.2	SUBSONIC	1	6	BØDYRT	
			TRANSONIC	NØM	19	SUPBØD	
			SUPERSONIC	2	26	HYPBØD	
$C_L$	Body Asymmetric	4.2.1.3	SUBSONIC	2	4	BØDØPT	*
			TRANSONIC	NØM			
			SUPERSONIC	NØM			
			HYPERSONIC	NØM			
$C_{m\alpha}$	Bodies	4.2.2.1	SUBSONIC	2	6	BØDYRT	Faired Between Subsonic and Supersonic
			TRANSONIC	1	6	BØDYRT	
			SUPERSONIC	1	19	SUPBØD	
			HYPERSONIC	1	25	HYPBØD	
$C_m$	Bodies	4.2.2.2	SUBSONIC	1	6	BØDYRT	
			TRANSONIC	NØM	19	SUPBØD	
			SUPERSONIC	1	26	HYPBØD	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

\*Subject of Section 4 of this volume

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_m, C_m$ $C_{m0}, C_{m0}$	Body Asymmetric	4.2.2.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NDM NDM	4	BØDØPT	*
$C_{D0}$	Bodies	4.2.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 2	6 6 19 26	BØDYRT BØDYRT SUPBØD HYPBØD	
$C_D$	Bodies	4.2.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 1	6 6 19 26	BØDYRT BØDYRT SUPBØD HYPBØD	Excludes Elliptical Cross Sections Excludes Spherically-Blunted Ogive Method
$C_{D0}, C_{D0}$	Body Asymmetric		SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NDM NDM	4	BØDØPT	*
$\alpha_0$	Wing-Body Asymmetric	4.3.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NDM NDM			

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED  
\*Subject of Section 4 of this volume

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{L\alpha}$	Wing-Body	4.3.1.2	SUBSONIC	1,2	7	WBLIFT	Method 1 Low AR, Method 2 Hi AR Uses Supersonic Method 1
			TRANSONIC	1	25	WBTRAN	
			SUPERSONIC	1	20	SUPWB	
			HYPERSONIC	1	20	SUPWB	
$C_L$	Wing-Body	4.3.1.3	SUBSONIC	1	7	WBLIFT	Linear Slope If No Exper. Data Uses Subsonic Method 1 Uses Subsonic Method 1
			TRANSONIC	NDM	35	WBCLB	
			SUPERSONIC	1	7	WBLIFT	
			HYPERSONIC	1	7	WBLIFT	
$C_{LMAX}$	Wing-Body	4.3.1.4	SUBSONIC	2	7	WBLIFT	
			TRANSONIC	NDM			
			SUPERSONIC	1	20	SUPWB	
			HYPERSONIC	NDM			
$C_{m0}$	Wing-Body	4.3.2.1	SUBSONIC	NDM			
			TRANSONIC	NDM			
			SUPERSONIC	NDM			
			HYPERSONIC	NDM			
$C_{m\alpha}$	Wing-Body	4.3.2.2	SUBSONIC	1	7	WBCM	Uses Supersonic Method
			TRANSONIC	1	25	TRANCM	
			SUPERSONIC	1	20	SUPWB	
			HYPERSONIC	1	20	SUPWB	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_m$	Wing-Body	4.3.2.3	SUBSONIC	NDM	7	WBCM	* See Section 4 for formula-tion of $(X_{ac}/c)_{WB}$
			TRANSONIC	NDM			
			SUPERSONIC	NDM			
			HYPERSONIC	NDM			
$C_{m_0}, C_m$	Wing-Body Asymmetric	4.3.2.4	SUBSONIC	NDM			
			TRANSONIC	NDM			
			SUPERSONIC	NDM			
			HYPERSONIC	NDM			
$C_{D_0}$	Wing-Body	4.3.3.1	SUBSONIC	1	7	WBDRAG	Uses Supersonic Method
			TRANSONIC	1			
			SUPERSONIC	1			
			HYPERSONIC	1			
$C_D$	Wing-Body	4.3.3.2	SUBSONIC	1	7	WBDRAG	Uses Supersonic Method
			TRANSONIC	1			
			SUPERSONIC	1			
			HYPERSONIC	1			
$\partial C_m / \partial \alpha, q/q_\infty$	Wing Flow Fields	4.4.1	SUBSONIC	1	9	DMASH, DYPRLS	
			TRANSONIC	1			
			SUPERSONIC	2			
			HYPERSONIC	NDM			

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

\*Subject of Section 4 of this volume



Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$\partial \epsilon / \partial \alpha$ Canards	Wing Flow Fields	4.4.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	3	9	DWASH	
				NDM 3 NDM	21	SDWASH	
$C_{L\alpha}$	Wing-Body-Tail	4.5.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1,2	10	WBTAIL	Method 1 for $b_w \gg b_H$ Linearized about $C_L = 0$ Method 2 for Canard Config
				1 1,2 NDM	35 28	TRAWBT SUPWBT	
$C_L$	Wing-Body-Tail	4.5.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	10	WBTAIL	Excludes Shock Expansion Method Uses Supersonic Method
				1 1 1 1	35 28 28	CLWBT SUPWBT SUPWBT	
$C_{L_{MAX}}$	Wing-Body-Tail	4.5.1.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NP			
				NP NP NP NP			
$C_{m\alpha}$	Wing-Body-Tail	4.5.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1,2	10	WBTAIL	Method 2 for Canard Config Linearized about $C_L = 0$ Method 2 for Canard Config Uses Supersonic Methods
				1 1,2 1,2	35 28 28	TRAWBT SUPWBT SUPWBT	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_m$	Wing-Body-Tail	4.5.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM	10	WBTAIL	*Extended Datcom Method
				NDM			
				NDM			
				NDM			
$C_{D0}$	Wing-Body-Tail	4.5.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	10	WBTAIL, VTDRAG	Untrimmed
				1			
				1			
				1			
$C_D$	Wing-Body-Tail	4.5.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	10	WBTAIL, CDWBT SUPWBT SUPWBT	*Same Method A11 Speeds Overlay 38 for Trim
				1			
				1			
				1			
$(\Delta C_L)_{POWER}$	A11	4.6.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	13,30	PRPWEF, JETPWE	
				NDM			
$(\Delta C_L)_{POWER_{max}}$	A11	4.6.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NP			
				NDM			
				NDM			
				NDM			

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

\*Subject of Section 4 of this volume

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$(\Delta C_m)$ POWER	A11	4.6.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	13,30	PRPWEF, JETPWE	
$(\Delta C_D)$ POWER	A11	4.6.4	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	13,30	PRPWEF, JETPWE	
$(\Delta C_L)$ GROUND	A11	4.7.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1,2 NDM NDM NDM	11	GRDEFF	See Datcom
$(\Delta C_{L_{MAX}})$ GROUND	A11	4.7.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NDM NDM			
$(\Delta C_m)$ GROUND	A11	4.7.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	11	GRDEFF	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$(\Delta C_D)_{GROUND}$	All	4.7.4	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	2 NDM NDM NDM	11	GRDEFF	
$\alpha_0$	Low Aspect Ratio Wings, Wing-Bodies	4.8.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	
$C_N$	Low Aspect Ratio Wings, Wing-Bodies	4.8.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	
$C_{A0}$	Low Aspect Ratio Wings, Wing-Bodies	4.8.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	
$C_A$	Low Aspect Ratio Wings, Wing-Bodies	4.8.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{m0}$	Low Aspect Ratio Wings, Wing-Bodies	4.8.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM	14	LØARWB	
				NDM			
				NDM			
				NDM			
$C_m$	Low Aspect Ratio Wings, Wing-Bodies	4.8.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	17	SUBLAT	Uses Supersonic Method
				NDM			
				NDM			
				NDM			
$C_{yB}$	Wings	5.1.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	23	SUPLAT	
				NDM			
				1			
				1			
$C_{y\theta\alpha}$	Wings	5.1.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM	23	SUPLAT	
				NDM			
				NDM			
				NDM			
$C_{L_B}$	Wings	5.1.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	17	SUBLAT	
				1			
				1			
				1			

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

\*Subject of Section 4 of this volume

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_L @ \alpha$	Wings	5.1.2.2	SUBSONIC	NDM			See Datcom for details
			TRANSONIC	NDM			
			SUPERSONIC	NDM			
			HYPERSONIC	NDM			
$C_{n_B}$	Wings	5.1.3.1	SUBSONIC	1	17	SUBLAT	Uses Supersonic Method
			TRANSONIC	NDM			
			SUPERSONIC	1	23	SUPLAT	
			HYPERSONIC	1	23	SUPLAT	
$C_n @ \alpha$	Wings	5.1.3.2	SUBSONIC	NDM			
			TRANSONIC	NDM			
			SUPERSONIC	NDM			
			HYPERSONIC	NDM			
$C_{YB}$	Wing-Bodies	5.2.1.1	SUBSONIC	1	17	SUBLAT	Uses Supersonic Method
			TRANSONIC	1	17	SUBLAT	
			SUPERSONIC	1	23	SUPLAT	
			HYPERSONIC	1	23	SUPLAT	
$C_l @ \alpha$	Wing-Bodies	5.2.1.2	SUBSONIC	NDM			See Datcom for Details
			TRANSONIC	NDM			
			SUPERSONIC	NP			
			HYPERSONIC	NDM			

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_L$ $\beta$	Wing-Bodies	5.2.2.1	SUBSONIC	1	17	SUBLAT	*Use Linear $C_L$ if No Exper Data USES SUPERSONIC METHOD
			TRANSONIC	1	35	WBCLB	
			SUPERSONIC	1	23	SUPLAT	
			HYPERSONIC	1	23	SUPLAT	
$C_D$ $\alpha$	Wing-Bodies	5.2.2.2	SUBSONIC	NDM			
			TRANSONIC	NDM			
			SUPERSONIC	NDM			
			HYPERSONIC	NDM			
$C_n$ $\beta$	Wing-Bodies	5.2.3.1	SUBSONIC	1	17	SUBLAT	Uses Supersonic Method
			TRANSONIC	1	17	SUBLAT	
			SUPERSONIC	1	23	SUPLAT	
			HYPERSONIC	1	23	SUPLAT	
$C_n$ $\alpha$	Wing-Bodies	5.2.3.2	SUBSONIC	NDM			} See Datcom for Details
			TRANSONIC	NDM			
			SUPERSONIC	NP			
			HYPERSONIC	NDM			
$C_Y$ $\beta$	Tail-Bodies	5.3.1.1	SUBSONIC	1,2	17	SUBLAT	Method 2 for Twin Vertical Panels (on wing only)
			TRANSONIC	NDM			
			SUPERSONIC	1			
			HYPERSONIC	NP	23	SUPLAT	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

\*Subject of Section 4 of this volume

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_y @ \alpha$	Tail-Bodies	5.3.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM			See Datcom for Details
				NDM			
				NP			
				NDM			
$C_{L\beta}$	Tail-Bodies	5.3.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	17	SUBLAT	
				NDM			
				1	23	SUPLAT	
				1	23	SUPLAT	
$C_L @ \alpha$	Tail-Bodies	5.3.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM			See Datcom for Details
				NDM			
				NDM			
				NDM			
$C_{n\beta}$	Tail-Bodies	5.3.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	17	SUBLAT	
				NDM			
				1	23	SUPLAT	
				1	23	SUPLAT	
$C_n @ \alpha$	Tail-Bodies	5.3.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM			See Datcom for Details
				NDM			
				NP			
				NDM			

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED



Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$(\frac{\partial C_D}{\partial B}) \frac{qV}{q_\infty}$	Tail-Bodies	5.4.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	17	SUBLAT	
$K_{Y \beta_0}$	Low Aspect Ratio Wing, Wing-Bodies	5.5.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	
$K_{Y \beta}$	Low Aspect Ratio Wing, Wing-Bodies	5.5.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	
$K'_{\beta \beta_0}$	Low Aspect Ratio Wing, Wing-Bodies	5.5.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	
$K'_{\beta \beta}$	Low Aspect Ratio Wing, Wing-Bodies	5.5.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$K'_{n\beta_0}$	Low Aspect Ratio Wings, Wing-Bodies	5.5.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	
$K'_{n\beta}$	Low Aspect Ratio Wings, Wing-Bodies	5.5.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	14	LØARWB	
$C_{Y\beta}$	Wing-Body-Tails	5.6.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM 1 NDM	17 23	SUBLAT SUPLAT	
$C_{Y\theta\alpha}$	Wing-Body-Tails	5.6.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NP NDM			} See Datcom for details
$C_{L\beta}$	Wing-Body-Tails	5.6.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM 1 NDM	17 23	SUBLAT SUPLAT	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{L\alpha}$	Wing-Body-Tails	5.6.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NDM NDM			
$C_{n\beta}$	Wing-Body-Tails	5.6.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM 1 NDM	17 23	SUBLAT SUPLAT	
$C_n$	Wing-Body-Tails	5.6.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NP NDM			See Datcom for details
$C_{L\delta}$	Section characteristics with control devices	6.1.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	36	LIFTFP	Jet Flaps in "JETFP" overlay 55
$C_{L\alpha}$	Section characteristics with control devices	6.1.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	36	LIFTFP	Jet Flaps in "JETFP" overlay 55

NDM-NO DATCOM METHOD      NF-NOT PROGRAMMED

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{l_{max}}$	Section characteristics with control devices	6.1.1.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	36	LIFTP	
$\Delta C_m$	Section characteristics with control devices	6.1.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	2	37, 55	FLAPCM	Jet Flaps in "JETFP" overlay 55
$C_{m_{\alpha}}$	Section characteristics with control devices	6.1.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	37, 55	FLAPCM	Jet Flaps in "JETFP" overlay 55
$C_m$ (near $C_{l_{max}}$ )	Section characteristics with control devices	6.1.2.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	37	FLAPCM	
$C_{h_{\alpha}}$	Section characteristics with control devices	6.1.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM 1 NDM	36 41	HINGE SSHING	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{h\delta}$	Section characteristics with control devices	5.1.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM 1 NDM	36 41	HINGE SSHING	
$(C_{h_f})_{\delta_t}$	Section characteristics with control devices	6.1.3.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NP NDM NDM NDM			
$(C_{h_t})_{\delta_f}$	Section characteristics with control devices	6.1.3.4	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NP NDM NDM NDM			
$C_{L\delta}$	Flapped Platform	6.1.4.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 NDM	36, 55 36 41	LIFTFP LIFTFP SSSYM	Jet Flaps in "JETFP" overlay 55
$C_{L\alpha}$	Flapped Platform	6.1.4.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	41, 55	SSSYM	Jet Flaps in "JETFP" overlay 55

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{L_{MAX}}$	Flapped Planform	6.1.4.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	36, 55	LIFTFP	Jet Flaps in "JETFP" overlay 55
$\Delta C_m$	Flapped Planform	6.1.5.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	2 1 1 NDM	37, 55 37 41	FLAPCM FLAPCM SSSYM	Jet Flaps in "JETFP" overlay 55
$C_{m_\alpha}$	Flapped Planform	6.1.5.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 1	37, 55 37 37 37	FLAPCM FLAPCM FLAPCM FLAPCM	Jet Flaps in "JETFP" overlay 55
$C_{h_\alpha}$	Flapped Planform	6.1.6.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM 1 NDM	36 41	HINGE SSHING	
$C_{h_\delta}$	Flapped Planform	6.1.6.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM 1 NDM	36 41	HINGE SSHING	

NDM-NO DATCOM METHOD NP-NOT PROGRAMMED

Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_D$	Flapped Planform	6.1.7	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NP NDM	38	DRAGFP	
$C_{L\delta}$	Flapped Planform	6.2.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 NDM	52 40 53	LATFLP TRNYRL SPRYAW	
$C_{L\delta H}$	Flapped Planform	6.2.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NP NP NDM	52	LATFLP	
$C_{n\delta}$	Flapped Planform	6.2.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 NDM	52 40 53	LATFLP TRNYRL SPRYAW	
$C_{y\delta}$	Flapped Planform	6.2.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NDM NDM			

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
Hypersonic Control Effectiveness	Tail-Bodies	6.3.1	SUBSONIC	NDM	42	HYPFLP	
			TRANSONIC	NDM			
Transverse-Jet Control Effectiveness	All	6.3.2	SUPERSONIC	NDM	47	TRANJT	
			HYPERSONIC	NDM			
Inertial Controls		6.3.3	SUBSONIC	NDM			
			TRANSONIC	NDM			
Aerodynamically Boosted Tabs	Tabbed Planform	6.3.4	SUPERSONIC	NDM	36	CTABS	Below Mach 0.9 (See Datcom)
			HYPERSONIC	NDM			
$C_{Lq}$	Wings	7.1.1.1	SUBSONIC	1	43	SUBPAW	Uses subsonic method
			TRANSONIC	1			
			SUPERSONIC	1			
			HYPERSONIC	NDM	43	SUPPAW	

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{mq}$	Wings	7.1.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	43	SUBPAW	
				1	43	SUBPAW	
				1	43	SUPCMQ	
$C_{yp}$	Wings	7.1.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	45	SUBRYW	
				NDM	45	SUPRYW	
$C_{lp}$	Wings	7.1.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	45	SUBRYW	
				NDM	45	SUPRYW	
$C_{np}$	Wings	7.1.2.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	45	SUBRYW	
				NDM	45	SUPRYW	
$C_{yr}$	Wings	7.1.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	45	SUBRYW	
				NDM	45	SUPRYW	
				1			
				NDM			

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{Lr}$	Wings	7.1.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	45	SUBRYW	
				NDM			
				NDM			
				NDM			
$C_{nr}$	Wings	7.1.3.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	45	SUBRYW	
				NDM			
				NDM			
				NDM			
$C_{L\alpha}$	Wings	7.1.4.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	43 43 44	SUBPAW SUBPAW SUPCLD	Triangular wings only
				1			
				1			
				NDM			
$C_{m\alpha}$	Wings	7.1.4.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	43 43 54	SUBPAW SUBPAW SUPCMD	Straight tapered wings only
				1			
				1			
				NDM			
$C_{Lq}$	Bodies	7.2.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1	43 43 43 43	SUBPAW SUBPAW SUPPAW SUPPAW	Uses subsonic method
				1			
				1			
				1			

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{m\dot{q}}$	Bodies	7.2.1.2	SUBSONIC	1	46	DYNBØD	Uses subsonic method
			TRANSONIC	1	46	DYNBØD	
			SUPERSONIC	1	46	DYNBØD	
			HYPERSONIC	1	46	DYNBØD	
$C_{L\dot{\alpha}}$	Bodies	7.2.2.1	SUBSONIC	1	46	DYNBØD	Uses subsonic method
			TRANSONIC	1	46	DYNBØD	
			SUPERSONIC	1	46	DYNBØD	
			HYPERSONIC	1	46	DYNBØD	
$C_{m\ddot{\alpha}}$	Bodies	7.2.2.2	SUBSONIC	1	46	DYNBØD	Uses subsonic method
			TRANSONIC	1	46	DYNBØD	
			SUPERSONIC	1	46	DYNBØD	
			HYPERSONIC	1	46	DYNBØD	
$C_{L\dot{q}}$	Wing-Bodies	7.3.1.1	SUBSONIC	1	46	DNPWB	Uses subsonic method
			TRANSONIC	1	46	DNAPWB	
			SUPERSONIC	1	46	DNPWB	
			HYPERSONIC	NDM			
$C_{m\ddot{q}}$	Wing-Bodies	7.3.1.2	SUBSONIC	1	46	DNPWB	Uses subsonic method
			TRANSONIC	1	46	DNPWB	
			SUPERSONIC	1	46	DNPWB	
			HYPERSONIC	NDM			

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{y_p}$	Wing-Bodies	7.3.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM	45	SUBRYW	Uses wing method (7.1.2.1)
				1 NDM	45	SUPRYW	Uses wing method (7.1.2.1)
$C_{z_p}$	Wing-Bodies	7.3.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM	45	SUBRYW	Uses wing method (7.1.2.2)
				1 NDM	45	SUPRYW	Uses wing method (7.1.2.2)
$C_{n_p}$	Wing-Bodies	7.3.2.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM	45	SUBRYW	Uses wing method (7.1.2.3)
				1 NDM	45	SUPRYW	Uses wing method (7.1.2.3)
$C_{y_r}$	Wing-Bodies	7.3.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NDM NDM			
$C_{z_r}$	Wing-Bodies	7.3.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	45	SUBRYW	Uses wing method (7.1.3.2)

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{n_r}$	Wing-Bodies	7.3.3.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	45	SUBRYW	Uses wing method (7.1.3.3)
$C_{L_\alpha}$	Wing-Bodies	7.3.4.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 NDM	46 46 46	DNPWB DNPWB DNPWB	Uses subsonic method
$C_{m_\alpha}$	Wing-Bodies	7.3.4.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 1 1 NDM	46 46 46	DNPWB DNPWB DNPWB	Uses subsonic method
$C_{L_q}$	Wing-Body- Tails	7.4.1.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1, 2 1, 2 1, 2 NDM	46 46 46	DNPWBT DNPWBT DNPWBT	{ All use subsonic methods. Method 2 for canard config.
$C_{m_q}$	Wing-Body- Tails	7.4.1.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1, 2 1, 2 1, 2 NDM	46 46 46	DNPWBT DNPWBT DNPWBT	{ All use subsonic methods. Method 2 for canard config.

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{y_p}$	Wing-Body-Tails	7.4.2.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	2 NDM NDM NDM	46	SUBWBT	
$C_{x_p}$	Wing-Body-Tails	7.4.2.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	46	SUBWBT	
$C_{n_p}$	Wing-Body-Tails	7.4.2.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	2 NDM NDM NDM	46	SUBWBT	
$C_{y_r}$	Wing-Body-Tails	7.4.3.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NP NDM NDM NDM			
$C_{x_r}$	Wing-Body-Tails	7.4.3.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	46	SUBWBT	

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Table 1 SUMMARY OF DIGITAL DATCOM METHODS

AERODYNAMIC PARAMETER	CONFIGURATION	DATCOM SECTION	MACH REGIME	METHOD NUMBER	OVERLAY	SUBROUTINE	REMARKS
$C_{n_r}$	Wing-Body-Tails	7.4.3.3	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1 NDM NDM NDM	46	SUBWBT	
$C_{L_\alpha}$	Wing-Body-Tails	7.4.4.1	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1, 2 1, 2 1, 2 NDM	46 46 46	DNPWBT DNPWBT DNPWBT	ALL use subsonic methods. Method 2 for canard config.
$C_{m_\alpha}$	Wing-Body-Tails	7.4.4.2	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	1, 2 1, 2 1, 2 NDM	46 46 46	DNPWBT DNPWBT DNPWBT	ALL use subsonic methods. Method 2 for canard config.
Control surface angular velocity derivatives		7.5	SUBSONIC TRANSONIC SUPERSONIC HYPERSONIC	NDM NDM NDM NDM			

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TABLE 2 OVERLAYS DEFINING EACH OF THE BASIC OUTPUT SUBSONIC PARAMETERS

CONFIGURATION	STATIC STABILITY										STATIC STABILITY DERIV										DYNAMIC STABILITY DERIVATIVES									
	GD	CL	Cm	CN	CA	CL <sub>a</sub>	Cm <sub>a</sub>	CY <sub>β</sub>	C <sub>nβ</sub>	C <sub>Lβ</sub>	CL <sub>q</sub>	Cm <sub>q</sub>	CL <sub>q̇</sub>	Cm <sub>q̇</sub>	CL <sub>p</sub>	CY <sub>p</sub>	C <sub>n<sub>p</sub></sub>	C <sub>L<sub>r</sub></sub>												
	4	4	4	4	4	4	4	4	4	4	4	4	4	4	4	4	4	4												
ASY. BODY - B	6	6	6	6	6	6	6	6	6	6	6	6	6	6	6	6	6	6	46											
SYM. WING - W	3	15	31	15	31	15	31	17	17	17	43	43	43	43	45	45	45	46												
HORIZONTAL TAIL-HT	5	16	33	16	33	16	33	17	17	17	46	46	46	46	46	46	46	46												
VERTICAL TAIL-VT OR VENTRAL FIN-F	8	8	8	8	8	8	8	17	17	17	46	46	46	46	46	46	46	46												
B+W OR LOW AR WING-BODY	7,11	7,11	7,11	7,11	7,11	7,11	7,11	17	17	17	46	46	46	46	46	46	46	46												
B+H	7	7	7	7	7	7	7	17	17	17	46	46	46	46	45	46	46	46												
B+V OR B+V+F	7	7	7	7	7	7	7	17	17	17	46	46	46	46	46	46	46	46												
B+W+H	10	10	10	10	10	10	10	17	17	17	46	46	46	46	46	46	46	46												
B+W+V OR B+W+V+F	10	10	10	10	10	10	10	17	17	17	46	46	46	46	46	46	46	46												
B+W+H+V OR B+W+H+V+F	10	10	10	10	10	10	10	17	17	17	46	46	46	46	45	46	46	46												
POWER INCREMENTS	ΔC <sub>D</sub> 13.30	ΔC <sub>L</sub> 13.30	ΔC <sub>m</sub> 13.30	ΔC <sub>n</sub> 13.30	ΔC <sub>A</sub> 13.30	ΔC <sub>L<sub>a</sub></sub> 13.30	ΔC <sub>m<sub>a</sub></sub> 13.30	ΔC <sub>Y<sub>β</sub></sub>	ΔC <sub>nβ</sub>	ΔC <sub>Lβ</sub>																				
DOWNWASH DATA	q/q <sub>∞</sub>	ε	∂ε/∂x																											



TABLE 3 OVERLAYS DEFINING EACH OF THE BASIC TRANSONIC OUTPUT PARAMETERS

CONFIGURATION	STATIC STABILITY						STATIC STABILITY DERIV						DYNAMIC STABILITY DERIVATIVES						
	C <sub>D</sub>	C <sub>L</sub>	C <sub>m</sub>	C <sub>N</sub>	C <sub>A</sub>	C <sub>L<sub>a</sub></sub>	C <sub>m<sub>a</sub></sub>	C <sub>Y<sub>β</sub></sub>	C <sub>ng</sub>	C <sub>l<sub>β</sub></sub>	C <sub>L<sub>q</sub></sub>	C <sub>m<sub>q</sub></sub>	C <sub>L<sub>δ</sub></sub>	C <sub>m<sub>δ</sub></sub>	C <sub>L<sub>p</sub></sub>	C <sub>Y<sub>p</sub></sub>	C <sub>n<sub>p</sub></sub>	C <sub>n<sub>r</sub></sub>	C <sub>L<sub>r</sub></sub>
BODY · B	24			L2	L2	24	24	24	24	24	46	46	46	46					46
WING · W	24	L2		L2	L2	24	25		L2	43	43	43	43						
HORIZONTAL TAIL—HT	24	L2		L2	L2	24	25		L2	46	46	46	46						
VERTICAL TAIL·VT OR VENTRAL FINF	L2	35	35	35	35	35	35			46	46	46	46						
B·W	24	35		L2	L2	25	25	17	17	46	46	46	46						
B·H	24	35		L2	L2	25	25	17	17	46	46	46	46						
B·V OR B·V·F	L2	L2		L2	L2	35	35			46	46	46	46						
B·W·H	L2	L2		L2	L2	35	35			46	46	46	46						
B·W·V OR B·W·V·F	L2	L2		L2	L2	35	35			46	46	46	46						
B·W·H·V OR B·W·H·V·F	L2	L2		L2	L2	35	35			46	46	46	46						
POWER INCREMENTS	ΔC <sub>D</sub>	ΔC <sub>L</sub>	ΔC <sub>m</sub>	ΔC <sub>N</sub>	ΔC <sub>A</sub>	ΔC <sub>L<sub>a</sub></sub>	ΔC <sub>m<sub>a</sub></sub>	ΔC <sub>Y<sub>β</sub></sub>	ΔC <sub>ng</sub>	ΔC <sub>l<sub>β</sub></sub>									
DOWNWASH DATA	θ/ε <sub>∞</sub>	ε	∂ε/∂α																

L2 · SECOND LEVEL METHODS, OVERLAY 35

TABLE 4 OVERLAYS DEFINING EACH OF THE BASIC SUPERSONIC-HYPERSONIC OUTPUT PARAMETERS

CONFIGURATION	STATIC STABILITY					STATIC STABILITY DERIV.					DYNAMIC STABILITY DERIVATIVES							
	C <sub>D</sub>	C <sub>L</sub>	C <sub>m</sub>	C <sub>N</sub>	C <sub>A</sub>	C <sub>L<sub>α</sub></sub>	C <sub>m<sub>α</sub></sub>	C <sub>y<sub>β</sub></sub>	C <sub>n<sub>β</sub></sub>	C <sub>l<sub>β</sub></sub>	C <sub>L<sub>q</sub></sub>	C <sub>m<sub>q</sub></sub>	C <sub>L<sub>α̇</sub></sub>	C <sub>m<sub>α̇</sub></sub>	C <sub>L<sub>p</sub></sub>	C <sub>y<sub>p</sub></sub>	C <sub>n<sub>p</sub></sub>	C <sub>l<sub>r</sub></sub>
BODY B SUPERSONIC	19	19	19	19	19	19	19	19	19	19	46	46	46	46				
BODY B HYPERSONIC	26	26	26	26	26	26	26	26	26	26								46
WING W	27	27		27	27	27	27	23	23	23	43	43	44	54	45	45	45	
HORIZONTAL TAIL-HT	22	22		22	22	22	22	23	23	23	46	46	46	46	45	45	45	
VERTICAL TAIL-VT OR VENTRAL FIN-F	20	20	20	20	20	20	20	23	23	23	46	46	46	46				
B+W	20	20		20	20	20	20	23	23	23	46	46	46	46	45	45	45	
B+H	20	20		20	20	20	20	23	23	23	46	46	46	46	45	45	45	
B+V OR B+V+F	20	20		20	20	20	20	23	23	23	46	46	46	46				
B+W+H	28	28		28	28	28	28	23	23	23	46	46	46	46				
B+W+V OR B+W+V+F	20	20		20	20	20	20	23	23	23	46	46	46	46				
B+W+H+V OR B+W+H+V+F	28	28		28	28	28	28	23	23	23	46	46	46	46				
POWER INCREMENTS	ΔC <sub>D</sub>	ΔC <sub>L</sub>	ΔC <sub>m</sub>	ΔC <sub>N</sub>	ΔC <sub>A</sub>	ΔC <sub>L<sub>α</sub></sub>	ΔC <sub>m<sub>α</sub></sub>	ΔC <sub>y<sub>β</sub></sub>	ΔC <sub>n<sub>β</sub></sub>	ΔC <sub>l<sub>β</sub></sub>								
DOWNWASH DATA	α/δ <sub>∞</sub>	ε	α/δ <sub>∞</sub>															
	21	21	21															

## SECTION 2

### PROGRAM ORGANIZATION

The Digital Datcom program consists of a MAIN program, EXECUTIVE subroutines, METHOD subroutines and UTILITY subroutines. The organization and interfaces between these program components are shown in Figure 1. The MAIN program performs executive functions that control and direct all computations; the EXECUTIVE subroutines perform noncomputational tasks, which include input data manipulation and selection of output formats; UTILITY subroutines perform standard mathematical computations; and METHOD subroutines implement the Datcom stability methods.

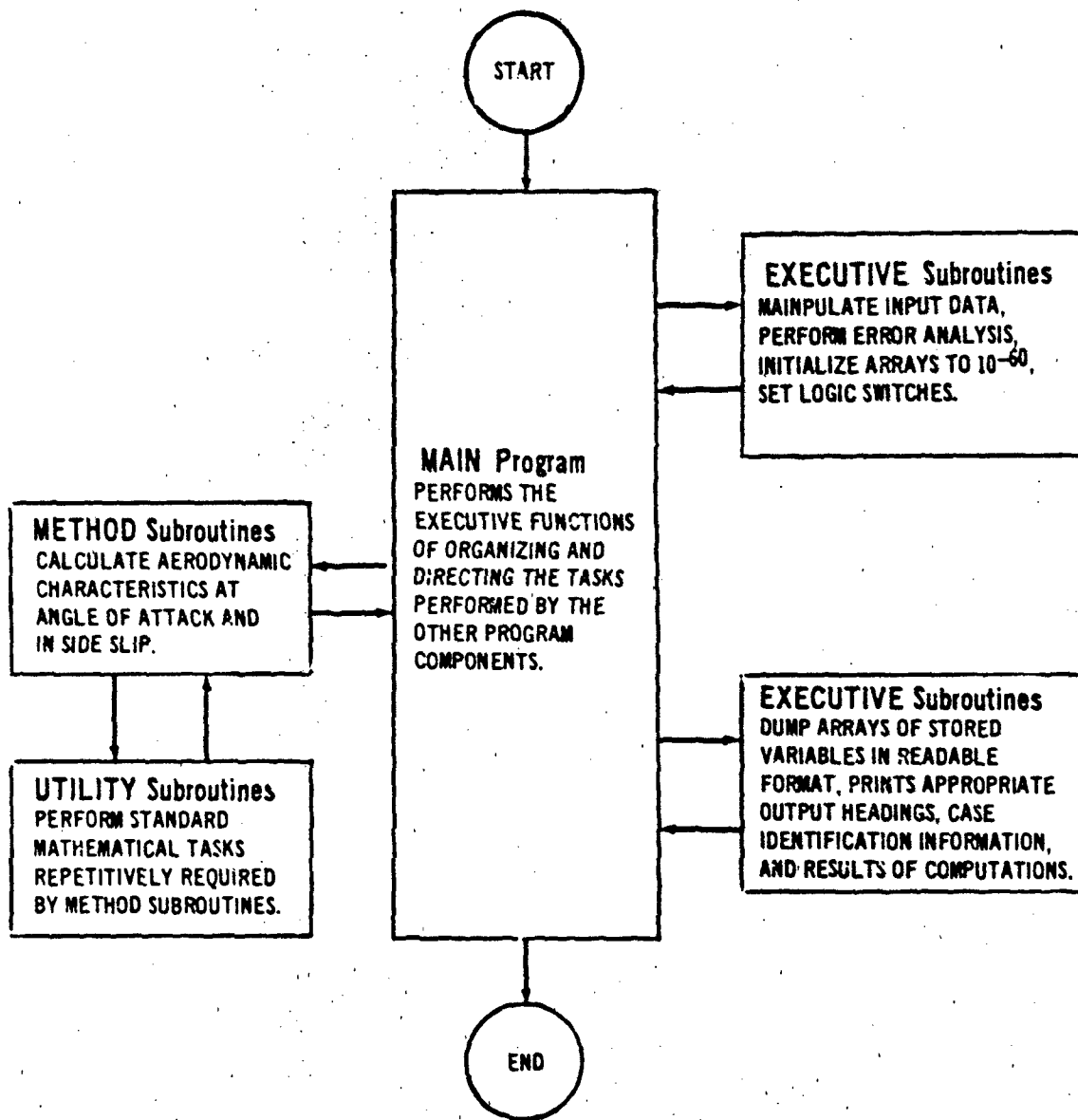


FIGURE 1 OVERLAY PROGRAM STRUCTURE

## SECTION 3

### EQUATIONS FOR GEOMETRIC PARAMETERS

One of the main features of the Digital Datcom program is that a minimum of input data are required. Minimal inputs require the program to calculate basic geometric parameters required by the Datcom methods. Equations for pertinent geometric parameters are defined in this section.

#### 3.1 PLANFORM PARAMETERS

The nomenclature used in the equations for calculating theoretical and exposed planform areas, taper ratios and aspect ratios are shown in Figure 2. Equations for these parameters are presented below for a double delta or cranked planform. Straight-tapered planform parameters are obtained by setting  $b_o^*/2 = 0.0$ ,  $C_b = C_t$ ,  $A_o^* = 1.0$  in the following equations:

$$b_b/2 = b/2 - b_o^*/2$$

$$b_b^*/2 = b^*/2 - b_o^*/2$$

$$r_b^* = (b_b^*/2)/(b_b/2)$$

$$\lambda_I = C_b/C_r$$

$$C_r^* = C_r[\lambda_I + (1 - \lambda_I) r_b^*]$$

$$\lambda_I^* = C_b/C_r^*$$

$$\lambda_o^* = C_t/C_b$$

$$\lambda_w^* = \lambda_I^* \lambda_o^*$$

$$\lambda_w = C_t/C_r$$

$$S_I^* = (C_r^* + C_b) b_b^*/2$$

$$S_I = (C_r + C_b) b_b/2$$

$$S_o^* = (C_b + C_t) b_o^*/2$$

$$S_w^* = S_I^* + S_o^*$$

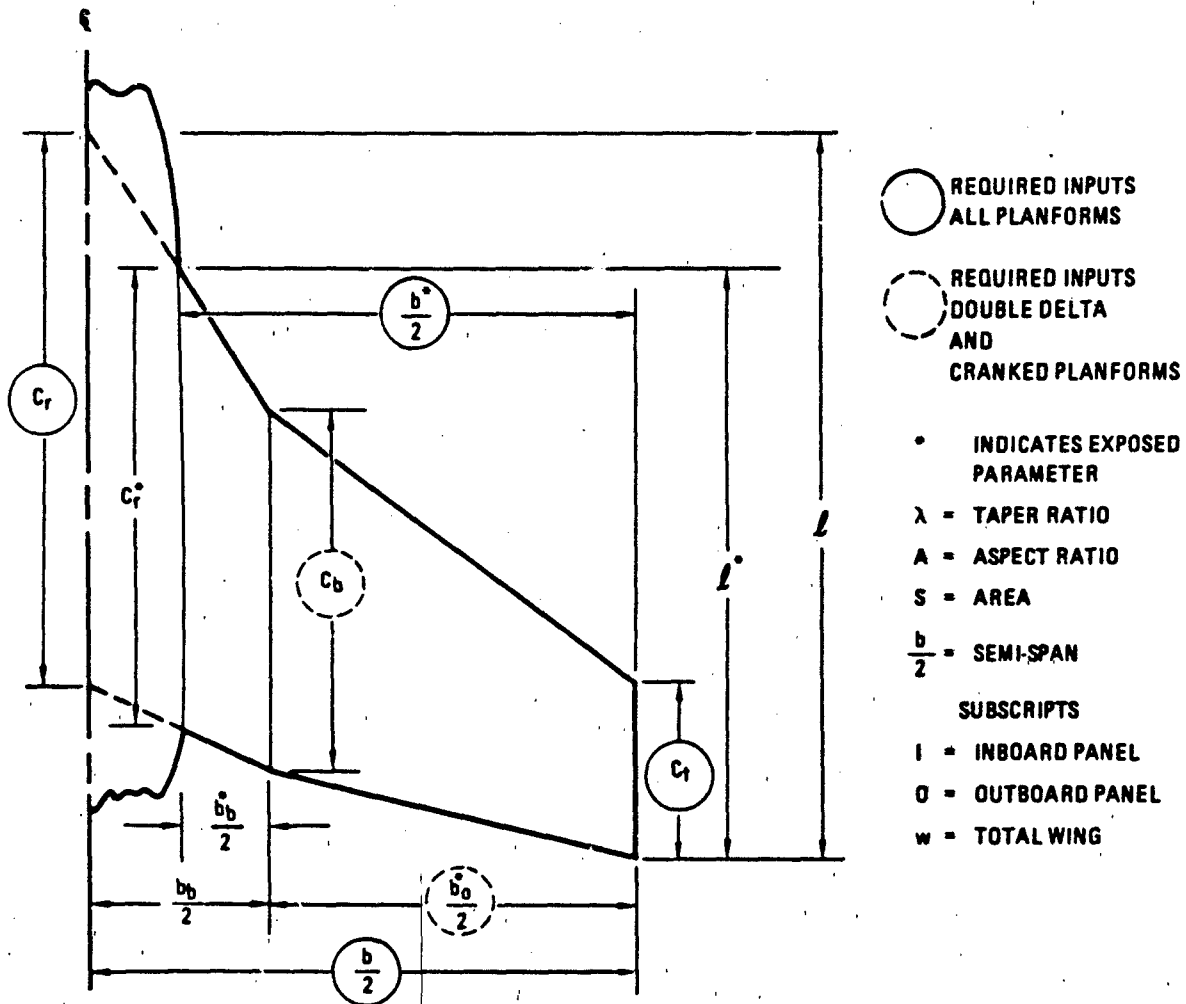


FIGURE 2 PLANFORM NOMENCLATURE

$$S_W = (C_r + C_b) b_b/2 + S_o^*$$

$$A_I^* = 4(b_b^*/2)^2/S_I^*$$

$$A_o^* = 4(b_o^*/2)^2/S_o^*$$

$$A_W^* = 4(b^*/2)^2/S_W^*$$

$$A_W = 4(b/2)^2/S_W$$

Datcom methods use correlations that are based on wing sweep angles measured at various chordlines. The nomenclature used to calculate sweep angles is presented in Figure 3. Sweep angle equations are presented below for a double delta or cranked wing. To obtain straight taper wing sweep angles set  $C_o$  and  $\Lambda_{n_o} = 0$  in the following equations:

$$C_I = 4(1 - \lambda^*_I) / [A^*_I(1 + \lambda^*_I)]$$

$$C_o = 4(1 - \lambda^*_o) / [A^*_o(1 + \lambda^*_o)]$$

$$\Lambda_{n_I} = \tan^{-1}[C_I(m-n) + \tan \Lambda_{m_I}]$$

$$\Lambda_{n_o} = \tan^{-1}[C_o(m-n) + \tan \Lambda_{m_o}]$$

$$(\Lambda_n)^*_{eff} = \cos^{-1}[(S_I^* \cos \Lambda_{n_I} + S_o^* \cos \Lambda_{n_o}) / S^*]$$

The nomenclature used to calculate the exposed mean aerodynamic chord (MAC) for a double delta or cranked wing is shown in Figure 4. The parameters necessary to define the lateral and longitudinal location of the exposed MAC are included. Equations to calculate and locate the MAC are presented below. To obtain values for a straight-tapered wing set  $C^*_o = 0$ ,  $Y^*_o = 0$ ,  $S^*_o = 0$  in the equations below:

$$\bar{C}_I^* = 2C_r^*(1 + \lambda_I^* + \lambda_I^{*2}) / 3(1 + \lambda_I^*)$$

$$\bar{C}_o^* = 2C_b(1 + \lambda_o^* + \lambda_o^{*2}) / 3(1 + \lambda_o^*)$$

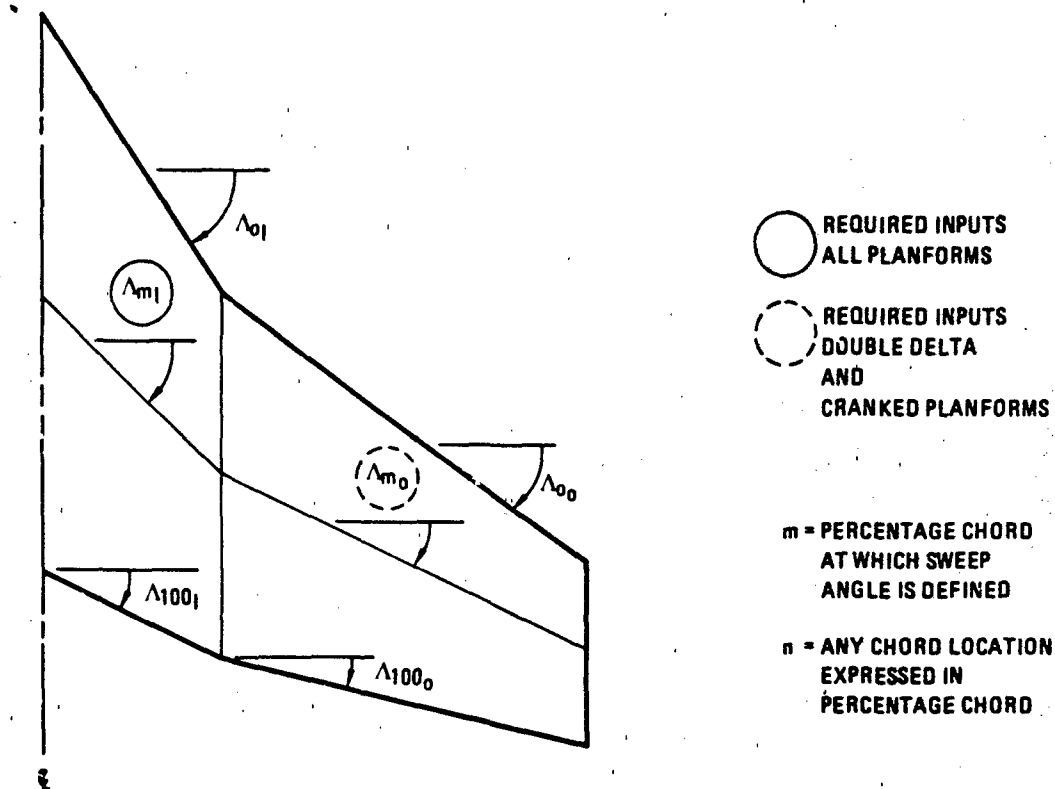


FIGURE 3 SWEEP ANGLE NOMENCLATURE



$$\begin{aligned}
\bar{C}_W^* &= (S_I^* \bar{C}_I^* + S_O^* \bar{C}_O^*) / S^* \\
\bar{Y}_I^* &= (b_b^*/2)(1 + 2\lambda_I^*) / 3(1 + \lambda_I^*) \\
\bar{Y}_O^* &= (b_o^*/2)(1 + 2\lambda_o^*) / 3(1 + \lambda_o^*) + b_b^*/2 \\
\bar{Y}^* &= (S_I^* \bar{Y}_I^* + S_O^* \bar{Y}_O^*) / S^* \\
X_r^* &= [S_I^* \bar{Y}_I^* \tan\Lambda_{o_I} + S_O^* (b_b^*/2 \tan\Lambda_{o_I} + (\bar{Y}_O^* - b_b^*/2) \tan\Lambda_{o_o})] / S^* \\
\bar{X}^* &= \bar{C}_W^* / 2 + X_r^* \\
\bar{X}_r^* &= \bar{C}_W^* / 4 + X_r^*
\end{aligned}$$

The theoretical or reference mean aerodynamic chord is calculated with nomenclature of Figure 5 as follows:

$$\begin{aligned}
\bar{C}_I &= 2C_r(1 + \lambda_I + \lambda_I^2) / 3(1 + \lambda_I) \\
\bar{C}_r &= (S_I \bar{C}_I + S_O \bar{C}_O) / S_r \\
\bar{X}_r &= \bar{C}_r / 4 + X_r
\end{aligned}$$

Special geometric parameters are required to calculate wing pitching moments. The nomenclature used to define these parameters is presented in Figure 6. Equations for these parameters are presented below:

$$\begin{aligned}
C_r^* &= (b_b^*/2 \tan\Lambda_{o_I} + b_o^*/2 \tan\Lambda_{o_o}) / C_r^* \\
A_I &= 4(b_b^*/2)^2 / S_I \\
\Delta Y' &= b_b^*/4 \\
(b_o^*/2)' &= b_b^*/4 + b_o^*/2
\end{aligned}$$

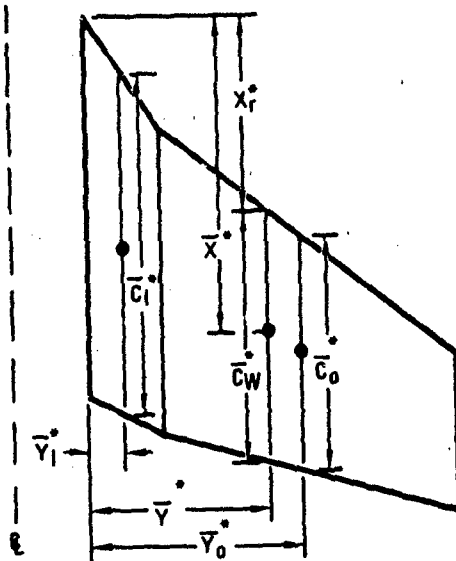


FIGURE 4 EXPOSED MEAN AERODYNAMIC CHORD NOMENCLATURE

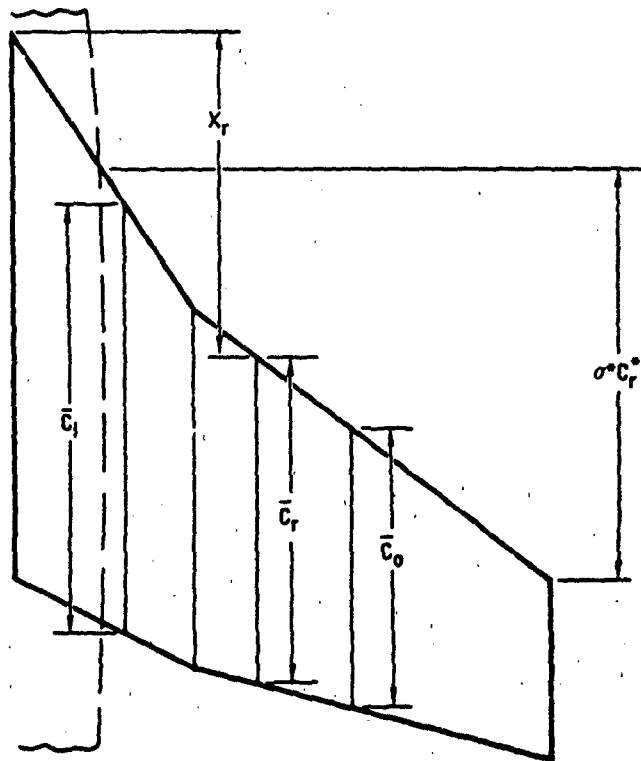


FIGURE 5 THEORETICAL OR REFERENCE MEAN AERODYNAMIC CHORD NOMENCLATURE

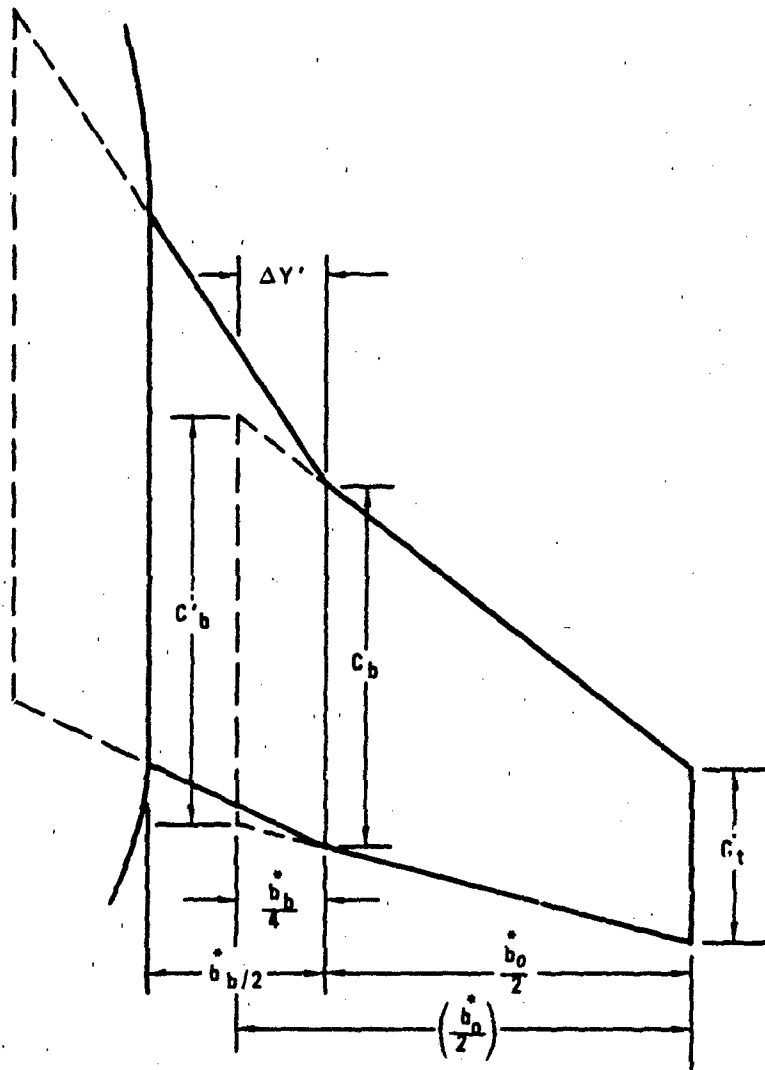


FIGURE 6 SPECIAL WING PITCHING MOMENT GEOMETRY

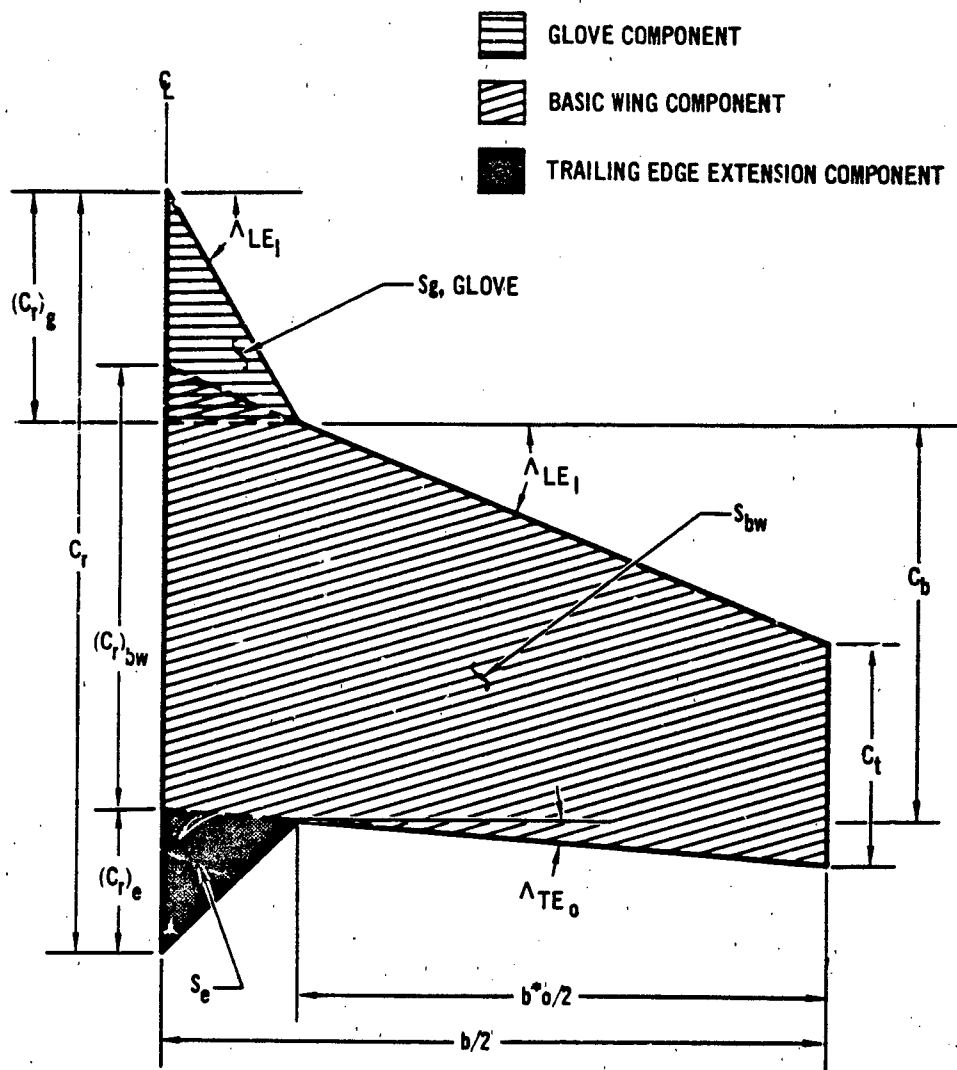


FIGURE 7 SUPERSONIC NON-STRAIGHT WING PLANFORM ( $\Lambda_{LE_0} < \Lambda_{LE_1}$ )

$$C_b' = C_t + (b_o^*/2)' \left[ \frac{C_b - C_t}{b_o^*/2} \right]$$

$$(S_o^*)' = (C_b' + C_t) (b_o^*/2)'$$

$$(A_o)' = 4[(b_o^*/2)']^2 / (S_o^*)'$$

$$(\lambda_o^*)' = C_t / C_b'$$

Supersonic nonstraight wing analyses require the wing to be synthesized from basic wing, glove, and trailing edge extension components as shown on Figure 7. When the leading edge outboard sweep angle is greater than the leading edge inboard sweep angle, an additional geometric parameter,  $S_2$ , is required and is shown in Figure 8. Equations for calculating geometric parameters for the various wing components as required by the stability methods are presented below:

#### All Planforms

$$(C_r^*)_{bw} = C_b + \left[ \frac{b^*}{2} - \frac{b_o^*}{2} \right] [\tan \Lambda_{LE_o} - \tan \Lambda_{TE_o}]$$

basic  
wing  
component

$$S_{bw}^* = \frac{[(C_r^*)_{bw} + C_t] b^*}{2}$$

$$A_{bw}^* = \frac{b^{*2}}{S_{bw}^*}$$

$$\lambda_{bw}^* = \frac{C_t}{(C_r^*)_{bw}}$$

glove  
component

$$(C_r^*)_g = (\tan \Lambda_{LE_I}) \left( \frac{b^*}{2} - \frac{b_o^*}{2} \right)$$

$$S_g^* = (C_r^*)_g \left( \frac{b^*}{2} - \frac{b_o^*}{2} \right)$$

$$A_g^* = \frac{4 \left[ \frac{b^*}{2} - \frac{b_o^*}{2} \right]^2}{S_g^*}$$

$$\lambda_g = 0$$

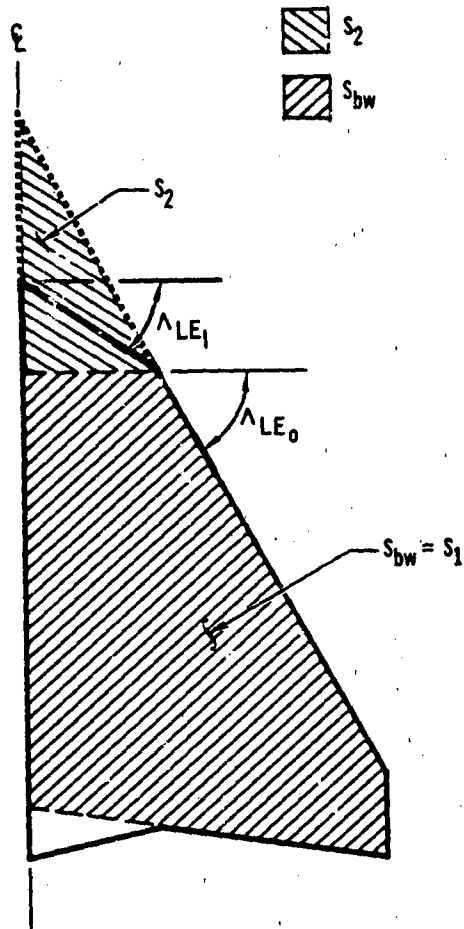


FIGURE 8 SUPERSONIC NON-STRAIGHT WING PLANFORM ( $\Delta LE_0 > \Delta LE_1$ )

trailing  
edge  
extension  
span

$$b_e^* = 2 \left( \frac{b^*}{2} - \frac{b_0^*}{2} \right)$$

$$\text{If } \Lambda_{LE_0} > \Lambda_{LE_I} \quad S^*_2 = \left[ \frac{b^*}{2} - \frac{b_0^*}{2} \right] (\tan \Lambda_{LE_0})$$

$$S_1 = S_{bw}$$

Geometric parameters required for horizontal and vertical tail analyses are identical to those for wings. Tail parameters can be calculated by substituting tail geometry for wing geometry in the wing equations. Vertical tail lateral stability calculations require additional geometry parameters as shown in Figures 9a and 9b. Equations are listed below:

Straight Tapered Vertical Tail

$$C_v = C_r - (C_r - C_t)(Z_H)/(b_v/2)$$

$$X = X_H + (\bar{X}_R)_v - X_v - Z_H (\tan \Lambda_{LE_I})$$

Non-Straight Vertical Tail

$$\text{If } Z_H > \frac{b_v}{2} - \frac{b_0^*}{2}$$

$$X = X_H + (\bar{X}_R)_v - X_v - \left( \frac{b_v}{2} - \frac{b_0^*}{2} \right) (\tan \Lambda_{LE_I}) - \left( Z_H + \frac{b_0^*}{2} - \frac{b_v}{2} \right) \tan \Lambda_{LE_0}$$

$$C_v = C_t + (C_b - C_t) \left( \frac{b_v}{2} - Z_H \right) / \left( \frac{b_0^*}{2} \right)$$

$$\text{If } Z_H < \frac{b_v}{2} - \frac{b_0^*}{2}$$

$$X = X_H + \bar{X}_R - X_v - Z_H (\tan \Lambda_{LE_0})$$

$$C_v = C_r - (C_r - C_b)(Z_H) / \left( \frac{b_v}{2} - \frac{b_0^*}{2} \right)$$

For a horizontal lifting surface, an equivalent dihedral is defined as follows:

$$\Gamma_{eq} = \frac{\Gamma_1 \left( \frac{b_1^*}{2} \right) + \Gamma_0 \left( \frac{b_0^*}{2} \right) \Gamma_0}{\frac{b^*}{2}}$$

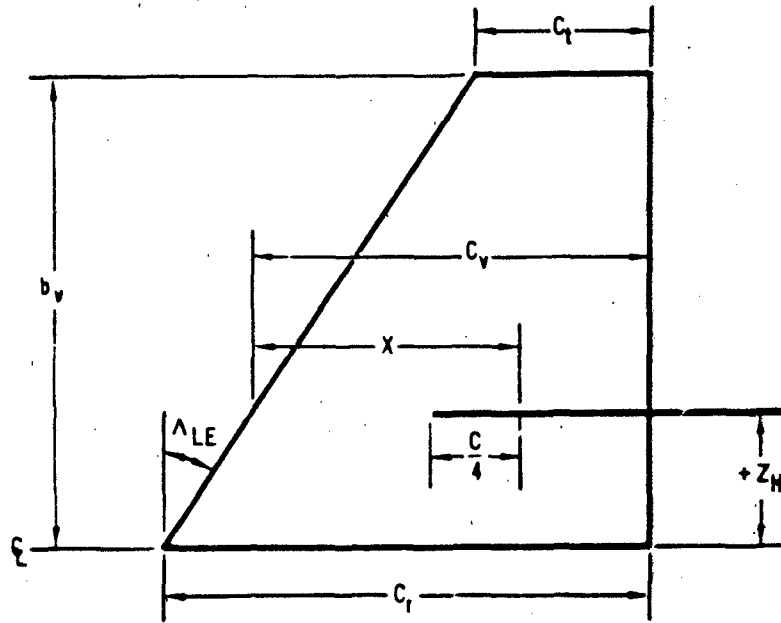


FIGURE 9(a) STRAIGHT TAPERED VERTICAL TAIL GEOMETRY

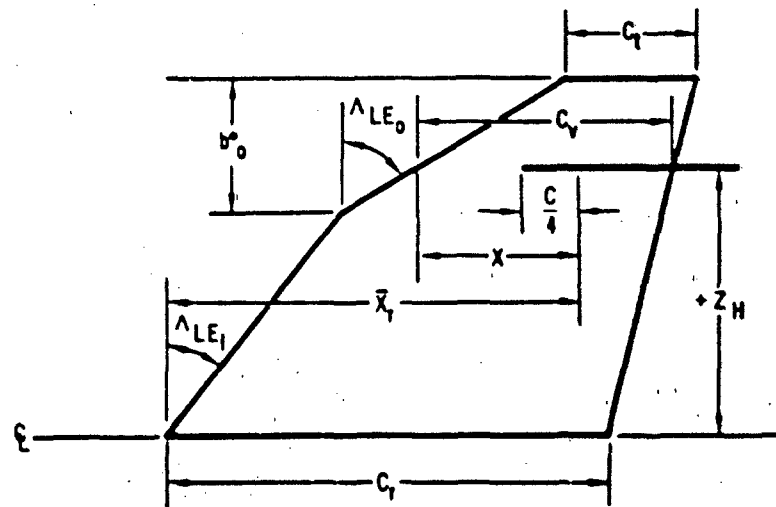


FIGURE 9(b) NON-STRAIGHT TAPERED VERTICAL TAIL GEOMETRY



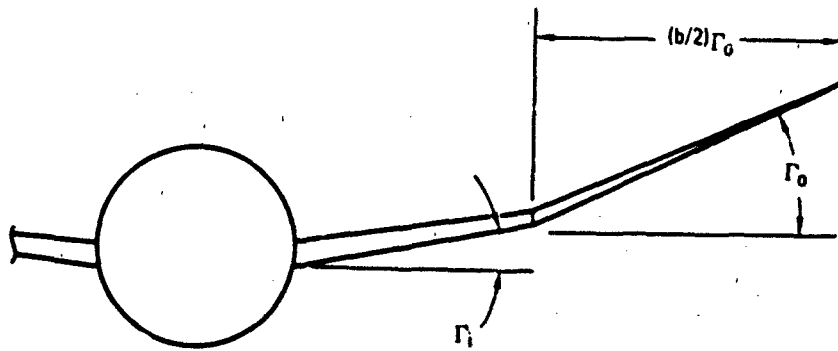


FIGURE 10 EQUIVALENT DIHEDRAL ANGLE NOMENCLATURE

### 3.2 BODY PARAMETERS

Longitudinal stability analyses for bodies in the supersonic and hypersonic speed regimes require the body to be synthesized in nose, afterbody, and tail segment components as defined in Figure 11. Geometry parameters for the various body segments analyses are defined below:

$$l'_B = l_N + l_A$$

$$l_{BT} = l_B - l'_B$$

$$d_{cyl} = \frac{d_1 + d_N}{2}$$

$$S_p = 2 \int_0^{l_B} r_x (dx) \quad \text{Body planform area}$$

$$S_b = \frac{\pi d_2^2}{4} \quad \text{Body base area}$$

$$x_c = \frac{2 \int_0^{l_B} r_x x (dx)}{S_p} \quad \text{Distance from nose of body to centroid of planform area}$$

$$V_B = \int_0^{l_B} s_x (dx) \quad \text{Volume of body}$$

If  $d_2 > d_1$ , calculate flare angle  $\theta_f = \text{TAN}^{-1} \left[ \frac{.5(d_2 - d_1)}{l_{BT}} \right]$

If  $d_2 < d_1$ , calculate boattail angle  $\theta_B = \text{TAN}^{-1} \left[ \frac{.5(d_1 - d_2)}{l_{BT}} \right]$

### 3.3 GENERAL SYNTHESIS PARAMETERS

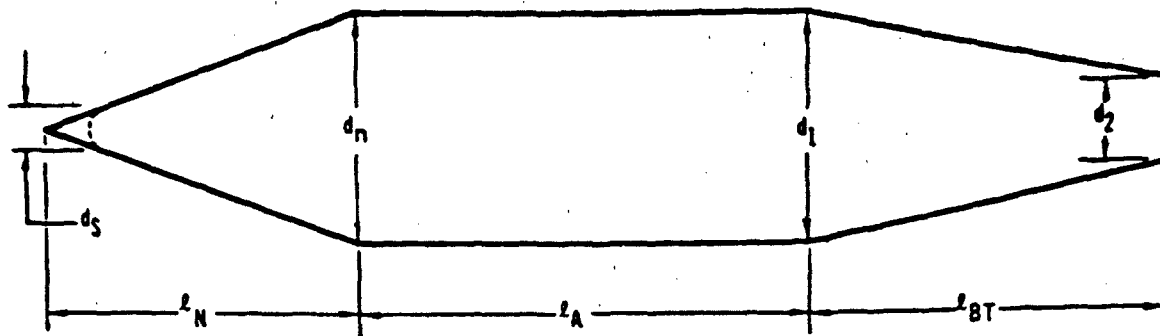
Synthesizing and interference nomenclature for longitudinal and lateral stability calculations are defined in Figure 12. The geometric parameters are presented in equation format below:

$$\Delta X_w = (b/2 - b^*/2) \text{TAN } \Lambda_{o_I} \text{ COS } (\alpha_1)_w$$

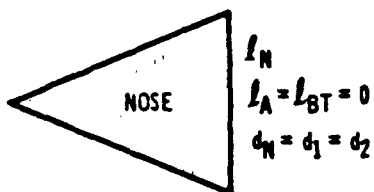
$$\Delta X_{cg} = X_{cg} - (X_w + \Delta X_w)$$

$$(X_{ac})_w = (X_{ac}/C^*)_{rw} C^*_r; \text{ where } (X_{ac}/C^*)_{rw} \text{ is calculated in wing pitching}$$

moment subroutine



POSSIBLE SUPERSONIC AND HYPERSONIC BODY CONFIGURATIONS



NOTES:

NOSE AND TAIL SEGMENTS MAY BE CONICAL (AS SHOWN) OR OGIVAL.

DIAMETERS  $d_N$ ,  $d_1$ , AND  $d_2$  ARE COMPUTED FROM LINEAR INTERPOLATION OF INPUTS  $x_i$  VS  $R$

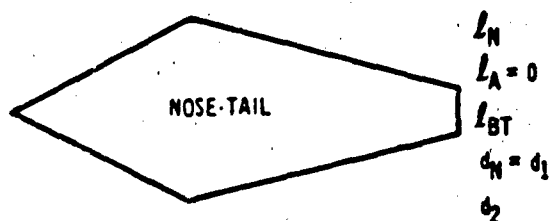
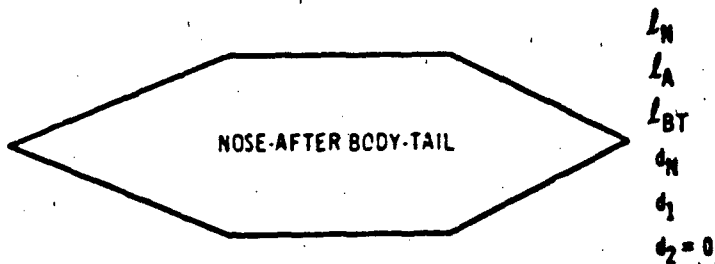
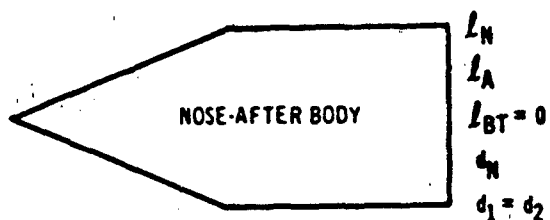


FIGURE 11 SUPERSONIC AND HYPERSONIC BODY GEOMETRY

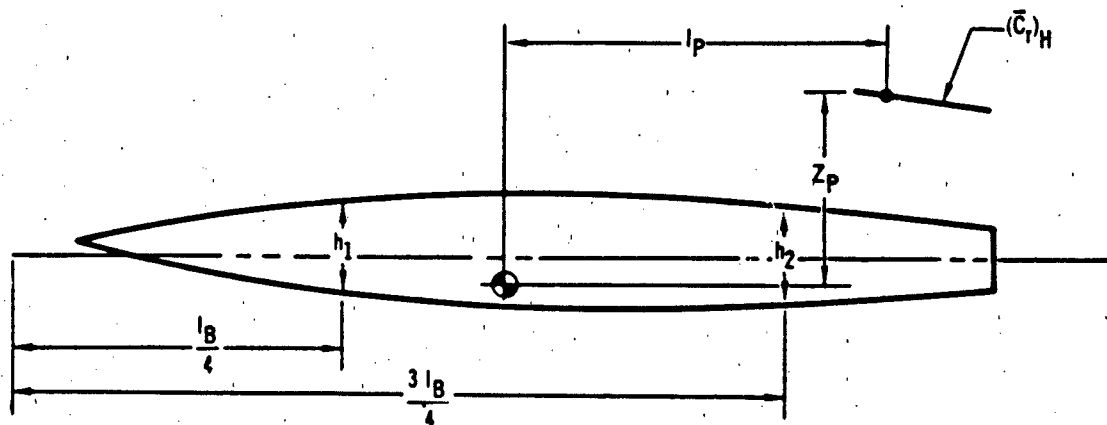
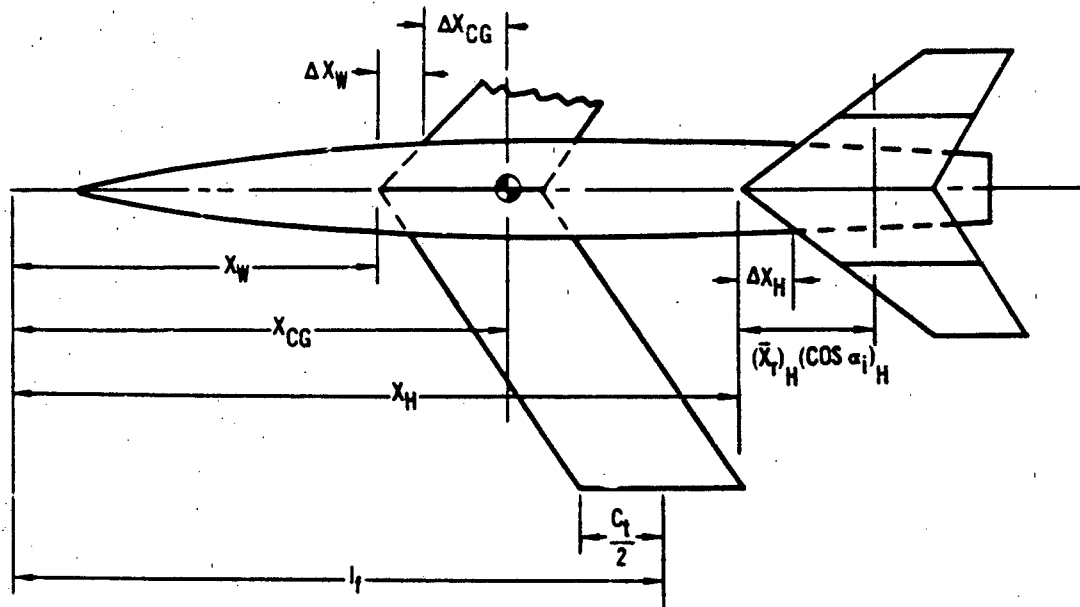


FIGURE 12 GENERAL SYNTHESIS NOMENCLATURE

$$(\Delta X_{ac})_w = \Delta X_{cg} - (X_{ac})_w \cos (\alpha_1)_w$$

$$\Delta X_H = (b/2 - b^*/2)_H \tan \Lambda_{LE_H} \cos (\alpha_1)_H$$

$$(\Delta X_{cg})_H = X_{cg} - (X_H + \Delta X_H)$$

$$Z_H^* = Z_H - \Delta X_H \tan (\alpha_1)_H$$

$$(X_{ac})_H = (X_{ac}/C_r^*)_H C_r^*$$

$$(Z_{ac})_H = Z_H^* - (X_{ac})_H \sin (\alpha_1)_H - Z_{cg}$$

$$\Delta (X_{ac})_H = (\Delta X_{cg})_H - (X_{ac})_H \cos (\alpha_1)_H$$

$$(X_{C/4})_H = X_H - (\bar{X}_r)_H \cos (\alpha_1)_H$$

$$Z'_w = -Z_w + (C_r/4) \sin \alpha_1$$

$$l_f = X_w + \Delta X_w + \left(\frac{b_o^*}{2}\right) \tan \Lambda_{LE_o} + \left(\frac{b_b^*}{2}\right) \tan \Lambda_{LE_I} + \frac{C_t}{2}$$

$$i_p = \bar{x}_v - X_{cg} + (X_r)_w + \frac{(\bar{C}_r)_v}{4}$$

$$Z_p = Z_{cg} + (\bar{Y}_R)_v$$

### 3.4 DOWNWASH PARAMETERS

Downwash geometric nomenclature is defined in Figure 13. The equations presented below are used primarily in the subsonic speed regime:

$$Z'_H = Z_H - \bar{X}_{r_H} \sin (\alpha_1)_H - Z_w + C_{r_w} \sin (\alpha_1)_w$$

$$X'_H = X_H + \bar{X}_{r_H} \cos (\alpha_1)_H - (X_w + C_{r_w} \cos (\alpha_1)_w)$$

$$\Delta L_H = Z'_H \tan (\alpha_1)_w$$

$$L_T = L_H - \Delta L_H$$

$$\Delta h_{H_1} = Z'_H / \cos (\alpha_1)_w$$

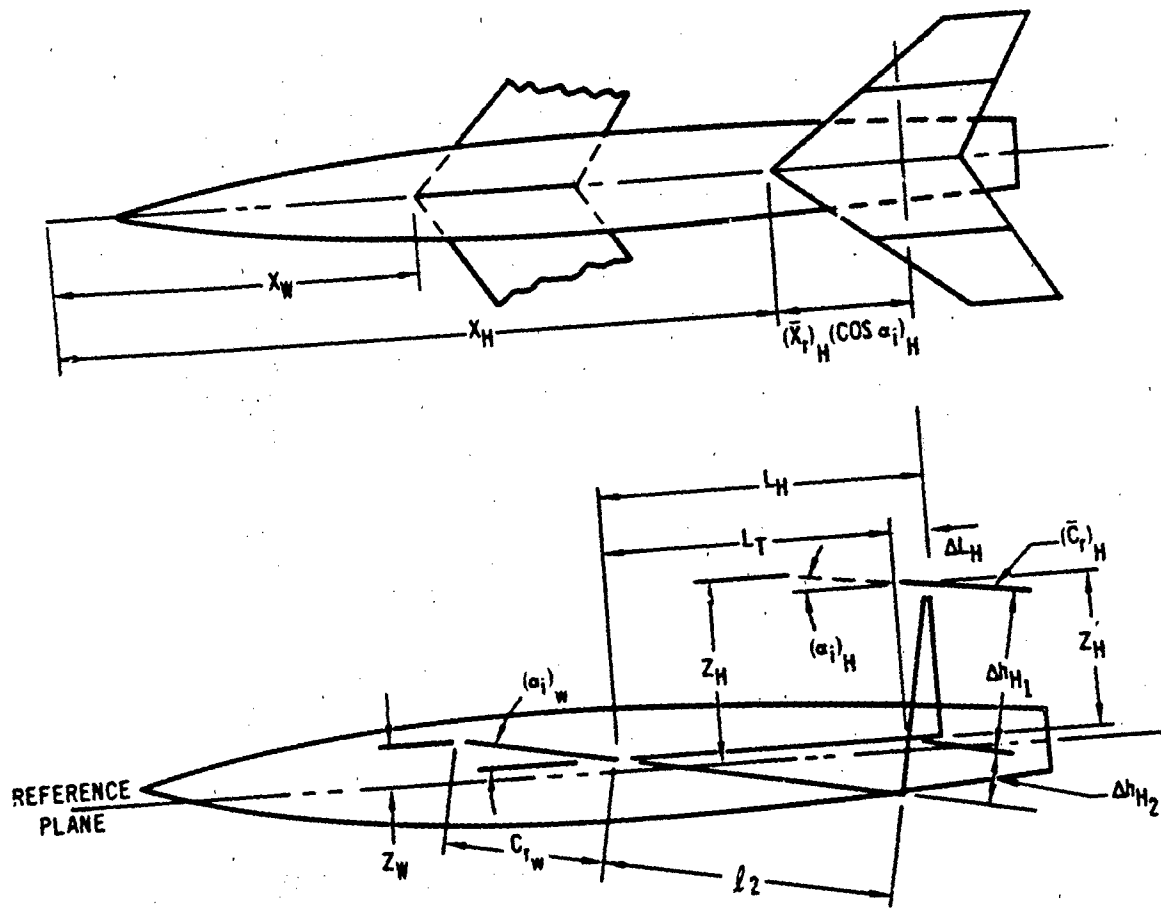


FIGURE 13 DOWNWASH NOMENCLATURE

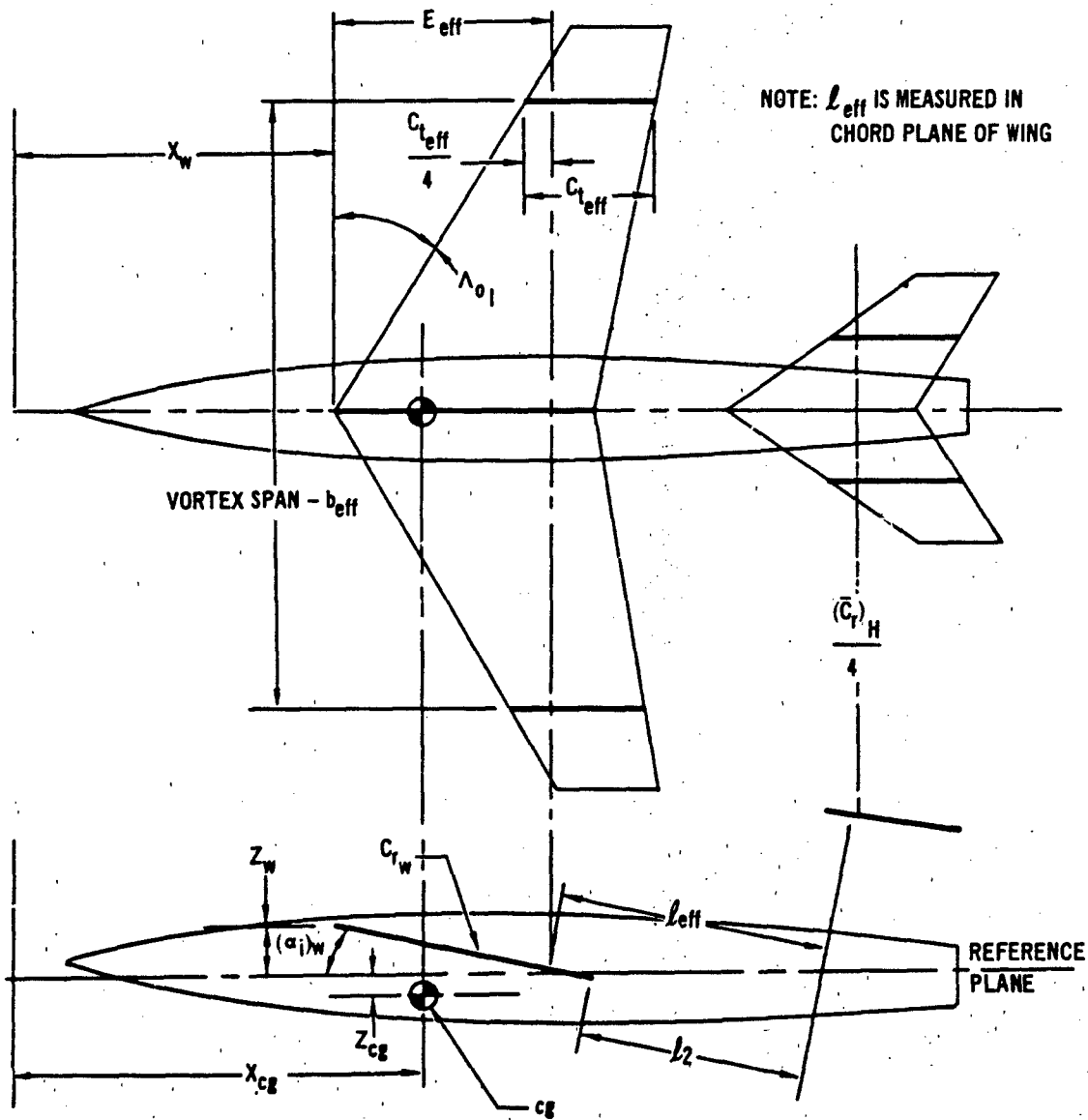


FIGURE 13 DOWNWASH NOMENCLATURE (CONCLUDED)

$$\Delta h_2 = L_T \sin(\alpha)_w$$

$$h_H = \Delta h_{H_1} + \Delta h_{H_2}$$

$$l_2 = L_T \cos(\alpha)_w$$

$$\gamma = \text{ARCTAN}(h_H/l_2)$$

$$l_3 = (C_r)_w - (X_r)_w$$

$$\text{If } b_{\text{eff}}/2 \leq (b/2 - b_o^*/2)_w$$

$$C_{t_{\text{eff}}} = C_{r_w} - \frac{C_r - C_b}{b/2 - b_o^*/2} (b_{\text{eff}}/2)_w$$

$$E_{\text{eff}} = (b_{\text{eff}}/2) \text{TAN } \Lambda_{o_I} + C_{t_{\text{eff}}} / 4$$

$$l_{\text{eff}} = l_2 - (E_{\text{eff}} - C_{r_w})$$

$$\text{If } b_{\text{eff}}/2 > (b/2 - b_o^*/2)$$

$$C_{t_{\text{eff}}} = C_{b_w} - \frac{C_b - C_t}{b_o^*/2} [b_{\text{eff}}/2 - (b/2 - b_o^*/2)]$$

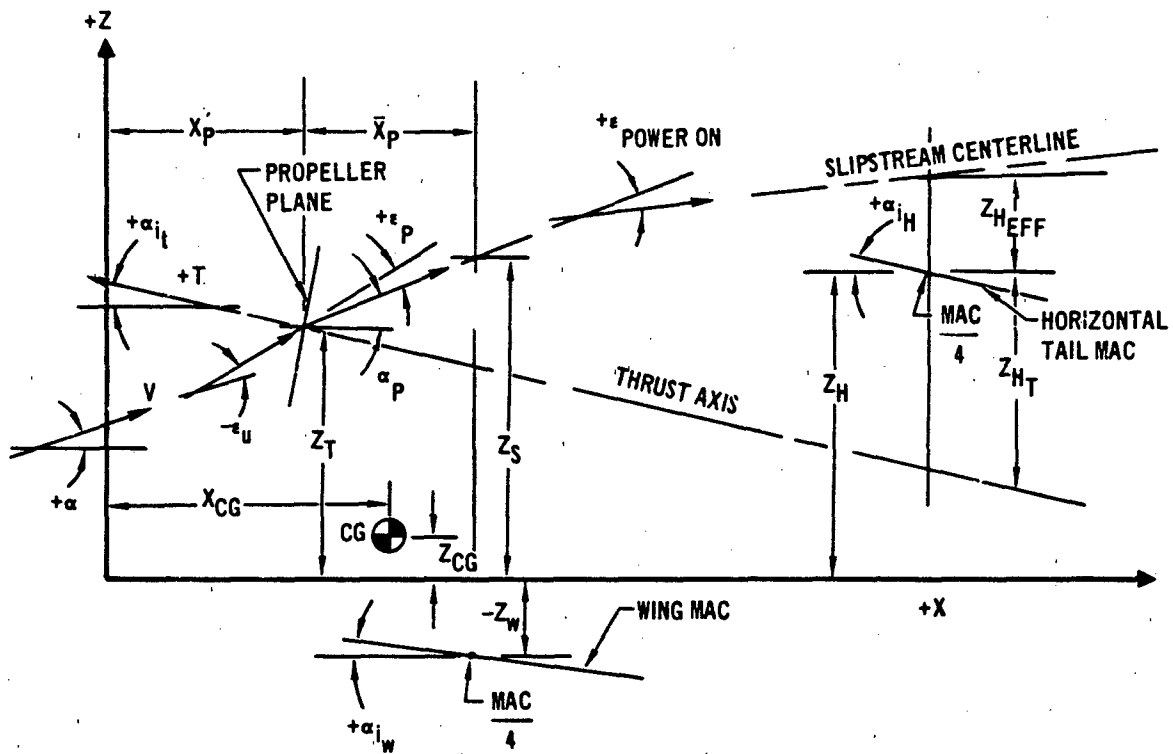
$$E_{\text{eff}} = (b/2 - b_o^*/2)_w \text{TAN } \Lambda_{o_I} + [b_{\text{eff}}/2 - (b/2 - b_o^*/2)_w] \text{TAN } \Lambda_{o_o} + C_{t_{\text{eff}}} / 4$$

$$l_{\text{eff}} = l_2 - (E_{\text{eff}} - C_{r_w})$$

### 3.5 POWER EFFECTS PARAMETERS

Geometric parameters required to calculate propeller and jet power effects are defined in Figures 14 through 18. Power effects are only calculated for longitudinal stability results in the subsonic speed regime.

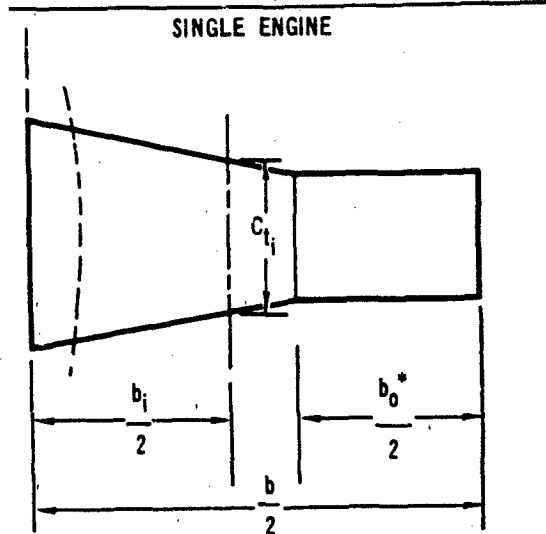




$$\begin{aligned} \bar{X}_p &= X_w + \bar{X}_{T_w} \cos \alpha_{i_w} - X_p \\ \bar{Z}_w &= Z_w - \bar{X}_{T_w} \sin \alpha_{i_w} \\ \alpha_p &= \alpha_{SCH} + \alpha_{i_t} + \epsilon_u - \epsilon_p \\ Z_s &= Z_T + \bar{X}_p \tan \alpha_p \\ Z_{h_t} &= Z_h - Z_T + \left[ (X_h + \bar{X}_{T_h} \cos \alpha_{i_h} - X_p) \tan \alpha_{i_T} \right] \\ l_h &= \left[ X_h + \bar{X}_{T_h} \cos \alpha_{i_h} \right] - \left[ X_w + \bar{X}_{T_w} \cos \alpha_{i_h} \right] \\ Z_{h_{EFF}} &= Z_s - Z_h + l_h \tan (\alpha_p - \epsilon_{POWER}) \end{aligned}$$

FIGURE 14. DEFINITION SKETCH FOR PROPELLER POWER EFFECT CALCULATIONS

CASE 1  $\frac{b_i}{2} \leq \left( \frac{b}{2} - \frac{b_0^*}{2} \right)$



$$C_{t_i} = C_r - \left[ \frac{C_r - C_b}{b/2 - b_0^*/2} \right] \left[ \frac{b_i}{2} \right]$$

$$\bar{Y}_{t_i}^* = \frac{\left[ \frac{b_i^*}{2} \right] (1 + 2\lambda_{t_i}^*)}{3(1 + \lambda_{t_i}^*)}$$

$$\frac{b_i^*}{2} = \frac{b_i}{2} - \left[ \frac{b}{2} - \frac{b^*}{2} \right]$$

$$S_i^* = \left[ C_r^* + C_{t_i} \right] \frac{b_i^*}{2}$$

$$X_{t_i}^* = \bar{Y}_{t_i}^* \tan \Lambda_{O_i}$$

$$A_i^* = \frac{4 \left[ \frac{b_i^*}{2} \right]^2}{S_i^*}$$

$$\bar{X}_{t_i}^* = X_{t_i}^* + \frac{C_{t_i}^*}{4}$$

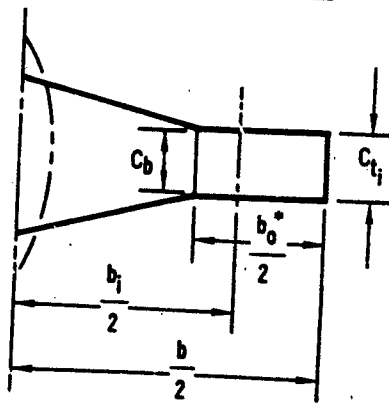
$$\lambda_{t_i} = \frac{C_{t_i}}{C_r^*}$$

$$\bar{C}_{t_i}^* = \frac{2 C_r^* (1 + \lambda_{t_i}^* + \lambda_{t_i}^{*2})}{3(1 + \lambda_{t_i}^*)}$$

FIGURE 15 GEOMETRY FOR DETERMINING IMMersed WING PARAMETERS

$$\text{CASE 2 } \frac{b_i}{2} \geq \left( \frac{b}{2} - \frac{b_o^*}{2} \right)$$

SINGLE ENGINE



$$\frac{b_{o_i}^*}{2} = \frac{b_o^*}{2} - \left[ \frac{b}{2} - \frac{b_i}{2} \right]$$

$$C_{t_i} = C_b - \left[ \frac{C_b - C_t}{\frac{b_o^*}{2}} \right] \left[ \frac{b_{o_i}^*}{2} \right]$$

$$S_{o_i}^* = [C_b + C_{t_i}] \left[ \frac{b_{o_i}^*}{2} \right]$$

$$S_i^* = S_1^* + S_{o_i}^*$$

$$\lambda_{o_i}^* = \frac{C_{t_i}}{C_b}$$

$$\bar{C}_{o_i}^* = \frac{2 C_b (1 + \lambda_{o_i}^* + (\lambda_{o_i}^*)^2)}{3 (1 + \lambda_{o_i}^*)}$$

$$\bar{C}_i^* = \frac{S_1^* \bar{C}_1^* + S_{o_i}^* \bar{C}_{o_i}^*}{S_i^*}$$

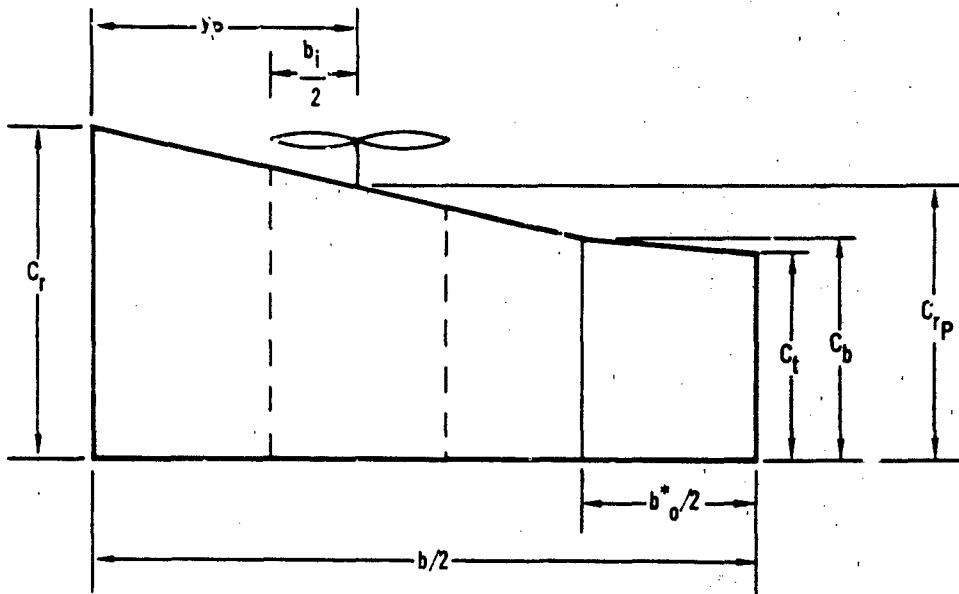
$$\bar{Y}_{o_i}^* = \frac{\left[ \frac{b_o^*}{2} \right]_i \left[ 1 + 2 \lambda_{o_i}^* \right]}{3 (1 + \lambda_{o_i}^*) + \frac{b_b^*}{2}}$$

$$\bar{Y}_i^* = \frac{S_1^* \bar{Y}_1^* + S_{o_i}^* \bar{Y}_{o_i}^*}{S_i^*}$$

$$X_i^* = \frac{S_1^* \bar{Y}_1^* \text{TAN } \Lambda_{o_i} + S_{o_i}^* \left( \frac{b_b^*}{2} \text{TAN } \Lambda_{o_i} + \left( \bar{Y}_{o_i}^* - \frac{b_b^*}{2} \right) \text{TAN } \Lambda_{o_o} \right)}{S_i^*}$$

$$\bar{X}_{f_i}^* = \frac{\bar{C}_i^* + X_i^*}{4}$$

FIGURE 16 GEOMETRY FOR DETERMINING IMMERSIED WING PARAMETERS (CONT'D)



$$\text{IF } b_o^*/2 = 0.0$$

$$C_{rP} = C_r - \frac{(C_r - C_t) y_p}{b/2}$$

$$\text{IF } y_p \leq b/2 - b_o^*/2$$

$$C_{rP} = C_r - \frac{(C_r - C_b) y_p}{b/2 - b_o^*/2}$$

$$\text{IF } y_p > b/2 - b_o^*/2$$

$$C_{rP} = C_b - \frac{(C_b - C_t) (y_p - b/2 + b_o^*/2)}{b_o^*/2}$$

$$S_i^* = 2 [2(b_i/2)] C_{rP}$$

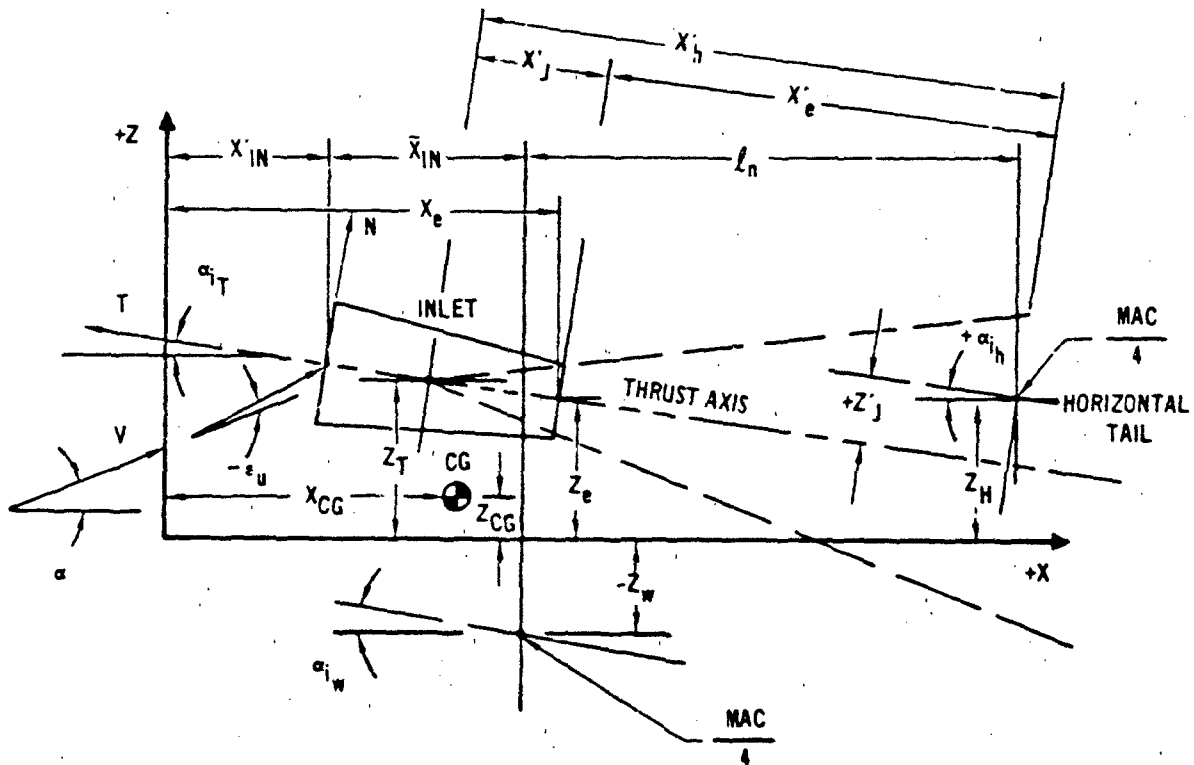
IMMERSED AREA FOR TWO ENGINES

$$A_i^* = \frac{[2(b_i/2)]^2}{0.50 S_i^*}$$

$$\lambda_i^* \cong 1.0$$

$$\vec{C}_{l_i} \cong C_{rP}$$

FIGURE 17 GEOMETRY FOR DETERMINING IMMERSED WING PARAMETERS (CONCLUDED)



$$X'_e = \frac{X_H + (\bar{X}_{T_h}) (\cos \alpha_{i_h}) - X_e}{\cos \alpha_{i_t}}$$

$$Z'_j = (X_H + (\bar{X}_{T_h}) \cos \alpha_{i_h} - X_e) \sin \alpha_{i_t} + (Z_H - Z_T) \cos \alpha_{i_t}$$

$$X'_j = 4.6 R_j$$

$$X'_h = X'_j + X'_e$$

FIGURE 18 DEFINITION SKETCH FOR JET POWER CALCULATIONS

### 3.6 GROUND EFFECTS PARAMETERS

Ground effects are only calculated for longitudinal stability results in the subsonic speed regime. Lifting surface heights that are required by the Datcom ground effect analyses are defined in Figure 19 and are presented in equation format as follows:

#### Equations for Calculating $h_{0.75b/2}$

$$\text{IF } \Gamma_i = 0 \text{ AND } (b/2)_{r_0} \leq 0.25 (b/2)$$

$$h_{0.75b/2} = h_{0.75C_T} + \Delta X \tan(\alpha_i)W$$

$$\text{IF } \Gamma_i = 0 \text{ AND } (b/2)_{r_0} > 0.25 (b/2)$$

$$h_{0.75b/2} = h_{0.75C_T} = \tan \Gamma_0 \left[ (b/2)_{r_0} - 0.25 (b/2) \right] + \Delta X \tan(\alpha_i)W$$

$$\text{IF } \Gamma_i \neq 0 \text{ AND } (b/2)_{r_0} \leq 0.25 (b/2)$$

$$h_{0.75b/2} = h_{0.75C_T} + 0.75 (b/2) \tan \Gamma_i + \Delta X \tan(\alpha_i)W$$

$$\text{IF } \Gamma_i \neq 0 \text{ AND } (b/2)_{r_0} > 0.25 (b/2)$$

$$h_{0.75b/2} = h_{0.75C_T} + \left[ (b/2) - (b/2)_{r_0} \right] \tan \Gamma_i + \left[ (b/2)_{r_0} - 0.25 (b/2) \right] \tan \Gamma_0 + \Delta X \tan(\alpha_i)W$$

#### Equations for Calculating $h$

$$h = 1/2(h_{0.75C_T} + h_{0.75b/2})$$

$$h_{0.75C_T} = H_G + Z_W - 0.75 C_T \tan(\alpha_i)W$$

$$\text{IF } \Gamma_i = 0 \text{ AND } (b/2)_{r_0} \leq 0.25 (b/2)$$

$$h = h_{0.75C_T} + 0.50 \tan(\alpha_i)W$$

$$\text{IF } \Gamma_i = 0 \text{ AND } (b/2)_{r_0} > 0.25 (b/2)$$

$$h = h_{0.75C_T} + 0.50 \left[ \tan \Gamma_0 \left\{ (b/2)_{r_0} - 0.25 (b/2) \right\} + \Delta X \tan(\alpha_i)W \right]$$

$$\text{IF } \Gamma_i \neq 0 \text{ AND } (b/2)_{r_0} \leq 0.25 (b/2)$$

$$h = h_{0.75C_T} + 0.50 \left[ 0.75 (b/2) \tan \Gamma_i + \Delta X \tan(\alpha_i)W \right]$$

$$\text{IF } \Gamma_i \neq 0 \text{ AND } (b/2)_{r_0} > 0.25 (b/2)$$

$$h = h_{0.75C_T} + 0.50 \left[ (b/2) - (b/2)_{r_0} \right] \tan \Gamma_i + 0.50 \left[ (b/2)_{r_0} - 0.25 (b/2) \right] \tan \Gamma_0 + 0.50 \Delta X \tan(\alpha_i)W$$

#### Equations for Calculating $H$

$$\left( \frac{h}{C_{r/4}} \right) = H_G + Z_W \left( \frac{C_{r/4}}{W} \right) \tan(\alpha_i)W$$

$$\text{IF } \Gamma_i = 0 \text{ AND } (\bar{y}_r)_W = \left[ b/2 - (b/2)_{r_0} \right]$$

$$H = \left( \frac{h}{C_{r/4}} \right) W$$

$$\text{IF } \Gamma_i = 0 \text{ AND } (\bar{y}_r)_W = \left[ b/2 - (b/2)_{r_0} \right]$$

$$H = \left( \frac{h}{C_{r/4}} \right) W + \left[ (\bar{y}_r)_W + (b/2)_{r_0} - b/2 \right] \tan \Gamma_0$$

$$\text{IF } \Gamma_i \neq 0 \text{ AND } (\bar{y}_r)_W = \left[ b/2 - (b/2)_{r_0} \right]$$

$$H = \left( \frac{h}{C_{r/4}} \right) W + (\bar{y}_r)_W \tan \Gamma_i$$

$$\text{IF } \Gamma_i \neq 0 \text{ AND } (\bar{y}_r)_W = \left[ b/2 - (b/2)_{r_0} \right]$$

$$H = \left( \frac{h}{C_{r/4}} \right) W + \left[ b/2 - (b/2)_{r_0} \right] \tan \Gamma_i + \left[ (\bar{y}_r)_W - (b/2)_{r_0} - b/2 \right] \tan \Gamma_0$$

### Equations for Calculating $H_H$

$$\left( \frac{h_{C_r/4}}{H} \right) = H_G + Z_H - (\bar{x}_r)_H \tan(\alpha_r)_H$$

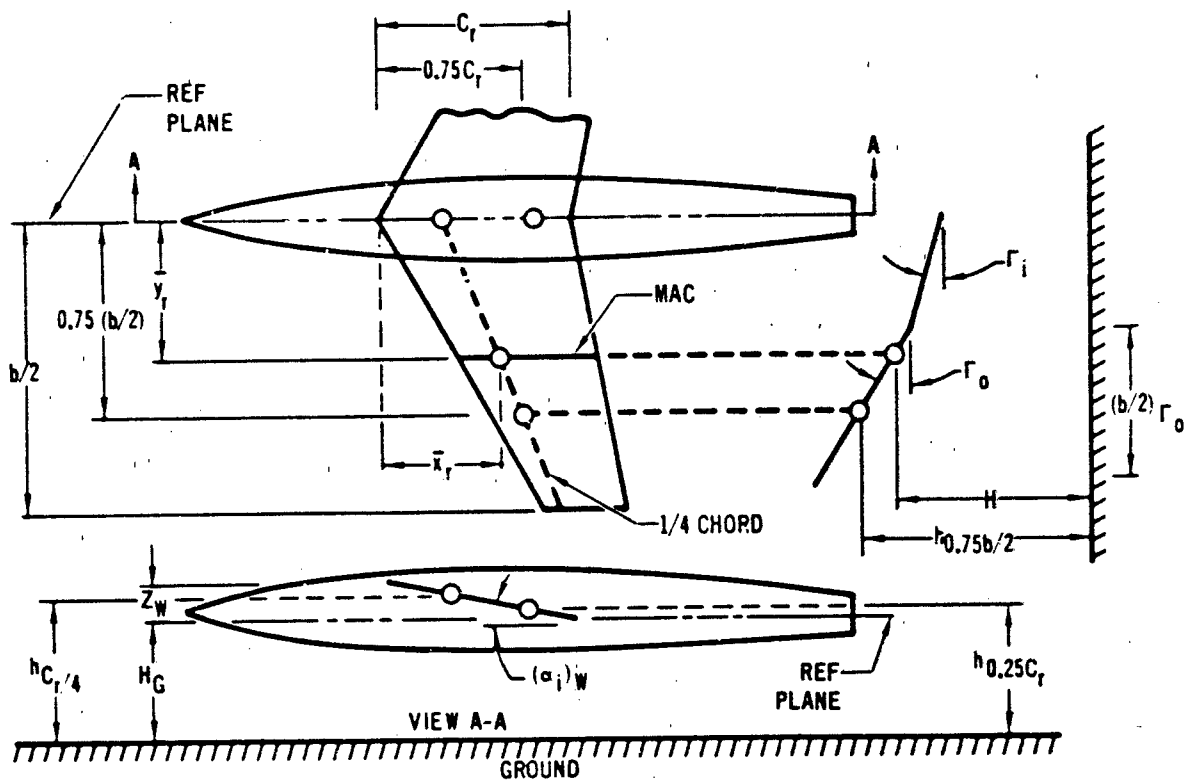
$$\text{IF } \Gamma_{iH} = 0 \text{ AND } (\bar{y}_r)_H = \left| (b/2)_H - (b/2)_{\Gamma_{OH}} \right| \quad H_H = \left( \frac{h_{C_r/4}}{H} \right)_H$$

$$\text{IF } \Gamma_{iH} = 0 \text{ AND } (\bar{y}_r)_H = \left| (b/2)_H - (b/2)_{\Gamma_{OH}} \right| \quad H_H = \left( \frac{h_{C_r/4}}{H} \right)_H + \left| (\bar{y}_r)_H + (b/2)_{\Gamma_{OH}} - (b/2)_H \right| \tan \Gamma_{OH}$$

$$\text{IF } \Gamma_{iH} \neq 0 \text{ AND } (\bar{y}_r)_H = \left| (b/2)_H - (b/2)_{\Gamma_{OH}} \right| \quad H_H = \left( \frac{h_{C_r/4}}{H} \right)_H + (\bar{y}_r)_H \tan \Gamma_{iH}$$

$$\text{IF } \Gamma_{iH} \neq 0 \text{ AND } (\bar{y}_r)_H = \left| (b/2)_H - (b/2)_{\Gamma_{OH}} \right| \quad H_H = \left( \frac{h_{C_r/4}}{H} \right)_H + \left| (b/2)_H - (b/2)_{\Gamma_{OH}} \right| \tan \Gamma_{iH} \\ + \left| (\bar{y}_r)_H + (b/2)_{\Gamma_{OH}} - (b/2)_H \right| \tan \Gamma_{OH}$$

Ground effect methods require calculation of a planform parameter,  $\Delta X$ , in addition to the previously defined ground heights. This parameter is shown in Figure 20.



$$h_{0.75 C_r} = \text{HEIGHT OF } 3/4 \text{ CHORD OF WING ROOT CHORD ABOVE GROUND}$$

$$= H_G + Z_W - 0.75 C_r \tan(\alpha_i)_W$$

$$h_{C_r/4} = \text{HEIGHT OF } 1/4 \text{ CHORD OF WING ROOT CHORD ABOVE GROUND}$$

$$= h_{0.75 C_r} + 0.50 C_r \tan(\alpha_i)_W$$

$$h_{0.75 b/2} = \text{HEIGHT OF WING ABOVE GROUND AT } 1/4 \text{ CHORD OF WING } 75\% \text{ SEMI-SPAN CHORD}$$

$$h = \text{AVERAGE HEIGHT ABOVE GROUND OF THE } 1/4 \text{ CHORD POINT OF WING CHORD AT } 75\% \text{ SEMI-SPAN}$$

$$\text{AND THE } 3/4 \text{ CHORD POINT OF THE WING ROOT CHORD.}$$

$$= 0.50 (h_{0.75 b/2} + h_{0.75 C_r})$$

$$H = \text{HEIGHT OF } 1/4 \text{ CHORD POINT OF WING MEAN AERODYNAMIC CHORD ABOVE THE GROUND}$$

$$H_H = \text{HEIGHT OF } 1/4 \text{ CHORD POINT OF HORIZONTAL TAIL MEAN AERODYNAMIC CHORD ABOVE THE GROUND}$$

FIGURE 19 GROUND EFFECT WING AND TAIL HEIGHTS



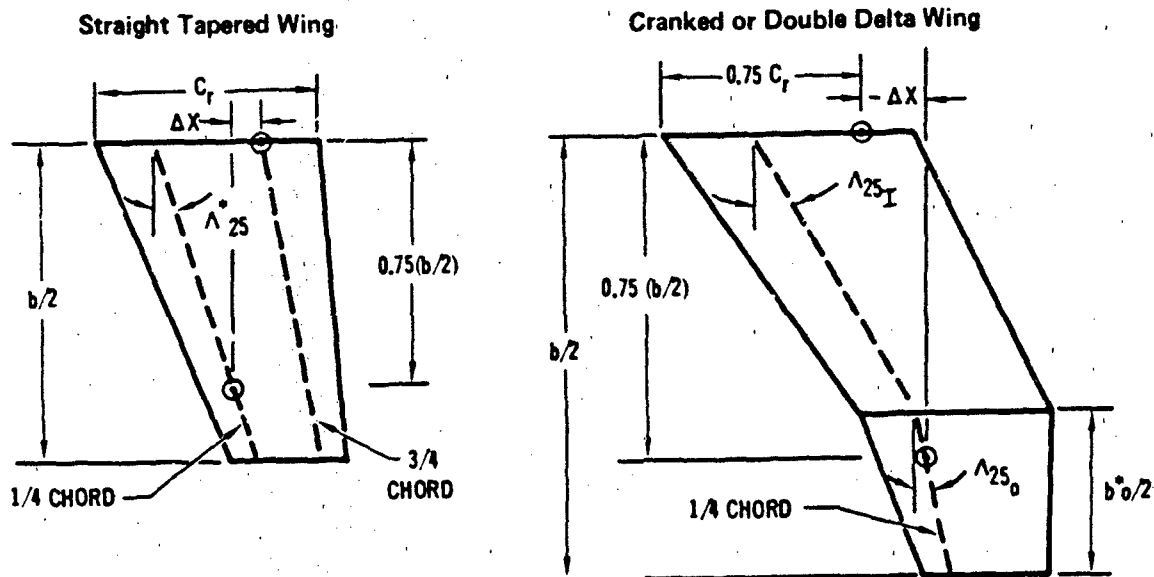
**Straight Tapered Wing**

$$\Delta X = 0.75 C_T - 0.75 (b/2) \tan \Lambda_{25}^*$$

**Cranked or Double Delta Wing**

$$\text{IF } b_{o/2}^* \leq 0.25 (b/2) \quad \Delta X = 0.75 C_T - 0.75 (b/2) \tan \Lambda_{25_I}$$

$$\text{IF } b_{o/2}^* > 0.25 (b/2) \quad \Delta X = 0.75 C_T - \tan \Lambda_{25_o} \left[ b_{o/2}^* - 0.25 (b/2) \right] - \tan \Lambda_{25_I} \left[ (b/2) - b_{o/2}^* \right]$$



**FIGURE 20 GROUND EFFECTS PLANFORM PARAMETER  $\Delta X$**

## SECTION 4

### INCORPORATION OF METHODS

This section summarizes those methods which were incorporated into Digital Datcom but were not defined in the Datcom Handbook or involve method interpretation. Though some of the methods included are not, in general, standard Datcom methods, they permit greater flexibility in using the program, and provide output for some parameters which can be closely approximated or are difficult to obtain experimentally. All of the methods presented in this section are referenced to Table 1 of Section 1 and the Datcom. Methods, or procedures, not outlined in this section follow the Datcom method and users should consult the Datcom for method limitations and formulation.

#### 4.1 AIRFOIL SECTION AERODYNAMICS

This section describes a procedure that can be used to obtain the geometric and aerodynamic section characteristics of virtually any user defined airfoil section. Its incorporation into Digital Datcom frees the user from the labor of calculating those section parameters that were required inputs, yet allow him the flexibility to alter those parameters for which he has data.

The Airfoil Section Module will accept the following user inputs:

- o The airfoil section designation
- o Section upper and lower cartesian coordinates
- o Section mean line and thickness distribution

By these three methods, many airfoil sections can be described and the section characteristics calculated.

Since the Airfoil Section Module (ASM) uses the Mach and Reynolds number inputs, they must be defined in namelist FLTCØN using MACH and RNNUB. However, the ASM uses the unit Reynolds number and by implication treats a section one foot (or meter) in length.

This module brings together the outstanding features of two separate studies. Kinsey and Bowers (AFFDL-TR-71-87) have written a program that calculates the airfoil coordinates of select NACA designations, then uses the Weber technique to calculate the section aerodynamic characteristics. Nielding of McDonnell Aircraft has written a similar program using the Weber method, then incorporates additional methods to refine the theoretical

**TABLE 5 AIRFOIL SECTION MODULE ROUTINE DESCRIPTION**

<u>PROGRAM/SUBROUTINE</u>	<u>PURPOSE</u>
M50032 (OVERLAY 50,0)	MODULE EXECUTIVE PROGRAM
INIZ	INITIALIZE IOM
SECI	READ USER INPUTS
SECO	TRANSFER MODULE OUTPUTS
CSLOPE	CALCULATE VARIABLE SLOPE FOR SUPERSONIC AIRFOILS
XYCORD	CALCULATE AIRFOIL SECTION FROM USER INPUTS
DELY	CALCULATE DATCOM PARAMETER $\Delta Y$
AIRFOIL (OVERLAY (50,1))	MAIN PROGRAM FOR NACA DESIGNATION INPUTS
DECODE	READ USER INPUT NACA DESIGNATION, DECODE
COORD4	CALCULATE 4-DIGIT NACA AIRFOIL
COORD4M	CALCULATE 4-DIGIT (MODIFIED) NACA AIRFOIL
COORD5	CALCULATE 5-DIGIT NACA AIRFOIL
COORD5M	CALCULATE 5-DIGIT (MODIFIED) NACA AIRFOIL
COORD1	CALCULATE 1-SERIES NACA AIRFOIL
COORD6	CALCULATE 6-SERIES NACA AIRFOIL
CORDSP	CALCULATE SUPERSONIC AIRFOIL COORDINATES
SLEQ	SIMULTANEOUS LINEAR EQUATION SOLVER
THEORY (OVERLAY (50,2))	MAIN PROGRAM FOR AIRFOIL AERODYNAMICS
IDEAL	CALCULATE SECTION IDEAL AERODYNAMICS
SLOPE	CALCULATE LIFT AND MOMENT SLOPES
ASMINT	NON-LINEAR INTERPOLATION ROUTING
MAXCL (OVERLAY (50,3))	CALCULATE VARIABLE CLMAX FOR SECTION

predictions. A cross of the two procedures (coordinates of NACA airfoils and viscous correction from Kinsey and Bowers, and the aerodynamic methods of Nieldling) yields a program that generates fairly accurate results.

The module is incorporated into Digital Datcom as Overlay 50, and includes three secondary overlay programs. The routines use the IOM arrays for data storage so that core size will be kept to a minimum. Table 5 describes each of the 22 module routines and the logic flow of the module is presented in Figures 21 through 24.

#### 4.1.1 Weber's Method

The calculation of the pressure distribution over the surface of an airfoil in an incompressible inviscid flow is accomplished by use of the method of singularities. Conformal transformations are used as an intermediate step in deriving the methods for determining the distributions of singularities from which the velocity distributions are calculated. The routine inputs are the airfoil coordinates distributed in any fashion, the angle of attack, and the Mach number. The airfoil shape is defined by curve fitting the input coordinates to obtain the airfoil geometry at thirty-two required points, i.e.:

$$x = 0.5 (\cos \theta_v + 1)$$

$$\theta_v = v\pi/32 \text{ for } 0 \leq v \leq 32$$

The chord line is obtained by joining the leading and trailing edges of the airfoil, where the leading edge is defined as the forward most point so that all points on the airfoil surface have a positive x coordinate.

The airfoil is placed in a uniform stream  $V_o$  at an angle of attack relative to the chord line. The velocity  $V_o$  is resolved into components parallel and normal to the chord line.

$$V_{xo} = V_o \cos \alpha$$

$$V_{zo} = V_o \sin \alpha$$

Combining the results for the parallel and normal flows, the velocity distribution equation for a symmetrical airfoil at angle of attack is

$$V(x,z) = \frac{V_o}{\sqrt{1 + (dz/dx)^2}} \left\{ \cos \alpha \left[ 1 + \frac{1}{\pi} \int_0^1 \frac{dz}{dx'} - \frac{dx'}{x - x'} \right] \right. \\ \left. \pm \sin \alpha \sqrt{\frac{1-x}{x}} \left[ 1 + \frac{1}{\pi} \int_0^1 \left( \frac{dz}{dx'} - \frac{2z(x')}{1 - (1 - 2x')^2} \right) \frac{dx'}{x - x'} \right] \right\}$$

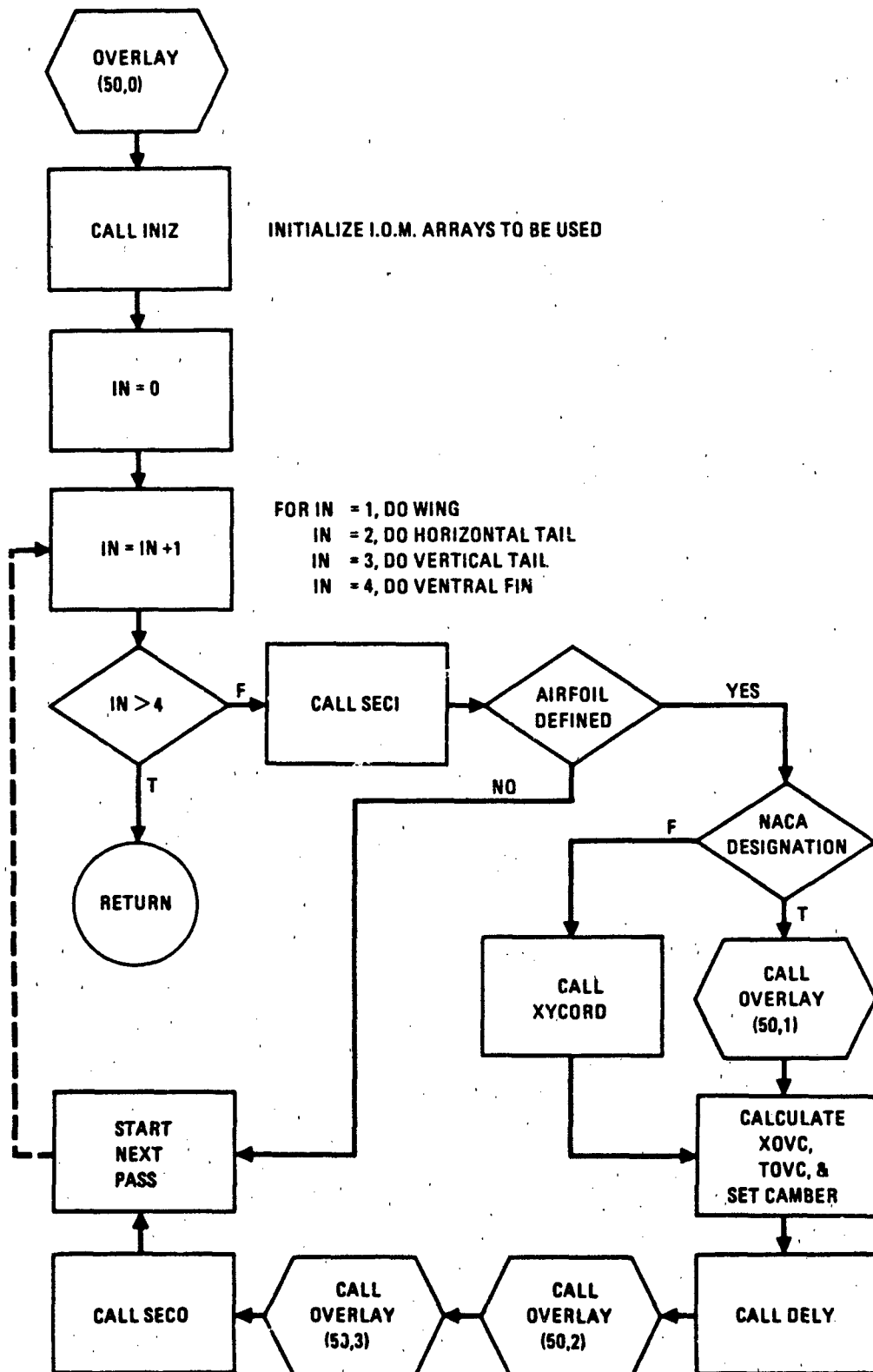


FIGURE 21 AIRFOIL SECTION MODULE - EXECUTIVE ROUTING

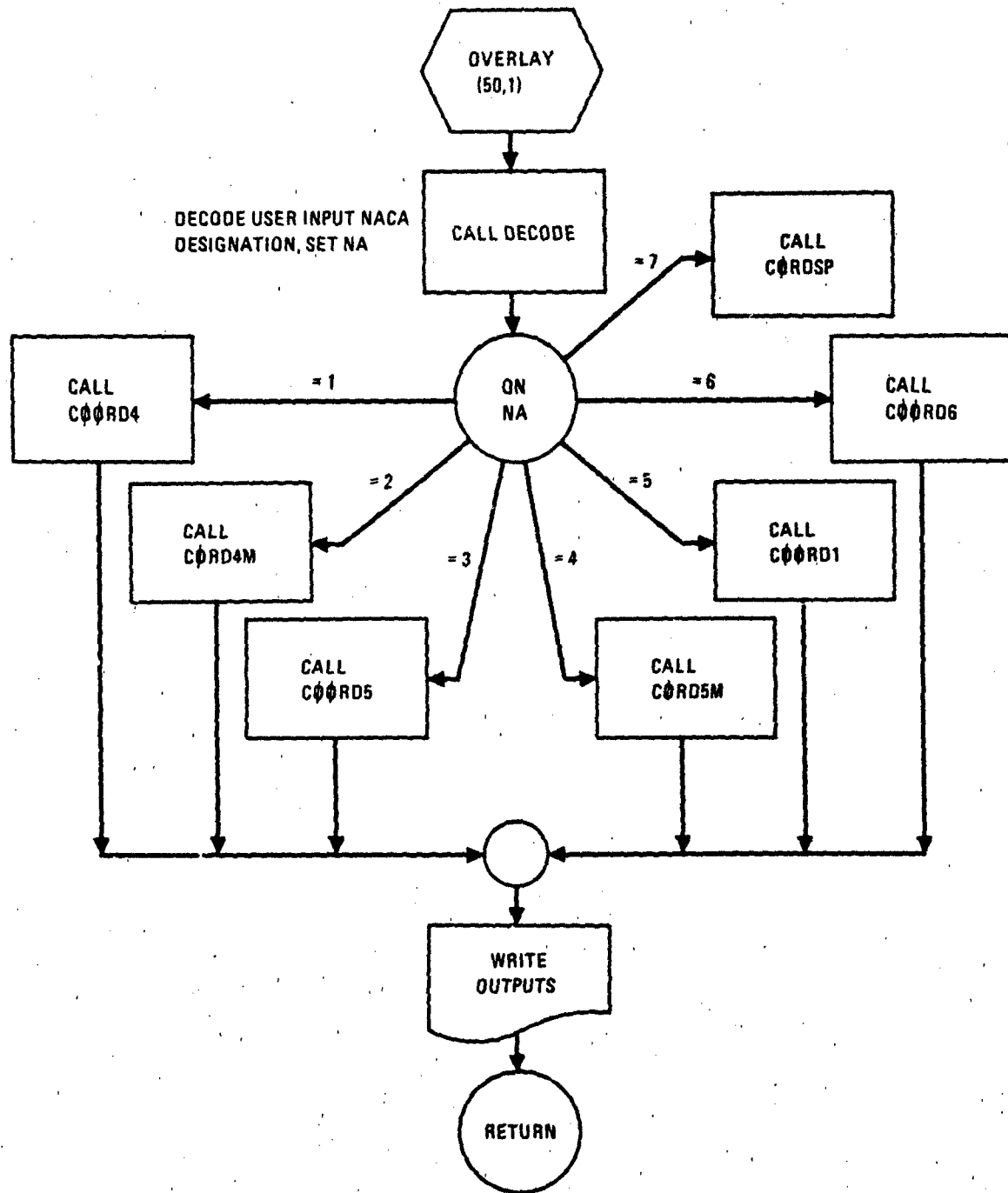


FIGURE 22 AIRFOIL SECTION MODULE – NACA DESIGNATION ROUTINE

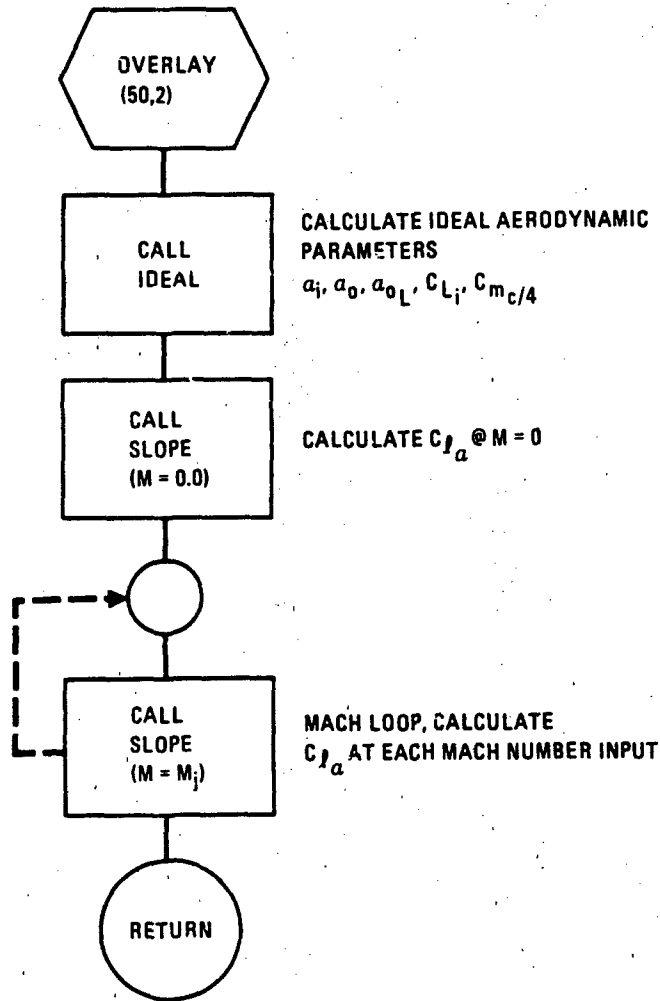


FIGURE 23 AIRFOIL SECTION MODULE – SECTION AERODYNAMICS ROUTINE

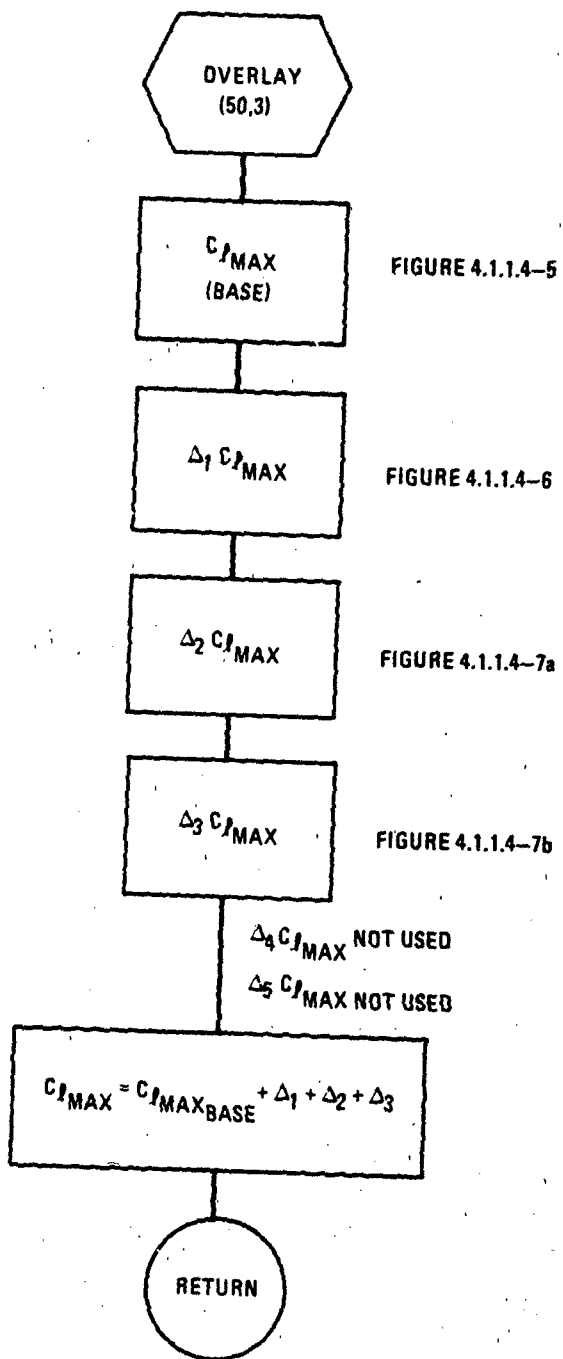


FIGURE 24 AIRFOIL SECTION MODULE - SECTION MAXIMUM LIFT ROUTINE



In the Weber Method certain combinations of the above terms have been redefined as follows:

$$S^{(1)}(x) = \frac{1}{\pi} \int_0^1 \frac{dz}{dx'} \frac{dx'}{x-x'} \quad \text{(Function for Source Distribution in Parallel Flow)}$$

$$S^{(2)}(x) = \frac{dz}{dx} \quad \text{(Slope of Thickness Distribution)}$$

$$S^{(3)}(x) = \frac{1}{\pi} \int_0^1 \left( \frac{dz}{dx'} - \frac{2z(x')}{1-(1-2x')^2} \right) \frac{dx'}{x-x'} \quad \text{(Function for Vortex Distribution in Normal Flow, to Account for } \alpha \text{)}$$

These functions are approximated by sums and products of the airfoil ordinates and certain coefficients which are independent of the section shape by

$$S^{(1)}(x) = \sum_{v=1}^{N-1} s_{vv}^{(1)} z_v \quad S^{(2)}(x) = \sum_{v=1}^{N-1} s_{vv}^{(2)} z_v$$

$$S^{(3)}(x) = \sum_{v=1}^{N-1} s_{vv}^{(3)} z_v + s_{Nv}^{(3)} \sqrt{\frac{\rho}{2C}}$$

The effects of camber on the resulting velocity distribution are obtained by assuming the camber to be small compared with the chord. This results in the camber effect being accounted for in the parallel flow  $V_{x0} = V_0 \cos \alpha$  only.

The Vortex Distribution,  $\gamma(X)$ , on the chord line which produces a given velocity normal to the chord line and which is zero at the trailing edge is

$$\frac{\gamma(x_v)}{2V_{x0}} = \sum_{v=1}^{N-1} s_{vv}^{(4)} z_{sv} = S^{(4)}(x_v) \quad \text{(Vortex Distribution due to Camber)}$$

The total velocity  $V_x(x,0)$  on the chord line for an airfoil with camber and incidence is

$$V_x(x,0) = V_o \cos \alpha \left[ 1 + S^{(1)}(x) \pm S^{(4)}(x) \right] \\ \pm V_o \sin \alpha \sqrt{\frac{1-x}{x}} \left[ 1 + S^{(3)}(x) \right]$$

with the + sign being for the upper surface and the - sign for the lower surface.

The resulting velocity distribution at the airfoil surface is computed using

$$S^{(5)}(x) = \frac{dz_s(x)}{dx} \quad (\text{Slope of Camber Line})$$

where

$$\frac{V(x)}{V_o} = \frac{\cos \alpha \left[ 1 + S^{(1)}(x) \pm S^{(4)}(x) \right] \pm \sin \alpha \sqrt{\frac{1-x}{x}} \left[ 1 + S^{(3)}(x) \right]}{\sqrt{1 + \left[ S^{(2)}(x) \pm S^{(5)}(x) \right]^2}}$$

which is the complete expression for an arbitrary airfoil at angle of attack in an ideal flow. The  $S^{(4)}(x)$  and  $S^{(5)}(x)$  terms are computed by approximation. The pressure coefficient is obtained by

$$C_p = 1 - \frac{\left\{ \cos \alpha \left[ 1 + S^{(1)}(x) \pm S^{(4)}(x) \right] \pm \sin \alpha \sqrt{\frac{1-x}{x}} \left[ 1 + S^{(3)}(x) \right] \right\}^2}{1 + \left[ S^{(2)}(x) \pm S^{(5)}(x) \right]^2}$$

The term  $1 + S^{(1)}(x) \pm S^{(4)}(x)$  accounts for the vortices being put into a flow with velocity  $V_o (1 + S^{(1)}(x) + S^{(4)}(x))$  instead of  $V_o$ . The term  $(1 + S^{(3)}(x))$  accounts for the differences in the vortex distribution between the thick and thin wing. The term  $1 / [1 + [S^{(2)}(x) \pm S^{(5)}(x)]^2]$  is the correction between velocities on the chord line and on the surface.

#### 4.1.2 Compressibility Correction and Integration

The effects of compressibility are accounted for in Weber's Method by the application of compressibility factors to the velocity distribution contributions due to thickness and camber, respectively.

$$\beta = \sqrt{1 - M_o^2}$$

$$B = \sqrt{1 - M_o^2 (1 - M_o^2 C_{p_i})}$$

$$C_{p_i} = 1 - \frac{(1 + S^{(1)})^2}{1 + (S^{(2)})^2}$$

The velocity distribution in compressible flow is then given by

$$\left(\frac{v}{V_o}\right)^2 = \frac{\left\{ \cos \alpha \left[ 1 + \frac{S^{(1)}}{B} \pm \frac{S^{(4)}}{\beta} \right] \pm \frac{\sin \alpha}{\beta} \left[ 1 + \frac{S^{(3)}}{B} \right] \sqrt{\frac{1-x}{x}} \right\}^2}{1 + \left[ \frac{S^{(2)} \pm S^{(5)}}{B} \right]^2}$$

The compressible pressure coefficient from the compressible form of Bernoulli's equation is

$$C_p = \frac{1}{0.7 M_o^2} \left\{ \left[ 1 + 0.2 M_o^2 \left[ 1 - \left(\frac{v}{V_o}\right)^2 \right] \right]^{3.5} - 1 \right\}$$

The airfoil lift, axial force and pitching moment are computed from the compressible and incompressible solutions in the following manner

$$\text{Set } l_x = C_{p_i}^{(u)} - C_{p_i}^{(l)}$$

$$l = \int_0^c l_x dx$$

$$\text{or } l = \int_0^\pi l_x \frac{\sin \theta}{S} d\theta \quad \text{where } \theta = \frac{2\pi}{S} x, \quad x = 0 \rightarrow c$$

Therefore trapezoidal rule

$$CL(N) = \frac{\pi}{N} \left\{ \frac{1}{2} \left[ l_x \frac{\sin \theta}{2} \Big|_0 + l_x \frac{\sin \theta}{2} \Big|_N \right] + \sum_{\nu=1}^{N-1} l_x \frac{\sin \theta}{2} \Big|_{\nu} \right\}$$

$$= \frac{\pi}{\cos \alpha_N} \sum_{\nu=1}^{N-1} \left[ l_x \frac{\sin \theta}{2} \Big|_{\nu} \right]$$

Similarly

$$CA(N) = \frac{\pi}{N} \sum_{\nu=1}^{N-1} \left[ C_{p_u}^{(1)} (S^{(2)}(x) + S^{(5)}(x)) - C_{p_l}^{(1)} (S^{(2)}(x) - \dots S^{(5)}(x)) \right] \frac{\sin \theta}{2} \Big|_{\nu} \dots + 1/2 C_{p_u}^{(1)} \sqrt{2\rho}$$

and

$$CM(N) = \frac{\pi}{N} \sum_{\nu=1}^{N-1} \left[ l_x (x-.25) \frac{\sin \theta}{2} \Big|_{\nu} \right]$$

#### 4.1.3 Ideal Parameters

The ideal parameters are obtained from thin airfoil theory, which in effect means results are obtained for the meanline characteristics in an incompressible inviscid flow. The ideal angle of attack  $\alpha_i$  is obtained from

$$\alpha_i = \int_0^1 z_u \frac{1-2x}{\pi [x(1-x)]^{1/2}} dx$$

However, at the leading and trailing edges the equation is undefined and increments in the vicinity of the leading and trailing edges must be determined, in addition to the integration over the interior portion of the chord.

$$\Delta \alpha \Big|_{x=.0151}^{x=.9849} z_u \Big|_{x=.0151}^{x=.9849} + .0474 \frac{dz}{dx} \Big|_{x=0}$$

$$\Delta\alpha_i \Big|_{x=.9619 \text{ to } x=1.0} = -.3739 z_s \Big|_{x=.9619} + .04745 \frac{dz}{dx} \Big|_{x=1}$$

resulting in

$$\Delta\alpha_i = 57.3 \left[ \Delta\alpha_i \Big|_{x=0 \text{ to } x=.0381} + \Delta\alpha_i \Big|_{x=.0381 \text{ to } x=.9619} + \Delta\alpha_i \Big|_{x=.9619 \text{ to } x=1.0} \right]$$

The angle of attack for zero lift is obtained in a similar manner

$$\alpha_{OL} = - \int_0^1 z_s \left[ \frac{1}{(1-x)\sqrt{x[1-x]}} \right] dx$$

with

$$\alpha_{OL} \Big|_{x=.9619 \text{ to } x=1.0} = -.7834 z_s \Big|_{x=.9619} + .09518 \frac{dz}{dx} \Big|_{x=1.0}$$

The total value is given by

$$\alpha_{OL} = 57.3 \left[ \alpha_{OL} \Big|_{x=.9619 \text{ to } x=1.0} + \alpha_{OL} \Big|_{x=0 \text{ to } x=.9619} \right]$$

The ideal lift coefficient is now simply

$$C_{l_i} = \frac{2\pi}{57.3} [\alpha_i + \alpha_{OL}]$$

The pitching moment about the quarter chord is

$$C_{m_{C/4}} = \frac{2\pi}{N} \sum_{\nu} z_s \cos \theta_{\nu} + \frac{\pi}{57.3} \frac{\alpha_{OL}}{2}$$

#### 4.1.4 Crest Critical Mach Number

The crest critical Mach number is precisely defined as that free stream Mach number for which local sonic flow is first reached at the airfoil surface crest on the assumption of shock free flow. Its significance is founded on its relation to the drag rise Mach number. Various empirical studies have been aimed at finding the critical pressure ratio at the crest which corresponds to a drag rise in the test data. Nitzberg (NACA RMA9G20) proposed a critical pressure ratio for drag rise of

$$P_{CREST}/P_{TOTAL} = 0.5283$$

which corresponds to a crest Mach number of  $M = 1.0$ . Sinnot (RAS TDM-6407) proposed the ratio

$$P_{CREST}/P_{TOTAL} = 0.515$$

which corresponds to a Mach number at the crest of  $M = 1.02$  and which correlates better with drag-rise data. Sinnot's value is used in the Airfoil Section Module, thus the crest critical Mach number corresponds to a local flow at Mach 1.02 at the crest rather than sonic conditions. The relationship between the crest pressure and crest critical Mach number is

$$C_{P_{CREST}} = \frac{0.515(1 + 0.2 M_{CC}^2)^{3.5} - 1}{0.7 F M_{CC}^2}$$

where

$$F = \left[ \beta_{CC} + \frac{1}{2} (1 - \beta_{CC}^2) C_{P_{CREST}} \right]^{-1}$$

$M_{CC}$  = CREST CRITICAL MACH

$C_{P_{CREST}}$  = INCOMPRESSIBLE VALUE

$$\beta_{CC} = \sqrt{1 - M_{CC}^2}$$

Rewritten so that  $M_{CC}$  is a function of  $C_{pCREST}$ , the relation is approximated by

$$M_{CC} = \left[ 1.023 - .9507 C_{pCREST} - .414 C_{pCREST}^2 - .1506 C_{pCREST}^3 - .0212 C_{pCREST}^4 \right]^{-1}$$

The crest location for each angle of attack is determined by comparing the airfoil surface slope for each  $x$  location to tangent  $\alpha$ . The final location is obtained by interpolating between the two given  $x$  locations whose airfoil slopes bracket the tangent  $\alpha$  value. The  $C_{pCREST}$  value is obtained by interpolation of the Weber incompressible pressure distribution between the two  $x$  values surrounding  $X_{CREST}$ . The crest critical lift coefficient is obtained using the Karman-Tsien compressibility rule on the  $M = 0$  integrated Weber lift coefficient.

$$C_{L_{CC}} = \left| \frac{CL(M)}{\beta_{CC} - \frac{M_{CC}^2}{1 + \beta_{CC}} \left| \frac{CL(M)}{2} \right|} \right|$$

where,  $CL(M) = C_L$  for  $M = 0$ .

No specific boundary layer correction is used. However, the Datcom recommends a 5% correction factor to bring the results in line with experimental data, and the viscous correction of section lift curve slope proposed by Kinsey and Bowers (Appendix B, Volume 1) has been incorporated.

#### 4.2 TRANSONIC WING $C_L$ FAIRING, TRANSONIC WING $X_{AC}$ FAIRING, and TRANSONIC WING $C_{D_w}$ FAIRING

Datcom wing methods in the transonic Mach regime calculate aerodynamic parameters only at specific Mach numbers. Data at the requested Mach number is then determined by interpolation. This approach is used for the wing lift curve slope ( $C_{L_\alpha}$ ), wave drag ( $C_{D_w}$ ), and aerodynamic center ( $X_{AC}$ ). Nonlinear fairings for each of these parameters are discussed in the following paragraphs.

##### 4.2.1 Transonic Fairings of Wing $C_{L_\alpha}$

Wing lift curve slope,  $C_{L_\alpha}$ , is calculated in subroutine TRSØNI, overlay 24. The same methods are used for the horizontal tail in subroutine TRSØNJ, also in overlay 24.

Datcom section 4.1.3.2 defines the methods for calculation of  $C_{L_\alpha}$  at five discrete Mach numbers from 0.6 to 1.4. Values at Mach 0.6 and 1.4 use the subsonic and supersonic methods, respectively. The routine used to fair this curve is a modified version of subroutine ASMINT used in the Airfoil Section Module, overlay 50. To ensure a smooth continuous interpolation, a curve is constructed by fitting the points by a left-hand parabola joined to a series of cubic curves, and finally a right-hand parabola. This technique yields a function which has continuous derivatives everywhere. The slope of the curve at subsonic Mach numbers is obtained by differentiating the equation on Datcom page 4.1.3.2-49 with respect to Mach number. At Mach 1.4 the slope is found by calculating values at Mach 1.3, 1.4 and 1.5 and assuming a curve of the form:

$$C_L = A + B/\beta + C/\beta^2$$

Subsonic methods are used to Mach 0.75, or 0.1 less than the force break Mach number ( $M_{fb}$ ), whichever is smaller, and transonic fairings are initiated at that point.

Subroutines TRANWG and TRANHT are used to calculate  $C_{L_\alpha}$  at Mach 1.3, 1.4, and 1.5 and return  $C_{L_\alpha}$  and its slope at Mach 1.4. Subroutines TRSØNI and TRSØNJ calculate  $C_{L_\alpha}$  using the subsonic equation if the Mach number is less than 0.75 (or  $M_{fb} - 0.1$ ), calculate the slope of the subsonic  $C_{L_\alpha}$  curve at Mach 0.75, and call the new fairing routine if the Mach number is greater than 0.75.



#### 4.2.2 Transonic Fairing of Wing $C_{D_W}$

The wing wave drag,  $C_{D_W}$ , is calculated in subroutines TRSØNI and TRSØNJ, overlay 24, for the wing and horizontal tail, respectively. The method is given in Datcom section 4.1.5.1.

Digital Datcom performs a linear interpolation of Datcom Figure 4.1.5.1-29 at fifteen discrete Mach numbers to determine the variation of  $C_{D_W}$ . Non-linear interpolations of this curve are performed as required at the user defined Mach numbers using the fairing routine developed for wing  $C_L$ . Two additional constraints were applied to perform this fairing.

- a. If the linear slope to the left or right of a given point, except the end points, is less than UNUSED, ( $10^{-60}$  on CDC computers), the slope at that point is set to zero.
- b. Any computed value less than zero is set to zero.

Within the fairing routine, the number of points in the curve is used to discriminate between a fairing of  $C_{D_W}$  and  $C_{L_\alpha}$ .

#### 4.2.3 Transonic Fairings of Wing Aerodynamic Center

Aerodynamic center,  $X_{ac}$ , is calculated in subroutines TRANCM and TRHTCM, overlay 25, for the wing and horizontal tail, respectively.

Datcom section 4.1.4.2 defines the method for calculation of  $X_{ac}$  at six discrete Mach numbers from 0.6 to 1.4. Values at 0.6 and 1.4 are determined using the subsonic and supersonic methods, respectively; the remaining four points are obtained from Datcom Figure 4.1.4.2-30 corresponding to  $\bar{V} = -2, -1, 0$  and  $+1$ . If the thickness ratio is less than or equal to 7%, these data are interpolated for the aerodynamic center. If the thickness ratio is greater than 7%, the curve is defined using points which are a function of the force break Mach number,  $M_{fb}$ . An increment to the aerodynamic center is found from Datcom Figure 4.1.4.2-33 and applied at the fifth point ( $M_{fb} + 0.07$ ) and the resulting curve is then interpolated for the aerodynamic center. The following table summarizes the interpolation table:

	Using Six Points $t/c < 7\%$	Using Eight Points $t/c > 7\%$
$M_1$	0.60	0.60
$M_2$	M for $\bar{V} = -2$	$(0.60 + M_{fb})/2$
$M_3$	M for $\bar{V} = -1$	$M_{fb}$
$M_4$	M for $\bar{V} = 0$	$M_{fb} + 0.03$
$M_5$	M for $\bar{V} = +1$	$M_{fb} + 0.07$
$M_6$	1.40	$M_{fb} + 0.14$
$M_7$	-	M for $\bar{V} = +1$
$M_8$	-	1.4

The interpolation routine used is similar to the routine used for  $C_{L\alpha}$  and  $C_{Dw}$  (Sections 4.2.1 and 4.2.2).

#### 4.3 TRANSONIC WING $C_L$ , TRANSONIC WING $C_D$ , TRANSONIC WING-BODY-TAIL $C_{D_2}$ , TRANSONIC WING-BODY-TAIL $C_D$ , TRANSONIC WING $C_{L\beta}$ , and TRANSONIC WING-BODY $C_{L\beta}$

This section describes those methods used to compute the transonic configuration aerodynamics using Second Level Methods, and are summarized in Table 6. Additionally, the partial output is described.

##### 4.3.1 Transonic Wing Lift Coefficient, $C_L$

The wing lift curve versus angle of attack is programmed in subroutine WINGCL. The method described in Datcom section 4.1.3.3 is used as a guide to produce trends and is not construed to be an exact method of solution. Since the method is an approximate one, the following procedure was employed to produce the wing lift characteristics applicable to thin, low aspect ratio wings:

1. The required experimental data inputs by the user are  $\alpha_0$  (zero lift angle of attack) and  $\alpha_*$  (the angle of attack where the lift becomes nonlinear).
2. The lift variation is assumed to be linear up to  $\alpha_*$ , and nonlinear to  $\alpha_{C_{L_{max}}}$  (maximum lift angle of attack).

TABLE 6 PROGRAMMED TRANSONIC SECOND LEVEL METHODS SUMMARY

DATCOM SECTION	AERODYNAMIC PARAMETER	CONFIGURATION	SUBROUTINE PROGRAMMED	EXPERIMENTAL DATA INPUT REQUIRED	PARTIAL OUTPUT AVAILABLE
4.1.3.3	$C_L$	WINGS	WINGCL	$\alpha_0, \alpha_c$	$\alpha_0, \alpha_c$
4.1.5.2	$C_{D_L}$	WINGS	WINGCL	$C_L$ OR $\alpha_0, \alpha_c$	$C_{D_L}/C_L^2$
5.1.2.1	$C_{l_\beta}$	WINGS	WINGCL	$C_L$ OR $\alpha_0, \alpha_c$	$C_{l_\beta}/C_L$
5.2.2.1	$C_{l_\beta}$	WING-BODY	WBCLB	$C_L$	$C_{l_\beta}/C_L$
4.5.3.2	$C_D$	WING-BODY-TAIL	CDWBT	$C_{D_{WB}}$ $C_{D_H}$ $C_{L_H}$ $q/q_\infty$ $\epsilon$	(NONE)
4.5.3.1	$C_{D_0}$	WING-BODY-TAIL	WBTCDF	$C_{D_{0V}}$ OR $C_{D_{0WBT}}^*$ ITYPE (TYPE OF GENERAL CONFIGURATION)	$M_D$

\* $C_{D_{0WBT}}$  IS AVAILABLE FROM THE SECOND LEVEL ROUTINE OF DATCOM, SECTION 4.5.3.1, SUBROUTINE WBTCDF.

3. The nonlinear lift region is modeled by a mathematical relationship that satisfies the following conditions:

$$\begin{aligned}
 C_L &= C_{L_{\max}} & \text{at } \alpha &= \alpha_{C_{L_{\max}}} \\
 C_L &= C_{L_{\alpha}} (\alpha_* - \alpha_0) & \text{at } \alpha &= \alpha_* \\
 \frac{dC_L}{d\alpha} &= C_{L_{\alpha}} & \text{at } \alpha &= \alpha_* \\
 \frac{dC_L}{d\alpha} &= 0 & \text{at } \alpha &= \alpha_{C_{L_{\max}}}
 \end{aligned}$$

A modified polynomial of the form

$$y = A + B(X - X_0) + C(X - X_0)^N$$

is utilized to satisfy each of the boundary conditions and yield a curve somewhat parabolic in shape. This relationship has provided excellent results in modeling the nonlinear lift range. Derivation of the unknowns A, B, C and N is described in Section 4.3.7.

Two other user options are available from the routine; (a) the user may input only  $\alpha_0$ , or (b) the user inputs only  $\alpha_*$ . Since both  $\alpha_0$  and  $\alpha_*$  are required to estimate the lift variation by the preceding technique, the subroutine will provide an estimate for the missing parameter from a quadratic expression. Specifically, a quadratic polynomial can be faired through the nonlinear lift region if  $\alpha_*$  is an unknown. Applying the generalized boundary conditions to a polynomial of order two, and solving for  $\alpha_*$  will yield an estimate for this unknown. Conversely, if  $\alpha_0$  is not input, it can be determined in a similar manner.

The relationships used are as follows:

$$1. \alpha_* \text{ not input}$$

$$\alpha_* = \alpha_{C_{L_{\max}}} + 2 \left[ \alpha_o - \alpha_{C_{L_{\max}}} + \frac{C_{L_{\max}}}{C_{L_{\alpha}}} \right]$$

$$2. \alpha_o \text{ not input}$$

$$\alpha_o = \alpha_{C_{L_{\max}}} - \frac{C_{L_{\max}}}{C_{L_{\alpha}}} + \frac{\alpha_* - \alpha_{C_{L_{\max}}}}{2}$$

If neither  $\alpha_o$  nor  $\alpha_*$  are user inputs, no solution is possible, but the program calculated values for  $C_{L_{\alpha}}$ ,  $C_{L_{\max}}$  and  $\alpha_{C_{L_{\max}}}$  are available as partial output.

#### 4.3.2 Transonic Wing Drag due to Lift, $C_{D_L}$

The programmed procedure for computing the ratio  $C_{D_L}/C_L^2$  is exactly as described in Datcom section 4.1.5.2. The method does a three dimensional table lookup for Figure 4.1.5.2-55a ( $A \tan(\Lambda_{LE}) = 0$ ) and for Figure 4.1.5.2-55b ( $A \tan(\Lambda_{LE}) = 3$ ). Figure 4.1.5.2-55c shows a linear relationship of the dependent variable  $(t/c)^{-1/3} C_{D_L}/C_L^2$  as a function of the transonic similarity parameter  $A \tan(\Lambda_{LE})$  for each value of the ratio  $(M^2 - 1)/(t/c)^{2/3}$ ; it was assumed that this linear relationship would hold for all other taper ratios other than 0.50. Therefore, linear extrapolations on all variables would be performed if required.

This method was programmed in subroutine WINGCL with the calculation for wing  $C_L$ . Since  $C_L$  is required to calculate  $C_{D_L}$ , the calculation of wing  $C_L$  would enable the calculation of this parameter if  $C_L$  is not input as experimental data. The routine will not overwrite experimental data input, and thus the user oriented features are retained.

The ratio  $C_{D_L}/C_L^2$  is available from the routine and will be output for user reference if  $C_{D_L}$  cannot be calculated.

#### 4.3.3 Transonic Wing Roll Derivative, $C_{l_{\beta}}$

Like the wing  $C_{D_L}$  calculation described, the method of Datcom Section 5.1.2.1 requires wing lift to calculate  $C_{l_{\beta}}$  from the relationship  $C_{l_{\beta}}/C_L$ , equation 5.1.2.1-c. Thus, this method is also programmed in subroutine WINGCL. The calculated value for  $C_{l_{\beta}}$  will not overwrite any experimental

data input. The ratio  $C_{\ell \beta} / C_L$  is provided if the calculation for  $C_{\ell \beta}$  cannot be completed. No exceptions are taken for the Datcom method. The ratio  $C_{\ell \beta} / C_L$  at Mach numbers 0.6 and 1.4 are obtained by calling the subsonic and supersonic aerodynamic modules.

#### 4.3.4 Transonic Wing-Body Roll Derivative, $C_{\ell \beta}$

The derivative  $C_{\ell \beta}$  will be calculated by Datcom equation 5.2.2.1-d if the wing-body lift coefficient variation with angle of attack is supplied, or computed as described above. The ratio  $C_{\ell \beta} / C_L$  is given as partial output if the lift variation is not specified. This method is implemented exactly as described in Datcom and is programmed in subroutine WBCLB. Since  $C_{\ell \beta} / C_L$  at  $M_{fb}$  and Mach 1.4 are required input items for this method, they are calculated by calling the appropriate aerodynamic modules.

#### 4.3.5 Transonic Wing-Body-Tail Drag Coefficient, $C_D$

This method is a "method for all speeds" as described in Datcom Section 4.5.3.2, and is incorporated in exactly the same manner as presently programmed for the subsonic solution. This method, as programmed in subroutine CDWBT, require the following experimental data inputs:

1.  $C_{D_{WB}}$  vs angle of attack
2.  $C_{D_H}$  vs angle of attack
3.  $C_{L_H}$  vs angle of attack
4.  $q/q_\infty$  vs angle of attack
5.  $\epsilon$  vs angle of attack
6.  $C_{D_{OV}}$  or  $C_{D_{OWBT}}$

If  $C_{D_{OV}}$  is not an experimental data input item, the program will calculate it from the estimated  $C_{D_{OWBT}}$  calculated as follows:

$$C_{D_{OV}} = C_{D_{OWBT}} - C_{D_{OWB}} - C_{D_{OH}}$$

No partial output is available from this method.

#### 4.3.6 Transonic Wing-Body-Tail Zero Lift Drag Coefficient, $C_{D_0}$

This method follows exactly the method of Datcom section 4.5.3.1, and is programmed as subroutine WBTCDO. This routine does not require experimental data input, although experimental data input is an optional feature for this routine.

Utilizing appropriate configuration description parameters the program computes the drag divergence Mach number,  $M_D$ , from Figure 4.5.3.1-19. The experimental data input allows the user, at his option, to select the type of general configuration to be used in computing  $M_D$ . The three options are:

- o A - Straight wing designs without area rule.
  - o B - Swept wing designs without area rule.
  - o C - Swept wing designs incorporating transonic area rule theory.
- The program default options are as follows:

- o No wing sweep - General Configuration A
- o Swept wing, configuration type not defined - General Configuration B

The general configuration types are defined by the parameter ITYPE, where ITYPE=1 for configuration type A, ITYPE=2 for configuration type B, and ITYPE=3 for type C. In the case of configuration type C, the line for type C, in Figure 4.5.3.1-19, was linearly extrapolated and programmed. All extrapolations in this figure, with the exception of thickness ratio, are assumed to be linear; thickness ratio is extrapolated in a quadratic fashion.

With  $M_D$  calculated from Figure 4.5.3.1-19, it is necessary to fair the  $C_{D_0}$  curve across the transonic Mach regime. The following criteria was used to fair the curve:

1.  $\frac{dC_{D_0}}{dM} = 0.10 @ M = M_D$
2.  $C_{D_0} = C_{D_{OM=.7}} + .002 @ M = M_D$
3.  $\frac{dC_{D_0}}{dM} = \frac{C_{D_{OM=.7}} - C_{D_{OM=.6}}}{.1} @ M = .7$
4.  $\frac{dC_{D_0}}{dM} = \frac{C_{D_{OM=1.4}} - C_{D_{OM=1.1}}}{.3} @ M = 1.1$

A polynomial fairing of the same type as used for the wing nonlinear lift coefficient is used here and has shown acceptable results.

The values of  $C_{D_0}$  at Mach .7 and 1.1 for this method are obtained by calling the subsonic and supersonic aerodynamic modules.

#### 4.3.7 Data Fairing Technique

The data fairing technique used for computing the nonlinear lift region of transonic wings and the transonic wing-body-tail zero lift drag coefficient was chosen for its powerful features and ease of application.

The general fairing formula is a polynomial whose form is:

$$y = A + B(X-X_0) + C(X-X_0)^N$$

where A, B, C and N are unknowns. Given the values of y and dy/dx at two points,  $X_0$  and  $X_1$ , four simultaneous equations can be written. These equations solved simultaneously for the four unknowns yield the following results:

$$A = y_0$$

$$B = \left. \frac{dy}{dx} \right|_{X=X_0}$$

$$C = \frac{y_1 - y_0 - \left. \left( \frac{dy}{dx} \right)_{X_0} (X_1 - X_0)}{(X_1 - X_0)^N}$$

$$N = \frac{\left[ \left. \left( \frac{dy}{dx} \right)_{X_1} - \left. \left( \frac{dy}{dx} \right)_{X_0} \right] (X_1 - X_0)}{y_1 - y_0 - \left. \left( \frac{dy}{dx} \right)_{X_0} (X_1 - X_0)}$$

The general equation reduces to

$$y = y_0 + \left. \left( \frac{dy}{dx} \right)_{X_0} (X - X_0) + \left[ y_1 - y_0 - \left. \left( \frac{dy}{dx} \right)_{X_0} (X_1 - X_0) \right] \left( \frac{X - X_0}{X_1 - X_0} \right)^N$$

This equation is valid for  $X_0 \leq X \leq X_1$  and  $(dy/dx)_{X_0} \neq (dy/dx)_{X_1}$ . Neither of these conditions is violated in this application. The range of values of X will always fall between  $X_0$  and  $X_1$  because of the program logic, and in the nonlinear lift region the slopes at  $X_0$  and  $X_1$  will never be equal. For the transonic wing-body-tail  $C_{D_0}$  versus Mach fairing the Datecom relation  $(dC_{D_0}/dM) = 0.10$  at  $M=M_D$ .



4.4 SUBSONIC WING  $C_m$ , SUBSONIC AND SUPERSONIC WING AERODYNAMIC CENTER, SUBSONIC WING-BODY  $C_m$ , and SUBSONIC WING-BODY-TAIL  $C_m$

The subsonic wing pitching moment variation with angle of attack follows Datcom Method 1 of Section 4.1.4.3, and is programmed in subroutine CMALPH. The method is applicable to those configurations whose wing aspect ratio satisfies the following criteria:

$$A \leq \frac{6}{(1+C_1) \cos \Lambda} \quad \text{("LOW ASPECT RATIO")}$$

For "high aspect ratio" configurations, the default wing aerodynamic center is either the quarter-chord of the wing mean aerodynamic chord, or the user input value (variable name  $X_{AC}$  in the planform section characteristics namelists). This value is used in computing pitching moment for the wing up to the angle of attack where the wing lift deviates by more than 7.5% from the linear value; at this point the method is no longer valid.

There are no methods in Datcom or Digital Datcom for supersonic wing pitching moment, though the wing  $X_{AC}$  is estimated to be at the wing planform centroid for unswept leading edges, and computed using the method and design charts of Datcom section 4.1.4.2 for other surfaces. These supersonic data are computed in subroutine SUPLNG.

There is no Datcom method for computing the wing-body pitching moment in any Mach regime. Digital Datcom, however, computes the subsonic wing-body pitching moment using the following formulation (programmed in subroutines WBCMO and WBCM):

- o Compute  $(C_{m_0})_{WB}$  from regression formulation of Datcom Section 4.3.2.1, programmed in WBCMO. If the method is not applicable,  $(C_{m_0})_{WB}$  is computed from Method 1.
- o Compute the wing-body aerodynamic center from Datcom Section 4.3.2.2 (WBCM), where Equation 4.3.2.2-a is used at all speeds.
- o The wing-body  $C_m$  curve is then computed as

$$C_{m_{WB}} = C_{m_{0WB}} + C_{m_{CL}} + C_{m_{CD}}$$

where  $C_{mC_L}$  is the pitching moment due to lift obtained by integrating the curve of  $X_{AC}$  versus  $C_L$  from  $C_L = 0$  and to  $C_L$  at the desired angle of attack, and  $C_{mC_D}$  is the pitching moment due to wing-body drag located at  $Z_{AC}$ .

Subsonic wing-body-tail pitching moment versus angle of attack is computed by Digital Datcom in subroutine WBTAIL, though there is no Datcom method for this parameter. The method formulation used is as follows:

$$C_{LjH} = C_{LjWBT} - C_{LjWB}$$

$$\begin{aligned} \left( C_{m_j} \right)_{WBT} = & \left( C_{m_j} \right)_{WB} + (q/q_\infty)_j \left( C_{m_o} \right)_H + \frac{(X_{ac} - X_{cg})_H}{\bar{c}_r} \left[ \left( C_{L_j} \right)_H \cos(\alpha)_j \right. \\ & \left. + \left( C_{D_j} \right)_H (q/q_\infty)_j \sin(\alpha)_j \right] + \frac{(Z_{ac} - Z_{cg})_H}{\bar{c}_r} \left[ \left( C_{D_j} \right)_H (q/q_\infty)_j \cos(\alpha)_j \right. \\ & \left. - \left( C_{L_j} \right)_H \sin(\alpha)_j \right] \end{aligned}$$

#### 4.5 TRANSONIC BODY $C_L$ FAIRING AND TRANSONIC BODY $C_m$ FAIRING

The transonic  $C_{L_\alpha}$  and  $C_{m_\alpha}$  derivatives for the body alone configuration is interpolated linearly between the subsonic ( $M = 0.60$ ) and supersonic ( $M = 1.40$ ) Mach regimes in subroutine BØDYRT.

#### 4.6 SUBSONIC ASYMMETRICAL BODY $C_L$ , SUBSONIC ASYMMETRICAL BODY $C_{m0}$

##### $C_m$ , AND SUBSONIC ASYMMETRICAL BODY $C_{D0}$ , $C_D$

Digital Datcom body solutions generally include lift, drag, and pitching moment coefficients. In the transonic speed regime the solutions are restricted to lift and pitching moment slopes, and drag coefficients.

#### 4.6.1 Subsonic Bodies

Subsonic body analysis computes lift, drag, and pitching moment coefficients for either axisymmetric or cambered bodies. Digital Datcom body methods are identical to Datcom except for the base drag. Digital Datcom calculates base drag using a minimum base area equal to 30% of the body maximum cross-sectional area.

The cambered body pitching moment method is not defined in Datcom and is therefore described in detail. For clarity, the lift method, which is defined in Datcom, is also described. These body methods (subroutine BØDØPT) are executed when the parameters  $Z_U$  and  $Z_L$  are user specified (namelist BØDY). The method predicts the zero lift angle of attack, zero lift pitching moment, and body lift and pitching moment versus angle of attack. The Datcom drag methods are retained.

Zero lift angle of attack and pitching moment are calculated utilizing conventional mean line theory. The equations are:

$$\alpha_0 = \frac{-57.3}{\pi} \int_0^{0.95} \frac{z'}{L} \left[ \frac{1}{(1-x/L) \left[ x/L - (x/L)^2 \right]^{1/2}} \right] d(x/L), \text{ degrees}$$

$$C_{m0} = 2.0 \int_0^{1.0} \frac{z'}{L} \left[ \frac{1-2.0 x/L}{\left[ x/L - (x/L)^2 \right]^{1/2}} \right] d(x/L)$$

These parameters are defined in Figure 25.

Lift and moment for asymmetric bodies are calculated by employing a modified version of Polhamus's leading-edge suction analogy (References 2 and 3). Polhamus considers two components of lift, a potential flow term,  $C_{Lp}$ , and a vortex-lift term  $C_{Lv}$ . Both of these terms are a function of body aspect ratio (A) and are defined as follows:

$$\begin{aligned}C_L &= C_{Lp} + C_{Lv} \\C_{Lp} &= K_p \sin \alpha \cos^2 \alpha \\C_{Lv} &= K_v \sin^2 \alpha \cos \alpha \\ \alpha &= \text{angle of attack}\end{aligned}$$

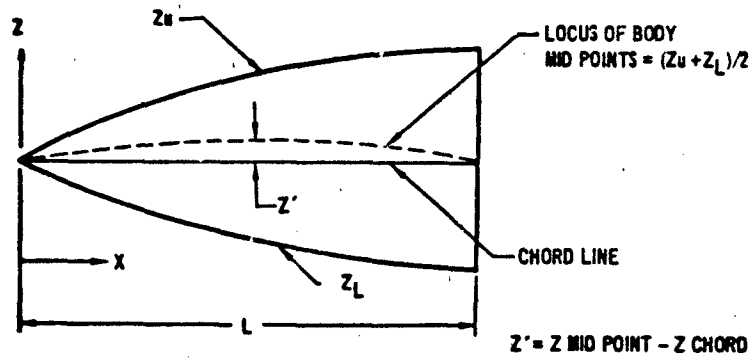
$K_p$  and  $K_v$  are obtained from Figure 26.

The Polhamus vortex lift equation must be modified to make it applicable to thick bodies because the onset of vortex lift for such configurations is not at zero angle of attack as it is with flat plate wings. The thick body angle of attack for onset of vortex lift ( $\alpha_v$ ) can be correlated with the fineness ratio (FR) and the thickness ratio (TR) of the body as shown in Figure 27a. The body thickness parameters are shown in Figure 27b. Experimental data used in correlation are presented in References 4 through 7. The redefined lift expressions for thick bodies are as follows:

$$\begin{aligned}C_{Lp} &= K_p \sin \alpha \cos^2 \alpha \\C'_{Lv} &= K_v \sin^2 (\alpha - \alpha_v) \cos (\alpha - \alpha_v) \\C'_L &= C_{Lp} + C'_{Lv}\end{aligned}$$

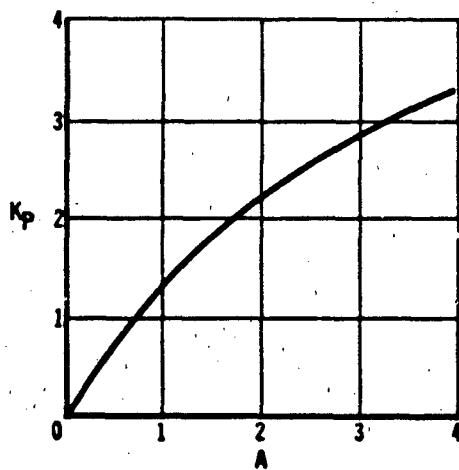
The body pitching moment is obtained by estimating the center-of-pressure locations of both the potential and vortex lift components. The total pitching moment is equal to the sum of the moments produced by the lift forces acting at their respective center-of-pressure locations plus the zero lift pitching moment. The potential lift center-of-pressure location employed stems from slender body theory and is presented in Figure 28 as a function of  $n$ . The equation for the powerlaw planform is of the form  $R = R_{max} (X/L)^n$ . The program computes an exponent  $n$  that closely approximates the input planform area. The potential lift center-of-pressure location is obtained from Figure 28 or the equation,

$$x_{cp}/L = 2n/(2n+1)$$



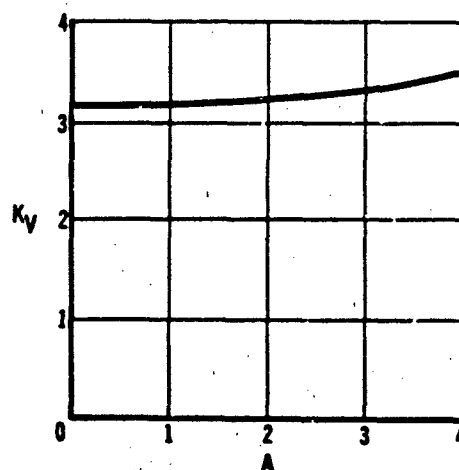
SIDE VIEW ( $x_i$  VALUES SHIFTED TO BODY NOSE)

FIGURE 25 ASYMMETRIC BODY GEOMETRY INPUTS



ASPECT RATIO

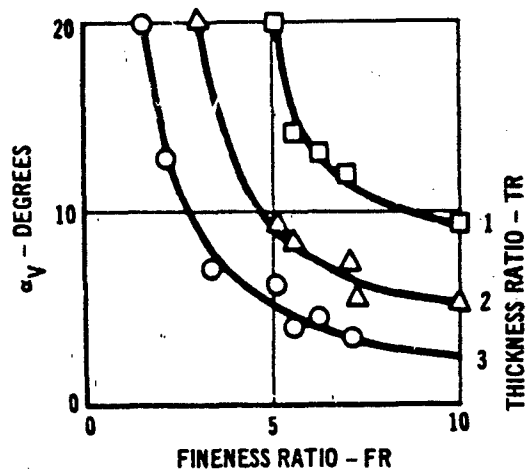
DATCOM FIGURE 4.2.1.2-36a



ASPECT RATIO

DATCOM FIGURE 4.2.1.2-36b

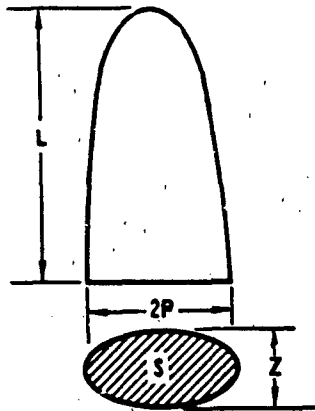
FIGURE 26 POTENTIAL AND VORTEX LIFT COMPONENTS



DATCOM FIGURE 4.2.1.2-37

FIGURE 27a CORRELATION OF  $\alpha_v$

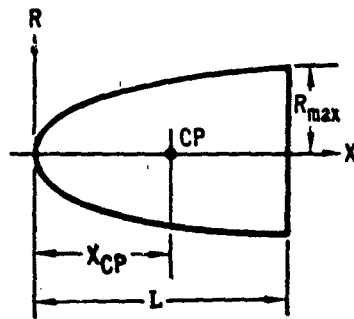
BODY PLANFORM



$$\text{FINENESS RATIO - FR} = \frac{L}{d_b}; \quad d_b = \sqrt{\frac{4S}{\pi}}$$

$$\text{THICKNESS RATIO - TR} = \frac{2R}{Z}$$

FIGURE 27b BODY THICKNESS PARAMETERS



POWER LAW PLANFORM  

$$R = R_{max} \left[ \frac{X}{L} \right]^n$$

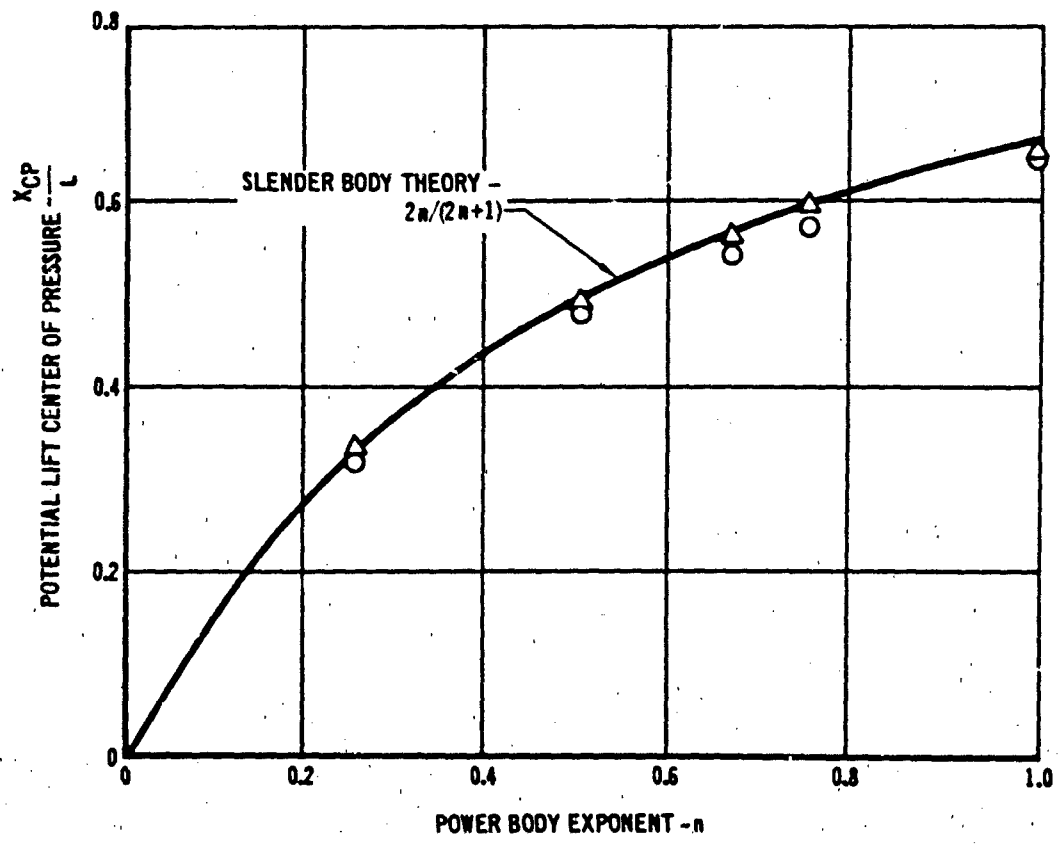


FIGURE 28 POTENTIAL LIFT CENTER OF PRESSURE

Vortex lift center of pressure is assumed to be located at the total planform centroid of area. The equation for the body pitching moment coefficient is:

$$C_m = C_{m0} + C_{mp} + C_{mv}$$

$$C_{mp} = C_{Np} (X_{CG} - X_{CP})/L$$

$$C_{mv} = C_{Nv} (X_{CG} - \bar{X})/L$$

where  $\bar{X}$  is the location of the total planform center of area measured from the body nose. The method is applicable at angles of attack equal to or greater than the wing maximum lift angle of attack.

#### 4.6.2 Transonic Bodies

Digital Datcom body solutions are restricted to lift and pitching moment slopes, and drag coefficients in the transonic speed regime. These data are computed by performing a linear interpolation between the subsonic ( $M = 0.60$ ) and supersonic ( $M = 1.4$ ) Mach regimes.

Subroutines that implement the transonic body methods are BØDYRT, SUPBØD, TRSØNI, and TRSØNJ.

#### 4.6.3 Supersonic Bodies

Supersonic body analysis provides solutions for lift, drag and pitching moment coefficients. Datcom methods for lift, pitching moment slope, and drag coefficient require the body to be synthesized from a combination of body components comprised of a nose, after-body, and/or tail segments. Digital Datcom requires synthesized body configurations to be either nose alone, nose-after body, nose-after body-tail, or nose-tail segment combinations.

Some of the Datcom body drag methods in this speed regime have not been implemented in Digital Datcom. The effects of blunted noses on drag are not incorporated since the body lift and pitching moment methods do not reflect the influences of this parameter. Some of the Datcom interference drag methods are also deleted. In this case, the methods were omitted because of their limited range of applicability.

Calculation of wing-body, or horizontal tail-body, stability requires the lift curve slope of the body ahead of the wing or horizontal tail. Body  $C_N$  methods are executed for the portion of the body ahead of the wing, if the wing is present; the portion of the body ahead of the horizontal tail, if the horizontal tail is present; and entire body.



All methods are implemented by subroutine SUPEØD except for a portion of the drag methods contained in subroutine FIG26.

#### 4.6.4 Hypersonic Bodies

Hypersonic body analysis is performed at user designated Mach numbers that are equal or greater than 1.4. In this speed regime, Digital Datcom stability solutions include lift, drag and pitching moment coefficients.

Hypersonic body analyses for lift and pitching moment slopes and drag coefficients, like the supersonic body methods, require the body to be synthesized from a combination of body segments. Hypersonic body analysis is unlike the other Datcom hypersonic configuration analyses since the methods are defined independent of the supersonic results. Body  $C_{N_\alpha}$  for portions of the body ahead of the wing and/or horizontal tail are also calculated.

The methods are implemented in subroutine HYPBOD. A small portion of the drag methods are found in subroutine FIG26.

#### 4.7 TRANSONIC WING-BODY $C_L$

The transonic wing-body lift coefficient, if not input using name-list EXPR--, is computed in subroutine WBCLB using the following equations:

$$C_{L_i} = (C_{L_\alpha})^* (\alpha_j)_W$$

$$(C_{L_j})_{WB} = (C_{L_\alpha})_B \alpha_j + [K_{W(B)} + K_{B(W)}] (C_{L_\alpha})_W^* \alpha_j$$

$$+ I_{V_{B(W)}} \left( \frac{\Gamma}{2\pi\alpha_j V_{r_{C_{re}/2}}} \right) \left( \frac{d}{b} \right) \alpha_j (C_{L_\alpha})_W^*$$

$$+ [k_{W(B)} + k_{B(W)}] C_{L_i}$$

In computing the transonic wing-body pitching moment slope, the center of pressure of body-wing carryover is linearly interpolated between the values obtained at Mach 0.60 and Mach 1.40 in subroutine TRANCM.

#### 4.8 WING-BODY-TAIL MOVEABLE HORIZONTAL TAIL TRIM

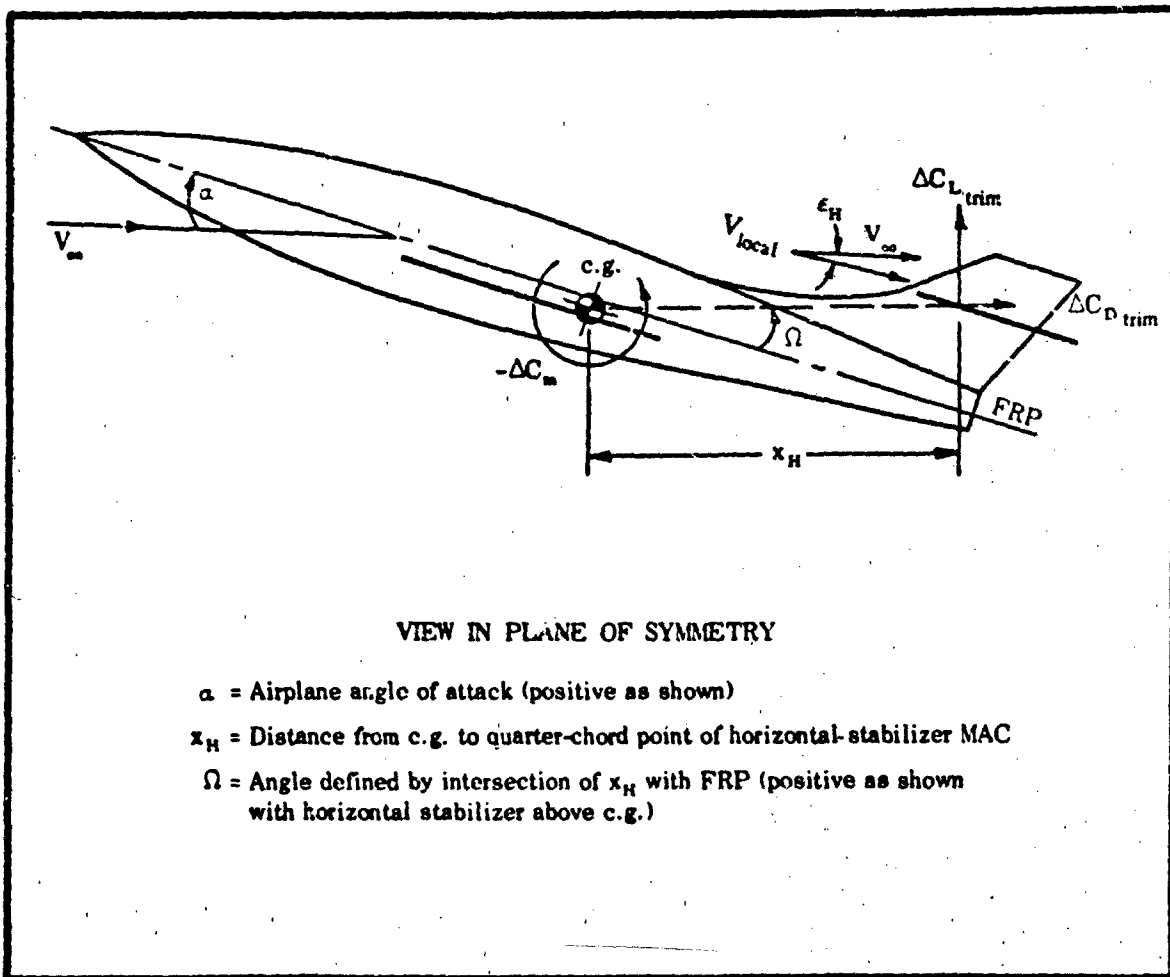
The all moveable horizontal tail incidence required to trim the vehicle ( $C_{M_{C.G.}} = 0$ ) at angle of attack is calculated in subroutine TRIMR2. At trim, the forces on the tail are  $C_{L_H}$  and  $C_{D_H}$  (trimmed lift and drag), and are referenced to the local flow at a tail angle of attack of  $(\alpha - \epsilon_H)$ . Since these trimmed forces are located at the tail aerodynamic center, which is known, the total body moments can be summed as follows:

$$C_{M_{WB}} + C_{M_{OH}} \frac{q_H}{q_\infty} - C_{L_H} \frac{q_H}{q_\infty} \left[ \frac{\Delta X_{AC}}{\bar{C}_W} \cos(\alpha - \epsilon_H) + \frac{\Delta Z_{AC}}{\bar{C}_W} \sin(\alpha - \epsilon_H) \right] + C_{D_H} \frac{q_H}{q_\infty} \left[ \frac{\Delta Z_{AC}}{\bar{C}_W} \cos(\alpha - \epsilon_H) - \frac{\Delta X_{AC}}{\bar{C}_W} \sin(\alpha - \epsilon_H) \right] = 0$$

$C_{D_H}$  can be expressed as

$$C_{D_H} = C_{D_{OH}} + \frac{(C_{L_H})^2}{\pi A_H e_H}$$

Hence, the only unknown is  $C_{L_H}$ , the tail lift at trim, which can be evaluated. From Sketch (a) note that



Sketch (a)

$$\frac{\Delta X_{ac}}{\bar{C}_W} = \frac{X_H}{\bar{C}_W} \cos \Omega$$

$$\frac{\Delta Z_{ac}}{\bar{C}_W} = \frac{X_H}{\bar{C}_W} \sin \Omega$$

Thus,

$$\begin{aligned} & \frac{\Delta Y_{ac}}{\bar{C}_W} \cos (\alpha - \epsilon_H) + \frac{\Delta Z_{ac}}{\bar{C}_W} \sin (\alpha - \epsilon_H) \\ &= \frac{X_H}{\bar{C}_W} [\cos \Omega \cos (\alpha - \epsilon_H) + \sin \Omega \sin (\alpha - \epsilon_H)] \\ &= \frac{X_H}{\bar{C}_W} \cos (\Omega - \alpha - \epsilon_H) \end{aligned}$$

$$\begin{aligned} & \frac{\Delta Z_{ac}}{\bar{C}_W} \cos (\alpha - \epsilon_H) - \frac{\Delta X_{ac}}{\bar{C}_W} \sin (\alpha - \epsilon_H) \\ &= \frac{X_H}{\bar{C}_W} [\sin \Omega \cos (\alpha - \epsilon_H) - \cos \Omega \sin (\alpha - \epsilon_H)] \\ &= \frac{X_H}{\bar{C}_W} \sin (\Omega - \alpha + \epsilon_H) \end{aligned}$$

The moment equation reduces to

$$C_{M_{WB}} + C_{M_{OH}} \frac{q_H}{q_\infty} - C_{LH} \frac{q_H}{q_\infty} \frac{x_H}{\bar{c}_W} \cos(\Omega - \alpha + \epsilon_H) + \left[ C_{D_{OH}} + \frac{(C_{LH})^2}{\pi A_H e_H} \right] \frac{q_H}{q_\infty} \frac{x_H}{\bar{c}_W} \sin(\Omega - \alpha + \epsilon_H) = 0$$

Letting  $\delta = \Omega - \alpha + \epsilon_H$  and re-arranging yields a quadratic on  $C_{LH}$ .

$$\frac{q_H}{q_\infty} \frac{x_H}{\bar{c}_W} \sin \delta \frac{(C_{LH})^2}{\pi A_H e_H} - \frac{q_H}{q_\infty} \frac{x_H}{\bar{c}_W} \cos \delta (C_{LH}) + C_{D_{OH}} \frac{q_H}{q_\infty} \frac{x_H}{\bar{c}_W} \sin \delta + C_{M_{WB}} + C_{M_{OH}} \frac{q_H}{q_\infty} = 0$$

Simplifying,

$$\frac{\tan \delta}{\pi A_H e_H} (C_{LH})^2 - C_{LH} + C_{D_{OH}} \tan \delta + \frac{C_{M_{WB}} + C_{M_{OH}} \frac{q_H}{q_\infty}}{\frac{q_H}{q_\infty} \frac{x_H}{\bar{c}_W} \cos \delta} = 0$$

From the quadratic formula,

$$C_{LH} = \frac{1 \pm \sqrt{1 - 4 \left[ \frac{\tan \delta}{\pi A_H e_H} \right] \left[ C_{D_{OH}} \tan \delta + \frac{C_{M_{WB}} + C_{M_{OH}} \frac{q_H}{q_\infty}}{\frac{q_H}{q_\infty} \frac{x_H}{\bar{c}_W} \cos \delta} \right]}}{2 \left[ \frac{\tan \delta}{\pi A_H e_H} \right]}$$

In this form, the equation becomes invalid for  $\delta = 0$ , and can be further reduced to

$$C_{LH} = \frac{2 \left[ \frac{C_{M_{WB}} + C_{M_{OH}} \frac{q_H}{q_\infty}}{\frac{x_H}{\bar{c}_W} \frac{q_H}{q_\infty} \cos \delta} + C_{D_{OH}} \tan \delta \right]}{\sqrt{1 - 4 \left[ \frac{\tan \delta}{\pi A_H e_H} \right] \left[ \frac{C_{M_{WB}} + C_{M_{OH}} \frac{q_H}{q_\infty}}{\frac{x_H}{\bar{c}_W} \frac{q_H}{q_\infty} \cos \delta} + C_{D_{OH}} \tan \delta \right]}}$$

A plus sign in front of the radical is the valid solution, otherwise at  $\delta = 0$  the solution is undefined. This result is similar to Datcom equation 4.5.3.2-e, with the exception of the term " $C_{m_{OH}} q_H/q_\infty$ ."

Once the tail lift at trim ( $C_{LH}$ ) has been determined, a variation of Datcom equation 4.5.1.2-a can be used to calculate the tail incidence  $\alpha_{iH}$ .

$$C_{LH} = C'_{LH} (K_{H(B)} + K_{B(H)}) + C'_{L_{\alpha_H}} (\alpha_{iH}) [k_{H(B)} + k_{B(H)}] + I_{V_{B(H)}} \left( \frac{\gamma}{2\pi\alpha V r} \right)_H \frac{(b/2 - b^*/2)}{(b/2)} C_{L_{\alpha_H}}^* \alpha_{eff}$$

where  $C_{LH}^*$  is the pseudo lift-curve-slope of the horizontal tail in the presence of the body,

$$C_{L_{\alpha_H}}^* = C_{L_{\alpha_H}} (K_{H(B)} + K_{B(H)})$$

$C_{L_H}'$  and  $C_{L_H}$  are the horizontal tail lift and lift curve slope at  
 $(\alpha - \epsilon_H + \alpha_{OH})$

and  $\alpha_{eff}$  is the effective angle of attack of the horizontal tail in the presence of the body

$$\alpha_{eff} = \alpha - \epsilon_H + \alpha_{OH} + \alpha_{i_H} \left( \frac{k_{H(B)} + k_{B(H)}}{k_{H(B)} + k_{B(H)}} \right)$$

The incidence angle to trim can then be solved directly, and becomes

$$\alpha_{i_H} = \frac{C_{L_H} - (k_{H(B)} + k_{B(H)}) \left[ C_{L_H}' + C_{L_{\alpha H}}' (\alpha - \epsilon_H + \alpha_{OH}) I_{V_{E(H)}} \left( \frac{\Gamma}{2\pi V r} \right) H \left( \frac{b/2 - b^*/2}{b/2} \right) \right]}{(k_{B(H)} + k_{H(B)}) \left[ C_{L_{\alpha H}}' + I_{V_{B(H)}} \left( \frac{\Gamma}{2\pi V r} \right) H \left( \frac{b/2 - b^*/2}{b/2} \right) C_{L_{\alpha H}} \right]}$$

Once the tail lift and drag at trim has been computed the panel hinge moment about the pivot point can also be computed. Since  $C_{L_H}$  and  $C_{D_H}$  are referenced to the local flow, they must be computed relative to the freestream flow. Relative to  $V_{\infty}$ , trim lift and drag are

$$C_{L_{H_{TRIM}}} = (C_{L_{H_T}} \cos \epsilon - C_{D_{H_T}} \sin \epsilon) \frac{q_H}{q_{\infty}}$$

$$C_{D_{H_{TRIM}}} = C_{D_{OH}} + \frac{(C_{L_{H_{TRIM}}})^2}{\pi A_H e_H}$$

The pitching moment trimmed is

$$C_{M_{H_{TRIM}}} = C_{L_{H_{TRIM}}} \left[ \frac{x_H}{\bar{c}_w} \cos \delta \right] + C_{D_{H_{TRIM}}} \left[ \frac{x_H}{\bar{c}_w} \sin \delta \right]$$

The hinge moment about the pivot point is

$$C_{HM} = \left[ C_{L_{H_{TRIM}}} \cos \alpha + C_{D_{H_{TRIM}}} \sin \alpha \right]$$

#### 4.9 WING-BODY-TAIL TRIM WITH CONTROL DEVICES

Configuration trim with wing or horizontal tail control devices is performed in subroutine TRIMRT. The method programmed, which is not a Datcom method, essentially does a table look-up of the control device incremental pitching moment coefficient versus control deflection for the deflection required to trim. The incremental lift coefficient and drag coefficient are then obtained by performing table look-ups for these variables (which are a function of control deflection angle) at the trimmed control deflection.

#### 4.10 STANDARD ATMOSPHERE MODEL

Incorporation of a standard atmosphere model (subroutine ATMOS) into Digital Datcom provides input and output flexibility for the user. The program can operate on Mach number and altitude as separate independent variables. The addition of vehicle weight and flight path angle permit calculation of equilibrium flight conditions.

The program allows the user to input either Mach number or velocity as an independent variable for speed reference. If velocity is input, the free stream static temperature must be available so that Mach number can be calculated. The user will also have the option to specify a flight altitude, or static pressure and temperature, as an independent variable defining the atmospheric conditions. If altitude is specified, pressure and temperature will be found using the "U.S. Standard Atmosphere, 1962."

The user may input up to 20 Mach or velocity points. If Mach number is input, the velocity will be calculated for each point where atmospheric data are input. When velocity is input the Mach number will be calculated using atmospheric conditions. If velocity is input instead of Mach numbers and atmospheric conditions are not defined, an error message will be written and Mach numbers will be calculated using a speed of sound of 1000 ft/sec.

The user may also input up to 20 atmospheric conditions. The atmosphere may be defined by altitude, pressure and temperature, or Reynolds number. If the altitude is given, pressure and temperature will be determined using the



atmosphere model developed in Reference 9. The Reynolds number will be calculated using the following equation (in the foot-pound-second system of units):

$$RN/L = \rho V/\mu = 1.2527 \times 10^6 PM (T + 198.6)/T^2$$

This equation was derived using the following relationships:

$$\rho = P/RT$$

$$V = M \sqrt{\gamma RT}$$

$$\mu = 2.270 \times 10^{-8} T^{1.5}/(T + 198.6)$$

If the Reynolds number is not input and cannot be calculated, an error message will be written and the Reynolds number will be set to  $5 \times 10^6/\text{ft}$ .

Given the vehicle weight, flight path angle, and atmospheric conditions, the equilibrium flight aerodynamic data can be determined. Equilibrium flight is achieved when the following relationship is satisfied.

$$WT = (C_L \cos \delta - C_D \sin \delta) qS$$

Along with the untrimmed aerodynamic output, the level flight ( $\delta = 0$ ) lift coefficient will be output. Trim data output will provide an additional line of output at the equilibrium flight conditions (subroutine FLTCL).

## SECTION 5

### SYSTEM RESOURCE REQUIREMENTS

Digital Datcom is a large and rather complex computer program which requires specific computer resources to execute within a fixed core requirement. The program is written to conform to the American National Standards Institute (ANSI) Standard Fortran IV. Certain computer resources must be available to make the program operational without modifications. These resources are:

- o Six disk files or scratch tapes are required for manipulation and retrieval of input data. The logical I/O units used are 8, 9, 10, 11, 12 and 13. These logical units are in addition to logical unit 5 (read) and unit 6 (write).
- o The system must have capability for primary and secondary overlay structures.
- o The system must have a Fortran compiler which provides for NAMELIST input and output, and statement transfer when an end of file is detected.

Each logical unit referenced by the program is reserved for a specific purpose. The units referenced and their use in the program are listed below:

Unit	Program Usage
5	Standard system input (card reader)
6	Standard system output (printer)
8	Storage of experimental data namelists for the case being executed
9	Storage of input namelists, except experimental data, for the case being executed
10	Storage of experimental data namelists for a single Mach number
11	Storage of all input data after processing by the input diagnostic analysis module (CØNERR)
12	Storage of extrapolation messages for processing by overlay 57
13	Storage of output data for use with the Plot Module as a post-processing option

## SECTION 6

### PROGRAM CONVERSION MODIFICATIONS

#### 6.1 GENERAL REMARKS

The program was written in Fortran IV for the CDC Cyber 175 computer system. Several program modifications may be required to run under other Fortran compilers or computer systems. It is recommended that users implementing the program for their computer system become familiar with their installation operating system and Fortran compiler requirements. Users are forewarned that program core requirements and run times discussed in this report may no longer be valid.

#### 6.2 PROGRAM STRUCTURE

The program is composed of a root segment overlay (overlay 0), fifty-seven primary overlays and twenty-eight secondary overlays. Table 7 shows the overall program structure and lists those routines that are contained in each overlay. In the CDC system, the first routine in an overlay is called a "program" and subsequent routines "subroutines." Several subroutines appear in more than one overlay. These subroutines are called "common decks" and are listed in Table 8.

##### 6.2.1 Calls to Overlay

All primary overlays are called by the root segment overlay, and secondary overlays called by their respective primary overlay using the calling sequence

CALL OVERLAY (4LDATC, XX, YY, 6HRECALL)

where: DATC is the disc file where the overlay is located,

XX is the primary overlay number in decimal, and

YY is the secondary overlay number in decimal.

Hence, each overlay is written to a disk file with the name "DATC." Users should refer to the Fortran reference manual for their system and determine the correct overlay calling procedure.

##### 6.2.2 Common Decks

Several subroutines are used in more than one overlay. The most commonly used routines are located in the root segment for access by all overlay programs and subroutines. However, several decks are used by only a few

routines and placing them in the root segment would require an increase in overall program core size. In order to maintain a low core requirement, these common decks are located in each overlay in which it is referenced.

Warning - Not all systems allow two routines to have the same name even though they are identical. If the user's system does not allow this option, three alternatives are available as follows:

- o Rename each deck that is common, and change the calling sequence to it.

natives are available as follows:

- o Place all common decks in the root segment (overlay 0) and remove the deck from each associated overlay. The user will increase the overall program core requirement by using this technique, however, it is easier than the procedure outlined above.

- o On some systems that have multiple region capability, these common decks can be placed in a separate overlay region.

#### 6.2.3 "OVERLAY" and "PROGRAM" Cards

Each primary and secondary overlay main program contains these two cards. The CDC Fortran compiler requires all overlays to begin with an "OVERLAY" card followed by a main program which begins with a "PROGRAM" card. These must be replaced by corresponding code required by the operating system and compiler being employed.

#### 6.2.4 End of File Tests

Routines INPUT, CØNERR and XPERNM utilize a transfer on end of file. This statement must be modified for the Fortran compiler being used.

#### 6.2.5 Use of "UNUSED" and "KAND"

These constants are set in BLOCK DATA. The value for "UNUSED" is set in the program as  $10^{-60}$ . It is sometimes used as a program flag and is used for initializing all variable arrays to some number other than zero. The value for "UNUSED" can be changed if desired and must be defined in BLOCK DATA as a small positive number. The variable "KAND" defines the alphabetic character used by the NAMELIST inputs. It is set to '\$' for CDC systems.

## SECTION 7

### PROGRAM DECK DESCRIPTION

This section contains a description of all routines in Digital Datcom. Table 7 lists the decks by overlay, Table 8 lists those "common decks" in the program, and Table 9 describes the purpose of each deck and the overlays referenced. For convenience, Table 9 lists the routines in alphabetical order. Table 10 discusses the use of each of the variables in the Digital Datcom control data blocks. The description of the plot module routines is provided in Volume III of this report.

A complete program listing, which includes Digital Datcom and the Plot Module, is provided as a microfiche supplement to this report.

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
00	DATCOM MAIN00 MAIN01 MAIN02 MAIN03 MAIN04 MAIN05 MAIN06 MAIN07 BLOCK DATA TBFUNX QUAD INTERX TLIN3X TLINEX TLINIX GLØØK SWITCH MESSGE FIG26 CLMCHO	TOP LEVEL PROGRAM CONTROL - COMMONLY USED ROUTINES

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
01	EXSUBT	
01,1	M01001 INITZE ZERANG	INITIALIZE PROGRAM AND PROCESS INPUT DATA INITIALIZES DATA BLOCKS AND PRINT FLAGS
01,2	INPUT TEST WRLØIP WRHTIP WRVTIP WRVFIP INPUTL INPUT2 INPUT3 INPUT4	READ AND WRITE INPUTS
01,3	CHECK CØNV ATMØS MAJERR	CHECK MACH REGIME LIMITS, CHECK FOR MISSING NAMELISTS
01,4	CØNERR NMLIST TESTØR	CHECK USER INPUTS FOR SYNTAX ERRORS

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
	VNAME LVALUE RVALUE CCARD NMTEST	
02	M02002 WTGEOM ANGLES ZERANG SETUP1 INFTGM SYNDIM ARCLSS	CALCULATE CASE GEOMETRIC AND SYNTHESIS DATA
03	M03003 CDRAG FIG53A	CALCULATE WING DRAG DATA
04	M04004 B0D0PT TRAPZ EQSPCE GETMAX	CALCULATE SUBSONIC ASYMMETRIC BODY AERODYNAMICS



TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
05	EQSPCI M05005 CDRAG FIG53A	CALCULATE HORIZONTAL TAIL DRAG DATA
06	M06006 B0DYRT EQSPCE EQSPCI GETMAX TRAPZ B0DYJM	CALCULATE SUBSONIC AXISYMMETRIC BODY AERODYNAMICS
07 07.1	M07007 WBAER0 B0D0WNG ALI TRAPZ WBDRAG WBLIFT WBCM WBCMO TABLEC	CALCULATE SUBSONIC WING-BODY AERODYNAMICS CALCULATE WING-BODY $C_D, C_L, C_M, C_N, C_A$

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
07, 2	WBCD WBCDL TABLES TBSUB TBTRN TBSUP	CALCULATE WING-BODY $C_D$
08	M08010 VTDRAG	CALCULATE SUBSONIC VERTICAL TAIL DRAG DATA
09	M09011 VFDRAG	CALCULATE SUBSONIC WING FLOW FIELD AT HORIZONTAL TAIL
10	DYPRLS DMASH TRAPZ M10012 B0D0WG ALI WGE0TL WBTAIL	CALCULATE SUBSONIC WING-BODY-TAIL AERODYNAMICS
11	M11013 DMPARY GRDEFF	CALCULATE GROUND EFFECTS

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
12	M12014	PRINTS OUTPUTS
12, 1	OUTPUT HEADR PRCSID INTERM SWRITE	PRINT CONVENTIONAL OUTPUTS
12, 2	AUXOUT PRCSID SWRITE AXPRINT ARCCOS PRNSEC	PRINT AUXILIARY AND PARTIAL OUTPUTS
12, 3	WPL0T	WRITE PLOT DATA TO UNIT 13
13	M13015 PRPWEF ANGLES ZERANG	CALCULATE PROPELLER POWER EFFECTS
14	M14016 L0ARWB	CALCULATE SUBSONIC LOW ASPECT RATIO WING AND WING-BODY AERODYNAMICS

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
15	M15017 CALCAO WTLIFT LIFTCF CLMXBS ANGLES	CALCULATE SUBSONIC WING LIFT CHARACTERISTICS
16	M16020 CALCAO WTLIFT LIFTCF CLMXBS ANGLES	CALCULATE SUBSONIC HORIZONTAL TAIL LIFT CHARACTERISTICS
17	M17021 SUBLAT TLINAX	CALCULATE SUBSONIC LATERAL STABILITY DERIVATIVES
18	M18022 WTGEOM ANGLES ZERANG	CALCULATE SUPERSONIC WING DRAG DATA

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
19	SETUP1 SUPDRG M19023 SUPB0D TRAPZ	CALCULATE SUPERSONIC BODY AERODYNAMICS
20	M20024 SUPWB B0D0WG ALI SUPHB VRTCD0 VFCD0 SUPCMO WBCMO TABLEC	CALCULATE SUPERSONIC WING-BODY AERODYNAMICS AND VERTICAL TAIL CDO
21	M21025 SDWASH INFTGM	CALCULATE WING SUPERSONIC FLOW FIELD AT HORIZONTAL TAIL

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
	SDDVC SDWA SDWB SDWC SDWD SDWE DPRESR FIG68 MACH2 ARCSIN ARCCOS	
22	M22026	CALCULATE SUPERSONIC HORIZONTAL TAIL AERODYNAMICS
23	SUPLTG M23027 SUPLAT TRAPZ SUPLAH MASRAT SUPLAV SUPLAF	CALCULATE SUPERSONIC LATERAL STABILITY DERIVATIVES

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
24	M24030	CALCULATE TRANSONIC WING AERODYNAMICS AND BODY STABILITY DATA
24, 1	TRANWB TRSØNI CLMXB1 TRANF TRANWG TRANHB	CALCULATE WING $C_{L\alpha}$ , $C_{LMAX}$ , $\alpha_{CLMAX}$ , $C_{D0}$ ; BODY $C_{L\alpha}$ , $C_{m\alpha}$ , $C_D$
24, 2	TRSØNJ CLMXB1 TRANF TRNHT	CALCULATE HORIZONTAL TAIL $C_{L\alpha}$ , $C_{LMAX}$ , $\alpha_{CLMAX}$ , $C_{D0}$
24, 3	TRANCD MBCDL TABLES TBSUB TBTRN TBSUP	CALCULATE WING-BODY, H.T.-BODY $C_D$
25	M25031 TRAHAC	CALCULATE TRANSONIC WING AND WING-BODY $C_{m\alpha}$

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
25, 1	TRANCH TLIN4X WBCMI WBTRAN	CALCULATE WING, WING-BODY $C_{m\alpha}$
25, 2	TRHTCM TLIN4X WBCMI HBTRAN	CALCULATE H.T., H.T.-BODY $C_{m\alpha}$
25, 3	TRACMO WBCMO TABLEC	
26	M26032 HYPB00 TRAPZ	CALCULATE HYPERSONIC BODY AERODYNAMICS
27	M27033 SUPLNG	CALCULATE SUPERSONIC WING STABILITY DATA
	M28034 SUPMBT B0D0NG ALI	CALCULATE SUPERSONIC WING-BODY-TAIL AERODYNAMICS



TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
29	M29035 TRAPZ GETMAX	CALCULATE LATERAL STABILITY GEOMETRY DATA
30	M30036 JETPME TLINVS FG6115	CALCULATE JET POWER EFFECTS
31	M31037 CMALPH CACALC	CALCULATE SUBSONIC WING $C_m$ AND BODY AXIS $C_N \cdot C_A$
32	M32040 VTLIFT VFLIFT	CALCULATE SUPERSONIC VERTICAL TAIL LIFT DATA
33	M33041 CMALPH CACALC	CALCULATE SUBSONIC HORIZONTAL TAIL $C_m$

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
34	M34042 XPERNH TEST	DEFINE NUMBER OF CARDS IN EACH EXPERIMENTAL DATA NAMELIST
35	M35043	CALCULATE TRANSONIC WING-BODY-TAIL $C_{L\alpha}$ AND SECOND LEVEL METHODS
35, 1	SETUP2	SET-UP FOR SECOND LEVEL METHODS
	CLBCLC	
35, 2	WBTRA	CALCULATE TRANSONIC WING-BODY-TAIL DATA
	TRAMB	
35, 3	SECLEV	COMPUTE SECOND LEVEL DATA
	WINGCL	
	WBCLB	
	BDDWNG	
	ALI	
	WBTCD0	
	CDWBT	
	CLWBT	
	CNCA	
36	M36044 LIFTFP HINGE CTABS	CALCULATE FLAP LIFT AND HINGE MOMENT DATA

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
37	M37045 SIMUL4 TRAPZ FLAPCM GDELTA AGENR DET4	CALCULATE FLAP PITCHING MOMENTS
38	M38046 TRIMR2 TRIMRT DRAGFP	CALCULATE SUBSONIC FLAP DRAG AND TRIM AERODYNAMICS
39	M39047 QUTPT2 PRCSID SWRITE FLTCL DUMP2 DMPARY	PRINT HIGH LIFT AND CONTROL DATA
40	M40050 TRNVRL	CALCULATE TRANSONIC LATERAL CONTROL/FLAP AERODYNAMICS

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
41	M41051  DFLC0N ARCC0S ARCSIN SSHING SSSYM PTCF	CALCULATE SUPERSONIC HIGH LIFT AND CONTROL DEVICE AERODYNAMICS
42	M42052  FIG68 ARCSIN ARCC0S SIMUL2 PRCSID DMPARY HYPFLP  HYPR0P QUTPT4  ALDLPR	CALCULATE HYPERSONIC FLAP AERODYNAMICS   CALCULATE HYPERSONIC FLAP DATA FOR FLOW PROPERTIES  PRINT HYPERSONIC FLAP DATA
42, 1		
42, 2		

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
43	M43053 TLIP3X TLIP2X TLIP1X YUP CMALPØ SUBPAW SUBPAH SUPPAM SUPCMQ SUPPAH SUPHMQ	CALCULATE DYNAMIC DERIVATIVES--SUBSONIC, TRANSONIC, SUPER-SONIC
43, 1	M44054	CALCULATE H.T. DYNAMIC DERIVATIONS
43, 2	ARCSIN	CALCULATE H.T. $C_{m,q}$ DERIVATIONS
43, 3	TLIP3X	CALCULATE SUPERSONIC WING "a" DERIVATIVES
43, 4	TLIP2X	
44	TLIP1X YUP SUPCLD SI:PHLD	

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
45	CALCA M45055 TLIP3X TLIP2X TLIP1X YUP INTEP3 WINGYW SUBRYW SUPRYW HORTYW SUBHYW SUPHYW	CALCULATE WING AND WING-BODY YAW AND ROLL DERIVATIVES
46	M46056 TRAPZ PRCSID DMPARY CLRDER	CALCULATE WING-BODY-TAIL DYNAMIC DERIVATIVES

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
47	DYNB00 DNPWB DNPWBT SUBWBT M47057 TRANJT	CALCULATE HYPERSONIC TRANSVERSE JET CONTROL AERODYNAMICS
49	SIMUL2 TRAPZ INTER3 0UTTRJ DMPARY PRCSID M48060 EXPDAT M49061 DUMPARY DUMPRT	LOAD EXPERIMENTAL DATA NAMELISTS FOR THE CURRENT MACH NUMBER ON TAPE 10  DUMP ARRAYS USED IN CASE EXECUTION

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
50	M50062 INIZ SECI SEC0 CSL0FF XVC0RD DELY AIRF0L	CALCULATE AIRFOIL SECTION GEOMETRIC AND AERODYNAMIC DATA
50, 1	ARCC0S DEC0DE C00RD4 C0RD4M C00RD5 C0RD5M C00RD1 C00RD6 C0ROSP SLEQ	



TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
50, 2	THEORY IDEAL ASMINT SLOPE	
50, 3 51	MAXCL M51063 INITZ1 INITZ2	INITIALIZE COMPUTATIONAL ARRAYS
52	M52064 TLIN4X LATFLP	CALCULATE SUBSONIC LATERAL CONTROL/FLAP AERODYNAMICS
53	M53065 ARCC0S DFLCON SPYAW	CALCULATE SUPERSONIC TRAILING EDGE FLAP ROLL AND YAW AERODYNAMICS

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
54	M54066 TLIP3X TLIP2X TLIP1X YUP SUPCMD SUPHMD	CALCULATE SUPERSONIC WING $C_{m\alpha}$
55	M55067	CALCULATE JET FLAP AERODYNAMICS
56	M56070	CALCULATE MACH SHADOWING DATA
57	VTAREA PTINT1 AREA1 BDAREA PTINT2 AREA2 M57071 CLEARA DECFIG SORTER READXM	DUMP CASE EXTRAPOLATION MESSAGES

TABLE 7 DIGITAL DATCOM OVERLAY DESCRIPTION

OVERLAY	PROGRAM/SUBROUTINE NAME	OVERLAY DESCRIPTION
	STØRYM WRITXM	

TABLE 8 PROGRAM COMMON DECKS

<u>Deck Name</u>	<u>Overlays Referenced</u>
ALI	7, 10, 20, 28, 35
ANGLES	2, 13, 15, 16, 18
ARCCØS	12, 21, 41, 42, 50, 53
ARCSIN	21, 41, 42, 44
BØDØWG	7, 10, 20, 28, 35
CALCALC	31, 33
CALCAO	15, 16
CDRAG	3, 5
CLMXBS	15, 16
CLMXB1	24 (Both Secondary Overlays)
CMALPH	31, 33
DFLCØN	41, 53
DMPARY	11, 39, 42, 46, 47, 49
EQSPCE	4, 6
EQSPC1	4, 6
FIG53A	3, 5
FIG68	21, 42
GETMAX	4, 6, 29
INFTGM	2, 21
LIFTCF	15, 16
PRSCID	12, 39, 42, 46, 47
SETUP1	2, 18
SIMUL2	38, 42, 47
SWRITE	12, 39
TABLEC	7, 20, 25
TABLES	7, 24
TBSUB	7, 24
TBSUP	7, 24
TBTRN	7, 24
TEST	1, 34
TLIN4X	17, 25, 26, 52
TLIP1X	43, 44, 45, 54
TLIP2X	43, 44, 45, 54
TLIP3X	43, 44, 45, 54
TRANF	24 (Both Secondary Overlays)
TRAPZ	4, 6, 9, 19, 23, 26, 29, 37, 46, 47
WBCDL	7, 24
WBCMO	7, 20, 25
WBCM1	25 (Both Secondary Overlays)
WTGEØM	2, 18
WTLIFT	15, 16
YUP	43, 44, 45, 54
ZERANG	1, 2, 13, 18

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
AGENR	37	GENERATES COEFFICIENTS FOR G/6 CALCULATIONS BY DELTA
AIRFOIL	50	CONTROLLING PROGRAM FOR CALCULATING AIRFOIL GEOMETRY FROM NACA DESIGNATION
ALDLPR	42	PRINTS BLANKS WHEN NO COMPUTED VALUES ARE PRESENT
ALI	7, 10, 20, 28, 35	COMPUTES VORTEX INTERFERENCE FACTORS
ANGLES	2, 13, 15, 16, 18	COMPUTES TRIG AND INVERSE TRIG FUNCTIONS OF AN ARGUMENT
ARCLSS	2	CLASSIFIES WING/TAIL PLANFORM AS HIGH OR LOW ASPECT RATIO
ARCCOS	12, 21, 41, 42, 50, 53	COMPUTES ARC-COSINE OF AN ARGUMENT USING STANDARD FORTRAN
ARCSIN	21, 41, 42, 44	COMPUTES ARC-SINE OF AN ARGUMENT USING STANDARD FORTRAN
AREAT	56	CALCULATES INCREMENTAL AREAS OF VERTICAL TAIL SHADOWED BY MACH LINE
AREA2	56	CALCULATES INCREMENTAL AREA OF BODY SHADOWED BY MACH LINE
ASHINT	50	NON-LINEAR INTERPOLATION ROUTINE FOR AIRFOIL SECTION MODULE
ATMOS	1	COMPUTES PROPERTIES OF 1962 U.S. STANDARD ATMOSPHERE
AUXOUT	12	PRINT AUXILIARY OUTPUTS FOR A CASE
AXPRNT	12	PRINT AUXILIARY OUTPUTS FOR WING/TAIL PLANFORMS
BDAREA	56	EXECUTIVE FOR BODY PARTS SHADOWED BY MACH LINE SHADOWING CALCULATIONS
BLCK DATA	0	SETS PROGRAM CONSTANTS, AND VARIABLE NAMES FOR CONERR
BDDOPT	4	COMPUTES ASYMMETRICAL BODY AERODYNAMICS
BDDWNG	7, 10, 20, 28, 35	COMPUTES BODY VORTEX EFFECTS ON WING
BDDVRT	6	COMPUTES AXISYMMETRIC BODY $C_L$ , $C_D$ , $C_m$
BODYJM	6	COMPUTE BODY AERODYNAMICS USING JOERGENSEN'S METHOD
CALCAL	31, 33	COMPUTES WING $C_N$ , $C_A$
CALCA	44	COMPUTES WING ACCELERATION PARAMETERS ( $\delta$ )

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
CALCAO	15, 16	COMPUTES LIFTING SURFACE $\alpha_{0L}$
CCARD	1	CHECK CONTROL CARD FOR LEGAL INPUT
CDRAG	3, 5	COMPUTES LIFTING SURFACE $C_D$
CDWBT	35	CALCULATES TRANSONIC WING-BODY-TAIL $C_D$
CHECK	1	CHECK MACH REGIME LIMITS AND SET PRINT FLAGS
CLBCLC	35	CALCULATES TRANSONIC WING AND WING-BODY $C_{x_B}$ AND $C_{x_B}/C_L$
CLEARA	57	CLEAR STORAGE ARRAYS FOR EXTRAPOLATION MESSAGES
CLMCHO	0	COMPUTES LIFTING SURFACE $C_L$ AT MACH = 0
CLMXBS	15, 16	COMPUTES LIFTING SURFACE $C_{LMAX}$
CLMXB1	24	COMPUTES LIFTING SURFACE $C_{LMAX}$ AT MACH = 0.6
CLRDER	46	COMPUTES THE CONFIGURATION $C_{x_r}$ DERIVATIVE
CLWBT	35	COMPUTES TRANSONIC WING-BODY-TAIL $C_L$
CMALPH	31, 33	COMPUTES LIFTING SURFACE $C_{m_\alpha}$
CMALP0	43	COMPUTES LIFTING SURFACE $C_{m_\alpha}$ AT MACH=0
CMCA	35	CALCULATES $C_N$ AND $C_A$
C0NERR	1	CONTROLLING PROGRAM FOR INPUT ERROR DIAGNOSTIC ANALYSIS
C00RD1	50	CALCULATES NACA 1-SERIES AIRFOIL COORDINATES
C00RD4	50	CALCULATES NACA 4-DIGIT AIRFOIL COORDINATES
C00RD5	50	CALCULATES NACA 5-DIGIT AIRFOIL COORDINATES
C00RD6	50	CALCULATES NACA 6-SERIES AIRFOIL COORDINATES
C0RD4M	50	CALCULATES NACA 4-DIGIT MODIFIED AIRFOIL COORDINATES

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
CØRD5M	50	CALCULATES NACA 5-DIGIT MODIFIED AIRFOIL COORDINATES
CØNV	1	SET-UP FOR UNITS SPECIFICATION
CØRDSP	50	CALCULATE GEOMETRY DATA FOR SUPERSONIC AIRFOILS
CSLØPE	50	COMPUTE GEOMETRIC SLOPE FOR SUPERSONIC AIRFOILS
CTABS	36	CONTROL TABS METHOD SUBROUTINE
DATCØM	0	TOP LEVEL EXECUTIVE PROGRAM
DECFIG	57	CONVERT FIGURE NUMBERS IN EXTRAPOLATION MESSAGES
DET4	37	EVALUATES A 4x4 DETERMINATE
DECØDE	50	DECODES USER INPUT NACA DESIGNATION
DELY	50	CALCULATES AIRFOIL $\Delta Y$
DFLCØN	41,53	CALCULATES SUPERSONIC LIFT, ROLL MOMENT AND HINGE MOMENT DERIVATIVES
DMPARY	11,39,42,46,47	DUMP SPECIFIED ARRAY IN READABLE FORMAT
DNPAMB	49	CALCULATES WING-BODY "q" AND " $\alpha$ " DERIVATIVES
DNPWBT	46	CALCULATES WING-BODY-TAIL "q" AND " $\alpha$ " DERIVATIVES
DPRESR	21	CALCULATES NON-VISCOUS DYNAMIC PRESSURE AT HORIZONTAL TAIL
DRAGFP	38	CALCULATES SUBSONIC FLAP INDUCED DRAG
DUMPRT	49	DUMPS ARRAYS USING DMPARY
DUMP2	39	CONTROL FOR PRINTING DUMPS OF INTERMEDIATE RESULTS

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
DWASH	9	CALCULATES SUBSONIC DOWNWASH AT ANGLE-OF-ATTACK
DYNBØD	46	CALCULATES BODY DYNAMIC DERIVATIVES
DYPRLS	9	COMPUTES DYNAMIC PRESSURE AT HORIZONTAL TAIL
EQSPCE	4, 6	TRANSFORMS 4-DIMENSIONAL ARRAY SO THAT THE 3 INDEPENDENT ARRAYS ARE EQUALLY SPACED
EQSPC1	4, 6	TRANSFORMS 2-DIMENSIONAL ARRAY LIKE EQSPCE
EXPDAT	48	LOADS THE EXPERIMENTAL DATA NAMELIST FOR THE CURRENT MACH NUMBER
EXSUBT	0	READS EXPERIMENTAL DATA INPUTS
FIG26	0	CALCULATES FIG. 4.1.5.1-26; TURBULENT SKIN FRICTION COEFFICIENT
FIG53A	3, 5	CALCULATES FIG. 4.1.5.2-53A; SUBSONIC LEADING EDGE SUCTION
FIG68	21, 42	CALCULATES OBLIQUE SHOCK WAVE ANGLE (TR-1135, EQN. 150)
FG6115	30	CALCULATES FIG. 4.6.1-15; DOWNWASH INCREMENT DUE TO A SUBSONIC JET IN A SUBSONIC STREAM
FLAPCH	37	COMPUTES WING $C_m$ DUE TO FLAPS
FLTCL	39	PRINT DATA FOR TRIM CONDITIONS
GDELTA	37	CALCULATES FLAP SPANWISE LOADING COEFFICIENT, $G/\delta$
GETMAX	4, 6, 29	FOR $Y=f(X)$ , FIND $Y_{MAX}$ AND $X_{YMAX}$
GLØØK	0	TABLE LOOKUP LOGIC FOR TLIN <sub>1</sub> ROUTINES
GRDEFF	11	COMPUTES GROUND EFFECTS ON AERODYNAMICS
HBTRAN	25	CALCULATES $(C_{L\alpha})_{B(H)}$ AND $(X_{ac}/\bar{c}_r)$ AT MACH=1.4 FOR TRANSONIC ANALYSIS
HEADR	12	WRITE HEADINGS FOR CASE OUTPUTS



TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
HINGE	36	CALCULATES FLAP HINGE MOMENT DATA
HORTYM	45	EXECUTIVE FOR HORIZONTAL-TAIL, HORIZONTAL-TAIL-BODY YAW DERIVATIVE CALCULATIONS
HYPB0D	26	COMPUTES HYPERSONIC $C_D$ , $C_L$ , $C_m$
HYPFLP	42	COMPUTES HYPERSONIC FLAP CONTROL AERODYNAMICS
HYPROP	42	CALCULATES EQUILIBRIUM REAL GAS FLOW PROPERTIES
IDEAL	50	CALCULATES AIRFOIL SECTION IDEAL AERODYNAMIC COEFFICIENTS
INFTGM	2, 21	CALCULATES DOWNWASH SYNTHESIZING DIMENSIONS
INITZE	1	PROGRAM INITIALIZING ROUTINE
INITZ1	51	INITIALIZE ARRAYS FOR PROGRAM USE
INITZ2	51	INITIALIZE ARRAYS FOR HIGH-LIFT AND CONTROL
INIZ	50	INITIALIZE ARRAYS FOR AIRFOIL SECTION MODULE
INPUT	1	READS INPUT NAMELISTS
INPUTL	1	READS NAMELIST "LARWB" FOR INPUT
INPUT2	1	READS HORIZONTAL TAIL NAMELISTS FOR INPUT
INPUT3	1	READS VERTICAL TAIL NAMELISTS FOR INPUT
INPUT4	1	READS VENTRAL FIN NAMELISTS FOR INPUT
INTEP3	45	TABEL LOOKUP ROUTINE FOR A SPECIFIC TABLE
INTERM	12	INTERMEDIATE LOGIC FOR OUTPUT
INTERX	0	LINEAR TABLE LOOKUP USING TLIN_X ROUTINES, 2 TO 5 DIMENSIONS
INTER3	47	TABLE LOOKUP ROUTINE FOR A SPECIFIC TABLE

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
INTERM	12	INTERMEDIATE LOGIC FOR OUTPUT
INTERX	0	LINEAR TABLE LOOKUP USING TLIN_X ROUTINES, 2 TO 5 DIMENSIONS
INTER3	47	TABLE LOOKUP ROUTINE FOR A SPECIFIC TABLE
JETFP	55	COMPUTES AERODYNAMIC INCREMENTS DUE TO JET FLAPS
JETPWE	30	COMPUTES EFFECTS OF JET POWER ON AERODYNAMICS
LATFLP	52	SUBSONIC LATERAL CONTROL/FLAP EFFECTIVENESS CALCULATIONS
LIFTCF	15, 16	COMPUTES LIFTING SURFACE $C_L$
LIFTFP	36	COMPUTES INCREMENTAL WING LIFT DUE TO FLAPS
LØARWB	14	COMPUTES LOW ASPECT-RATIO WING-BODY AERODYNAMICS
LVALUE	1	TEST FOR LEGAL LOGICAL CONSTANTS AND MULTIPLICATION FACTOR FOR INPUT
MACH2	21	CALCULATE PRANDTL-MEYER EXPANSION ANGLE
MAIN00	0	DATCOM PROGRAM TOP-LEVEL EXECUTIVE
MAIN01	0	PROGRAM CONTROL FOR SUBSONIC AERODYNAMICS
MAIN02	0	PROGRAM CONTROL FOR SUBSONIC GROUND EFFECTS
MAIN03	0	PROGRAM CONTROL FOR TRANSONIC AERODYNAMICS
MAIN04	0	PROGRAM CONTROL FOR SUPERSONIC AERODYNAMICS
MAIN05	0	PROGRAM CONTROL FOR SUBSONIC HIGH LIFT AND CONTROL ANALYSIS
MAIN06	0	PROGRAM CONTROL FOR TRANSONIC HIGH LIFT AND CONTROL ANALYSIS
MAIN07	0	PROGRAM CONTROL FOR SUPERSONIC HIGH LIFT AND CONTROL ANALYSIS
MAJERR	1	CHECKS FOR MISSING ESSENTIAL NAMELISTS

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
MASRAT	23	FINDS APPARENT MASS RATIO K, FIGURE 5.3.1.1-25
MAXCL	50	FINDS $C_{2MAX}$ FOR AIRFOIL SECTION
MESSGE	0	PRINTS TABLE LOOKUP ROUTINE EXTRAPOLATION MESSAGES
M01001	1	EXECUTIVE FOR OVERLAY 1, INITIALIZE PROGRAM AND PROCESS INPUTS
M02002	2	EXECUTIVE FOR OVERLAY 2, CALCULATE GEOMETRIES AND SYNTHESIS DATA
M03003	3	EXECUTIVE FOR OVERLAY 3, SUBSONIC WING DRAG
M04004	4	EXECUTIVE FOR OVERLAY 4, SUBSONIC ASYMMETRIC BODY AERODYNAMICS
M05005	5	EXECUTIVE FOR OVERLAY 5, SUBSONIC HORIZONTAL TAIL DRAG
M06006	6	EXECUTIVE FOR OVERLAY 6, SUBSONIC AXISYMMETRIC BODY AERODYNAMICS
M07007	7	EXECUTIVE FOR OVERLAY 7, SUBSONIC WING, WING-BODY AERODYNAMICS
M08010	8	EXECUTIVE FOR OVERLAY 8, SUBSONIC VERTICAL TAIL DRAG
M09011	9	EXECUTIVE FOR OVERLAY 9, SUBSONIC WING FLOW FIELDS
M10012	10	EXECUTIVE FOR OVERLAY 10, SUBSONIC WING-BODY-TAIL AERODYNAMICS
M11013	11	EXECUTIVE FOR OVERLAY 11, GROUND EFFECTS
M12014	12	EXECUTIVE FOR OVERLAY 12, PRINT OUTPUTS
M13015	13	EXECUTIVE FOR OVERLAY 13, PROPELLER POWER EFFECTS
M14016	14	EXECUTIVE FOR OVERLAY 14, LOW ASPECT RATIO AERODYNAMICS
M15017	15	EXECUTIVE FOR OVERLAY 15, SUBSONIC WING LIFT
M16020	16	EXECUTIVE FOR OVERLAY 16, SUBSONIC HORIZONTAL TAIL LIFT
M17021	17	EXECUTIVE FOR OVERLAY 17, SUBSONIC LATERAL STABILITY

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
M18022	18	EXECUTIVE FOR OVERLAY 18, SUPERSONIC WING DRAG
M19023	19	EXECUTIVE FOR OVERLAY 19, SUPERSONIC BODY AERODYNAMICS
M20024	20	EXECUTIVE FOR OVERLAY 20, SUPERSONIC WING-BODY AERODYNAMICS
M21025	21	EXECUTIVE FOR OVERLAY 21, SUPERSONIC WING FLOW-FIELDS
M22026	22	EXECUTIVE FOR OVERLAY 22, SUPERSONIC HORIZONTAL-TAIL AERODYNAMICS
M23027	23	EXECUTIVE FOR OVERLAY 23, SUPERSONIC LATERAL STABILITY
M24030	24	EXECUTIVE FOR OVERLAY 24, TRANSONIC WING AERODYNAMICS AND BODY STABILITY DATA
M25031	25	EXECUTIVE FOR OVERLAY 25, TRANSONIC WING/WING-BODY $C_{m\alpha}$
M26032	26	EXECUTIVE FOR OVERLAY 26, HYPERSONIC BODY AERODYNAMICS
M27033	27	EXECUTIVE FOR OVERLAY 27, SUPERSONIC WING STABILITY
M28034	28	EXECUTIVE FOR OVERLAY 28, SUPERSONIC WING-BODY-TAIL AERODYNAMICS
M29035	29	EXECUTIVE FOR OVERLAY 29, LATERAL STABILITY GEOMETRY DATA
M30036	30	EXECUTIVE FOR OVERLAY 30, JET POWER EFFECTS
M31037	31	EXECUTIVE FOR OVERLAY 31, SUBSONIC WING $C_m$ , BODY $C_A$ , $C_N$
M32040	32	EXECUTIVE FOR OVERLAY 32, SUPERSONIC VERTICAL TAIL LIFT
M33041	33	EXECUTIVE FOR OVERLAY 33, SUBSONIC HORIZONTAL TAIL $C_m$
M34042	34	EXECUTIVE FOR OVERLAY 34, DEFINE EXPERIMENTAL DATA INPUT
M35043	35	EXECUTIVE FOR OVERLAY 35, TRANSONIC AERODYNAMICS
M36044	36	EXECUTIVE FOR OVERLAY 36, FLAP LIFT AND HINGE MOMENTS
M37045	37	EXECUTIVE FOR OVERLAY 37, FLAP PITCHING MOMENTS

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
M38046	38	EXECUTIVE FOR OVERLAY 38, SUBSONIC FLAP DRAG AND TRIM AERODYNAMICS
M39047	39	EXECUTIVE FOR OVERLAY 39, PRINT HIGH LIFT AND CONTROL DATA
M40050	40	EXECUTIVE FOR OVERLAY 40, TRANSONIC LATERAL CONTROL/FLAP AERODYNAMICS
M41051	41	EXECUTIVE FOR OVERLAY 41, SUPERSONIC HIGH LIFT AND CONTROL AERODYNAMICS
M41052	42	EXECUTIVE FOR OVERLAY 42, HYPERSONIC FLAP AERODYNAMICS
M42053	43	EXECUTIVE FOR OVERLAY 43, DYNAMIC DERIVATIVES
M43054	44	EXECUTIVE FOR OVERLAY 44, SUPERSONIC WING "a" DERIVATIVES
M45055	45	EXECUTIVE FOR OVERLAY 45, WING AND WING-BODY YAW AND ROLL DERIVATIVES
M46056	46	EXECUTIVE FOR OVERLAY 46, WING-BODY-TAIL DYNAMIC DERIVATIVES
M47057	47	EXECUTIVE FOR OVERLAY 47, TRANSVERSE-JET AERODYNAMICS
M48060	48	EXECUTIVE FOR OVERLAY 48, LOAD EXPERIMENTAL DATA FOR MACH NUMBER
M49061	49	EXECUTIVE FOR OVERLAY 49, DUMP ARRAYS
M50062	50	EXECUTIVE FOR OVERLAY 50, AIRFOIL SECTION AERODYNAMICS
M51063	51	EXECUTIVE FOR OVERLAY 51, INITIALIZE ARRAYS
M52064	52	EXECUTIVE FOR OVERLAY 52, SUBSONIC LATERAL CONTROL/FLAP AERODYNAMICS
M53065	53	EXECUTIVE FOR OVERLAY 53, SUPERSONIC TRAILING EDGE FLAP ROLL AND YAW AERODYNAMICS
M54066	54	EXECUTIVE FOR OVERLAY 54, SUPERSONIC WING $C_{m\alpha}$
M55067	55	EXECUTIVE FOR OVERLAY 55, JET FLAP AERODYNAMICS
M56070	56	EXECUTIVE FOR OVERLAY 56, MACH SHADOWING DATA

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
M57071	57	EXECUTIVE FOR OVERLAY 57, DUMP EXTRAPOLATION MESSAGES
NMLIST	1	PASS NAMELIST NAMES TO TESTOR FOR CHECKING
NMTEST	1	CHECK NAMELIST NAME AS LEGAL INPUT
OUTPUT	12	MAIN LOGIC FOR PRINTING CASE BASIC OUTPUTS
OUTPT2	39	PRINTS HIGH-LIFT AND CONTROL OUTPUTS
OUTPT4	42	PRINTS HYPERSONIC CONTROL EFFECTIVENESS OUTPUTS
OUTTRTJ	47	PRINTS TRANSVERSE JET CONTROL EFFECTIVENESS OUTPUTS
PRCSID	12, 39, 42, 46, 47	PRINTS "CASEIN" CARD
PRNSEC	12	PRINTS SECOND LEVEL METHOD DATA
PRPWEF	13	CALCULATES PROPELLER POWER EFFECTS ON AERODYNAMICS
PTCP	41	CALCULATES SUBSONIC FLAP/CONTROL PRESSURE RATIO $\delta C_p$
PTINT1	56	CALCULATES THE BOUNDARIES OF THE MACH LINE ON THE VERTICAL TAIL
PTINT2	56	CALCULATES THE BOUNDARIES OF THE MACH LINE ON THE BODY
QUAD	0	COMPUTES PARAMETERS FOR QUADRATIC EXTRAPOLATION
READXM	57	LEADS EXTRAPOLATION MESSAGES FROM UNIT 12
RVALUE	1	TEST IF REAL VALUE IS LEGAL INPUT
SDDVC	21	ROUTINE LOOK UP DATCOM FIGURE 4.7.1-76
SDWA	21	ROUTINE LOOK UP DATCOM FIGURE 4.7.1-76
SDWASH	21	COMPUTES $\partial \epsilon / \partial \alpha$ AND VISCOUS $q/q_\infty$ AT THE HORIZONTAL TAIL
SDWB	21	ROUTINE LOOK-UP DATCOM FIGURE 4.7.1-76
SDWC	21	ROUTINE LOOK-UP DATCOM FIGURE 4.7.1-76
SDWD	21	ROUTINE LOOK-UP DATCOM FIGURE 4.7.1-76
SDWE	21	ROUTINE LOOK-UP DATCOM FIGURE 4.7.1-76

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
QUAD	0	COMPUTES PARAMETERS FOR QUADRATIC EXTRAPOLATION
RVALUE	1	TEST IF REAL VALUE IS LEGAL INPUT
SDWASH	21	COMPUTES $\partial \epsilon / \partial \alpha$ AND VISCOUS $q/q_\infty$ AT THE HORIZONTAL TAIL
SECI	50	READ AIRFOIL SECTION INPUTS
SECLEV	35	COMPUTES SECOND LEVEL METHOD MODULE DATA
SECØ	50	SET AIRFOIL SECTION MODULE OUTPUTS IN INPUT NAMELIST ARRAYS
SETUP1	2, 18	COMPUTES TRIG FUNCTIONS FOR LIFTING SURFACES
SETUP2	35	SETUP FOR TRANSONIC CONFIGURATION ANALYSIS
SIMUL2	38, 42, 47	SOLVES FOR WHERE TWO CURVES INTERSECT
SIMUL4	37	SOLVES 4 SIMULTANEOUS EQUATIONS USING DETERMINATES
SLEQ	50	SOLVES N SIMULTANEOUS EQUATIONS USING THE GAUSS-JORDAN METHOD
SLØPE	50	CALCULATES AIRFOIL SECTION $C_{L\alpha}$ , $C_{m0}$ AND $X_{a.c.}$
SØRTER	57	SORT EXTRAPOLATION MESSAGES BY FIGURE NUMBER
SPRYAW	53	CALCULATES SUPERSONIC ROLL AND YAW CHARACTERISTICS OF PLAIN T.E. FLAPS, SPOILERS AND DIFFERENTIALLY DELETED STABILIZERS
SSHING	41	CALCULATES SUPERSONIC HINGE MOMENT DERIVATIVES
SSSYM	41	CALCULATES SUPERSONIC $\Delta C_L$ AND $\Delta C_m$ FOR HIGH-LIFT AND CONTROL DEVICES
STØRXM	57	STORE EXTRAPOLATION MESSAGE DATA
SUBHYW	45	CALCULATES SUBSONIC HORIZONTAL TAIL AND HORIZONTAL TAIL-BODY "p" AND "r" DERIVATIVES
SUBLAT	17	CALCULATES SUBSONIC AND TRANSONIC LATERAL STABILITY DERIVATIVES
SUBPAH	43	CALCULATES SUBSONIC AND TRANSONIC "q" AND " $\dot{\alpha}$ " DERIVATIVES FOR H.T.
SUBPAW	43	CALCULATES SUBSONIC AND TRANSONIC "q" AND " $\dot{\alpha}$ " DERIVATIVES FOR WINGS
SUBRYW	45	CALCULATES SUBSONIC WING AND WING-BODY "p" AND "r" DERIVATIVES

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
SUBWBT	46	CALCULATES SUBSONIC WING-BODY-TAIL "p" AND "r" DERIVATIVES
SUPB0D	19	CALCULATES SUPERSONIC BODY $C_L$ , $C_D$ , $C_m$ , $CL_\alpha$ , AND $C_{m\alpha}$
SUPCLD	44	CALCULATES SUPERSONIC WING $CL_\alpha$
SUPCMD	54	CALCULATES SUPERSONIC WING $C_m$
SUPCMO	20	CALCULATES SUPERSONIC CONFIGURATION $C_{m0}$
SUPCMQ	43	CALCULATES SUPERSONIC WING $C_{mq}$
SUPDRG	18	CALCULATES SUPERSONIC WING $C_D$
SUPHB	20	CALCULATES SUPERSONIC HORIZONTAL TAIL-BODY $C_L$ , $C_D$ , $C_L$ AND $C_{m\alpha}$
SUPHLD	43	CALCULATE $CL_\alpha$ FOR SUPERSONIC HORIZONTAL TAILS
SUPHMD	54	CALCULATE $C_m^\alpha$ FOR SUPERSONIC HORIZONTAL TAILS
SUPHMQ	43	CALCULATES SUPERSONIC H.T. $C_{mq}$
SUPHYW	45	CALCULATES SUPERSONIC HORIZONTAL TAIL AND HORIZONTAL-TAIL BODY "p" AND "r" DERIVATIVES
SUPLAF	23	CALCULATES SUPERSONIC VENTRAL FIN LATERAL STABILITY DERIVATIVES
SUPLAH	23	CALCULATES SUPERSONIC LATERAL STABILITY DERIVATIVES FOR HORIZONTAL TAILS
SUPLAT	23	CALCULATES SUPERSONIC LATERAL STABILITY DERIVATIVES FOR WINGS
SUPLAV	23	CALCULATES SUPERSONIC VERTICAL TAIL LATERAL STABILITY DERIVATIVES
SUPLNG	27	CALCULATES SUPERSONIC WING $C_L$ , $CL_\alpha$ AND $C_{m\alpha}$
SUPLTG	22	CALCULATES SUPERSONIC HORIZONTAL TAIL $C_L$ , $CL_\alpha$ AND $C_{m\alpha}$
SUPPAH	43	CALCULATES SUPERSONIC H.T. $CL_q$
SUPPAW	43	CALCULATES SUPERSONIC WING $CL_q$



TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
SUPRYM	45	CALCULATES SUPERSONIC WING AND WING-BODY "p" AND "r" DERIVATIVES
SUPWB	20	CALCULATES SUPERSONIC WING-BODY $C_L$ , $C_D$ , $C_L$ AND $C_m$
SUPWBT	28	CALCULATES SUPERSONIC WING-BODY-TAIL AERODYNAMICS
SWITCH	0	SETS LOGIC FOR ASCENDING OR DESCENDING ARRAYS FOR TLIN X ROUTINES
SPRITE	12, 39	CONTROLS NUMERIC OUTPUTS FOR OUTPUT; WRITES BLANKS, NA OR NDM
SYNDIM	2	CALCULATES SYNTHESIS DIMENSIONS FOR BODY ANALYSIS
TABLEC	7, 20, 25	REGRESSION COEFFICIENTS FOR WBCMO
TABLES	7, 24	READ MACH TABLES OF $C_D$ EQUATION REGRESSION COEFFICIENTS
TBFUNX	0	TABLE LOOKUP FOR $Y=f(X)$ ; PROVIDES $dy/dx$
TBSUB	7, 24	SUBSONIC $C_D$ REGRESSION COEFFICIENT TABLES
TBSUP	7, 24	SUPERSONIC $C_D$ REGRESSION COEFFICIENT TABLES
TBTRN	7, 24	TRANSONIC $C_D$ REGRESSION COEFFICIENT TABLES
TEST	1, 34	NAMELIST NAME CHECKING PERFORMED IN INPUT
TESTØR	1	CHECK IF NAMELIST NAME IS LEGAL INPUT USING NMTEST
THEØRY	50	MAIN LOGIC ROUTINE FOR CALCULATING AIRFOIL SECTION AERODYNAMICS
TLINEX	0	LINEAR INTERPOLATION FOR $Y=f(X1, X2)$
TLINVS	30	INTERPOLATES BETWEEN TABLES FOR FG6115
TLIN1X	0	LINEAR INTERPOLATION FOR $Y=f(X)$
TLIN3X	0	LINEAR INTERPOLATION FOR $Y=f(X1, X2, X3)$
TLIN4X	17, 25, 26, 52	LINEAR INTERPOLATION FOR $Y=f(X1, X2, X3, X4)$
TLIP1X	43, 44, 45, 54	LINEAR INTERPOLATION FOR A PACKED TABLE FOR $Y=f(X)$
TLIP2X	43, 44, 45, 54	LINEAR INTERPOLATION FOR A PACKED TABLE FOR $Y=f(X1, X2)$
TLIP3X	43, 44, 45, 54	LINEAR INTERPOLATION FOR A PACKED TABLE FOR $Y=f(X1, X2, X3)$

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
TRACMO	25	EXECUTIVE TRANSONIC B-W OR B-H $C_{m_0}$
TRANAC	25	COMPUTES TRANSONIC PLANFORM $C_L$ BY NON-LINEAR INTERPOLATION
TRANCD	24	CALCULATES TRANSONIC WING AND WING-BODY $C_D$
TRANCM	25	CALCULATES TRANSONIC WING AND WING-BODY $C_m$
TRANF	24	COMPUTES TRANSONIC VENTRAL FIN $C_L$ BY NON-LINEAR INTERPOLATION
TRANHB	24	EXECUTIVE FOR TRSØNJ CALCULATIONS
TRANJT	47	HYPEKSONIC TRANSVERSE JET SIZING CALCULATIONS
TRANWB	24	EXECUTIVE FOR TRSØNI CALCULATIONS
TRANWG	24	CALCULATES WING $C_{L_\alpha}$ AT M=1.4 FOR TRSONI
TRAPZ	4, 6, 7, 9, 19, 23, 26, 29, 37, 46, 47	TRAPEZOIDAL RULE INTEGRATION ROUTINE
TRAWBT	35	CALCULATES WING-BODY-TAIL $a_\epsilon/a_\alpha$ , $q/q_\infty$ AND $C_L$ $\alpha$ TRANSONICALLY
TRHTCM	25	CALCULATES HORIZONTAL-TAIL AND HORIZONTAL-TAIL BODY $C_{m_\alpha}$ TRANSONICALLY
TRIMRT	38	CALCULATES SUBSONIC TRIM WITH WING OR HORIZONTAL TAIL CONTROL
TRIMR2	38	CALCULATES SUBSONIC TRIM WITH AN ALL MOVABLE HORIZONTAL TAIL
TRNHT	24	CALCULATES HORIZONTAL TAIL $C_{L_\alpha}$ AT MACH=1.4 FOR TRSØNJ
TRNYRL	40	TRANSONIC LATERAL CONTROL/FLAP EFFECTIVENESS CALCULATIONS
TRSØNI	24	CALCULATES TRANSONIC WING $C_{L_\alpha}$ , $C_{L_{MAX}}$ , $\alpha_{CL_{MAX}}$ ; BODY $C_{L_\alpha}$ , $C_{m_\alpha}$ ; WING AND WING-BODY $C_{D0}$
TRSØNJ	24	USES METHOD OF TRSØNI, BUT CALCULATES USING HORIZONTAL TAIL

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
VFCDØ	20	CALCULATES VENTRAL FIN $C_{D0}$
VFDRAG	8	CALCULATES VENTRAL FIN DRAG
VFLIFT	32	CALCULATES SUPERSONIC VENTRAL FIN $C_{L\alpha}$
VNAME	1	CHECK IF VARIABLE NAME IS CORRECT FOR INPUT
VRTCDØ	20	CALCULATES SUPERSONIC VERTICAL TAIL $C_{D0}$
VTAREA	56	EXECUTIVE FOR VERTICAL TAIL AREA SHADOWED BY MACH LINE CALCULATIONS
VTDRAG	8	CALCULATES SUBSONIC VERTICAL TAIL $C_{D0}$
VTLIFT	32	CALCULATES SUPERSONIC VERTICAL TAIL $C_{L\alpha}$
WBAERØ	7	EXECUTIVE CONTROL FOR WING-BODY AND HORIZONTAL TAIL BODY $C_L$ , $C_D$ AND $C_m$
WBØ	7	EXECUTIVE CONTROL FOR WING-BODY AND HORIZONTAL TAIL BODY $C_D$
WBØDL	7, 24	CALCULATES THE WING-BODY/HORIZONTAL TAIL BODY $C_{DL}$
WBØLB	35	CALCULATES TRANSONIC WING-BODY $C_{x\beta}$
WBØII	7	CALCULATES SUBSONIC WING-BODY $C_m$
WBØMO	7, 20, 25	CALCULATES $C_{m0}$ FOR WING-BODIES USING REGRESSION METHOD
WBØMI	25	CALCULATES $X_{ac}^o/\bar{c}_r$ FOR WING-BODIES
WBØDRAG	7	CALCULATES SUBSONIC WING-BODY $C_D$
WBØLIFT	7	CALCULATES SUBSONIC WING-BODY $C_L$
WBØTCDØ	35	CALCULATES TRANSONIC WING-BODY-TAIL $C_{D0}$
WBØTRA	35	CALCULATES TRANSONIC WING BODY $C_{DL}$
WBØTRAN	25	CALCULATES $(C_{L\alpha})_B(W)$ AND $(X_{ac}/\bar{c}_r)_B(W)$ AT MACH=1.4 FOR TRANSONIC ANALYSIS
WBØTAIL	10	CALCULATES SUBSONIC WING-BODY-TAIL AERODYNAMICS
WØINGCL	35	CALCULATES TRANSONIC WING $C_L$
WØINGYH	45	MAIN LOGIC FOR WING YAW DAMPING DERIVATIVES
WØGEOTL	10	CALCULATES SUBSONIC WING VORTEX INTERFERENCE EFFECTS ON HORIZONTAL TAIL

TABLE 9 DIGITAL DATCOM ROUTINE DESCRIPTION

ROUTINE NAME	OVERLAYS REFERENCED	DESCRIPTION
WPLØT	12	WRITES DATA FOR PLOT OPTION TO UNIT 13
WRHTIP	1	PRINTS HORIZONTAL TAIL NAMELIST INPUTS
WRITXM	57	PRINTS SUMMARIZED EXTRAPOLATION MESSAGES
WRLØIP	1	PRINTS LOW ASPECT RATIO WING-BODY NAMELIST INPUTS
WRVFIP	1	PRINTS VENTRAL FIN NAMELIST INPUTS
WRVTIP	1	PRINTS VERTICAL TAIL NAMELIST INPUTS
WTGEØM	2, 18	CALCULATES WING OR TAIL GEOMETRY DATA
WTLIFT	15, 16	CALCULATE WING OR TAIL LIFT CHARACTERISTICS
XPERNM	34	DEFINE THE NUMBER OF CARDS IN THE INPUT EXPERIMENTAL DATA NAMELIST
XYCØRD	50	CALCULATES AIRFOIL SECTION X, Y COORDINATES OR THICKNESS/CAMBER DISTRIBUTION
YUP	43,44,45,54	UNPACKS DATA FOR TLIP_X ROUTINES
ZERANG	1,2,13,18	INITIALIZES ANGLES FOR ANGLES ROUTINE

TABLE 10 CONTROL DATA BLOCKS

COMMON BLOCK	VARIABLE NAME	USE/PURPOSE
OVERLY	NLØG	NUMBER OF LOGICAL VARIABLES IN COMMON BLOCK FLØØG TO BE INITIALIZED FALSE
	NMACH	NUMBER MACH NUMBERS
	I	MACH NUMBER INDEX
	NALPHA	NUMBER OF ANGLES OF ATTACK
	IG	HAS SEVERAL USES: (1) GROUND HEIGHTS INDEX (2) INITIALIZATION SWITCH OVERLAY 51. IF 1, INITIALIZE IOM AND COMPUTATIONAL BLOCKS, IF 2, INITIALIZE FOR FLAP ANALYSIS IF 3, INITIALIZE FOR POWER ANALYSIS
	NF	HAS SEVERAL USES: (1) FLAP DEFLECTION INDEX (2) IF NEGATIVE, "TURNS-OFF" EXTRAPOLATION MESSAGES (3) FOR TRANSONIC ANALYSIS, LOOP INDEX. IF $\geq -5$ , GET SUBSONIC AERO IF -6 OR -7, GET SUPERSONIC AERO (4) IF NEGATIVE BYPASS READING EXPERIMENTAL DATA INPUTS
	LF	SET TO 1 IN OVERLAY 23 TO PRINT MESSAGE THAT H.T. IS OFF BODY AND NO LAT-STAB PARAMETERS CALC.
	K	ALTITUDE INDEX
	NØVLY	CURRENT EXECUTING OVERLAY NUMBER
	CASEID	IDCASE (74)
KØUNT		NUMBER OF NAMELISTS READ (MAX. 300)
NAMSV (100)		ORDER OF NAMELISTS SAVED FROM PREVIOUS CASE

TABLE 10 CONTROL DATA BLOCKS

COMMON BLOCK	VARIABLE NAME	USE/PURPOSE
EXPER	IDIM KLIST NLIST (100) N NAMES IMACH MDATA KBODY KWING KHT KVT KWB KDWASH (3) ALP <sub>W</sub> ALP <sub>LW</sub> ALP <sub>H</sub> ALP <sub>LH</sub> FLTC OPTI BØ WGPL	DIMENSIONAL SYSTEM USED 1 = FT, 2 = IN, 3 = M, or 4 = CM. NUMBER OF \$EXPR - NAMEDLISTS (100 MAX) NUMBER CARDS READ FOR EACH \$EXPR -- AND MACH NUMBER FOR NAMEDLIST NUMBER \$EXPR -- CARDS PRESENT MACH NUMBER INDEX OF CURRENT \$EXPR READ TRUE IF \$EXPR DATA FOR MACH NUMBER TRUE IF BODY EXPERIMENTAL INPUTS TRUE IF WING EXPERIMENTAL INPUTS TRUE IF H.T. EXPERIMENTAL INPUTS TRUE IF V.T. EXPERIMENTAL INPUTS TRUE IF WING-BODY EXPERIMENTAL INPUTS TRUE IF (1) $d\epsilon/d\alpha$ , OR (2) $\epsilon$ OR (3) $q/q_\infty$ TRUE IF $\alpha_w$ EXPERIMENTAL INPUT TRUE IF $\alpha_w^*$ EXPERIMENTAL INPUT TRUE IF $\alpha_H$ EXPERIMENTAL INPUT TRUE IF $\alpha_H^*$ EXPERIMENTAL INPUT TRUE IF \$FLTCØN PRESENT \$ØPTIN \$BØDY TRUE IF \$WGPLNF PRESENT
FLØG (LOGICAL VARIABLES)		

TABLE 10 CONTROL DATA BLOCKS

COMMON BLOCK	VARIABLE NAME	USE/PURPOSE
<p>FLØLØG</p>	WGSC	TRUE IF \$WGSCHR PRESENT
	SYNT	\$SNYTHS
	HTPL	\$HTPLNF
	HTSC	\$HTSCHR
	VTPL	\$VTPLNF
	VTSC	\$VTSCHR
	HEAD	CASEID
	PRØPWR	\$PRØPWR
	JETPØW	\$JETPWR
	LØASRT	\$LARWB
	TYTPAN	TRUE IF \$TYTPAN PRESENT
	SUPERS	SUPERSONIC ANALYSIS
	SUBSON	SUBSONIC ANALYSIS
	TRANSN	TRANSONIC ANALYSIS
	HYPERS	HYPERSONIC ANALYSIS
	SYMFP	TRUE IF \$SYMFLP PRESENT
ASYFP	\$ASYFLP	
TRIMC	TRIM	
TRIM	TRIM WITH FLAPS	
DAMP	TRUE IF DAMP PRESENT	

TABLE 10 CONTROL DATA BLOCKS

COMMON BLOCK	VARIABLE NAME	USE/PURPOSE
<p>FLØLØG</p>	<p>HYEFF TRAJET BUILD FIRST DRØØV PART VFPL VFSC CTAB PLØT IERR GØØØØ IEND ØMPALL DPB,....,DPIDWH LIST</p>	<p>TRUE IF \$HYEFF PRESENT</p> <p>\$TRJET BUILD FIRST ENTRY-CALL CØNERR; ALSO SUITED TO CATALOG \$EXPR NAMEDLISTS</p> <p>DERIV PRESENT</p> <p>PART \$VFPLNF \$VFSCØR \$CØNTAB</p> <p>TRUE IF PLØT PRESENT</p> <p>TRUE IF MAJOR INPUT ERROR (e.g. MISSING NAMEDLIST)</p> <p>TRUE, EXECUTE CASE; FALSE, GO TO NEXT CASE</p> <p>TRUE IF HAVE READ ALL INPUT DATA PRESENT</p> <p>TRUE TO DUMP ALL ARRAYS</p> <p>TRUE TO DUMP APPROPRIATE ARRAY</p> <p>TRUE TO PRINT NAMEDLISTS</p>
<p>ERROR</p>		



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